

# Velocity and Location Information from Onboard Vibration Measurements of Rail Vehicles

Oliver Heirich,  
Alexander Steingass,  
Andreas Lehner,  
Thomas Strang

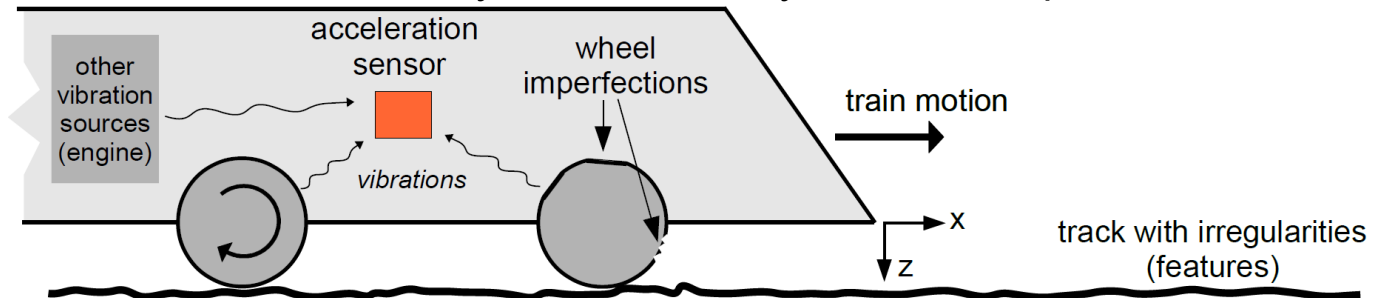


Knowledge for Tomorrow



# Vehicle Vibrations

- **Vehicle vibrations:** oscillatory motion of many different frequencies



- **Often undesired** effect of a moving vehicle: “NVH engineering” in vehicle design
- **Desired** vibrations
  - Feedback control
  - Mechanical fault diagnostics
  - Engine speed estimation
  - Terrain classification based on wheel vibrations (Robotics)
  - Vehicle speed measurement by driving over a street bumper

**We propose:** Using vibration information for velocity and location computation



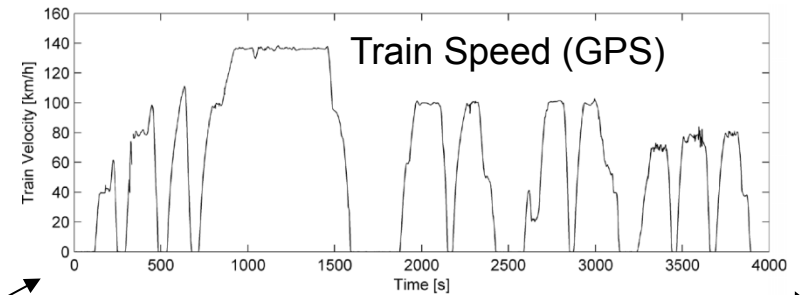
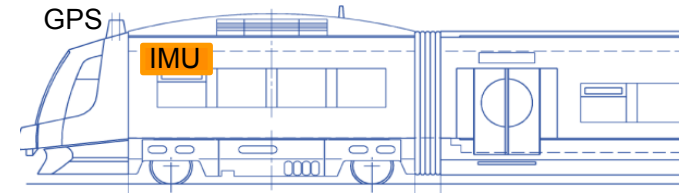
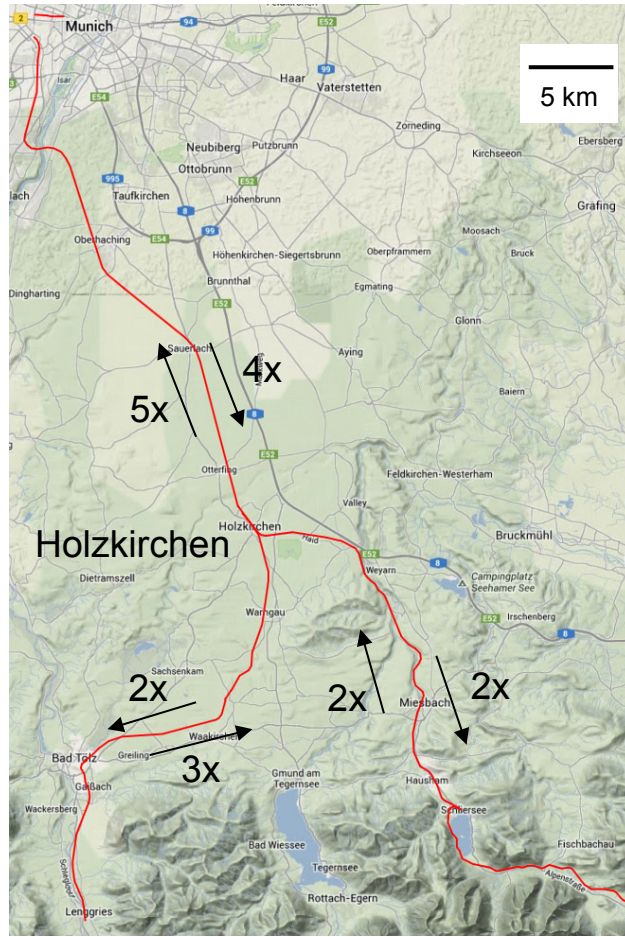
## Measurement setup on over-head rack





# Data recording experiment

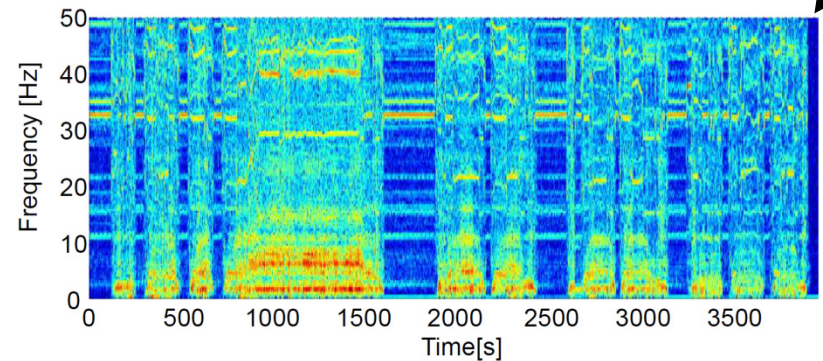
Munich



Munich

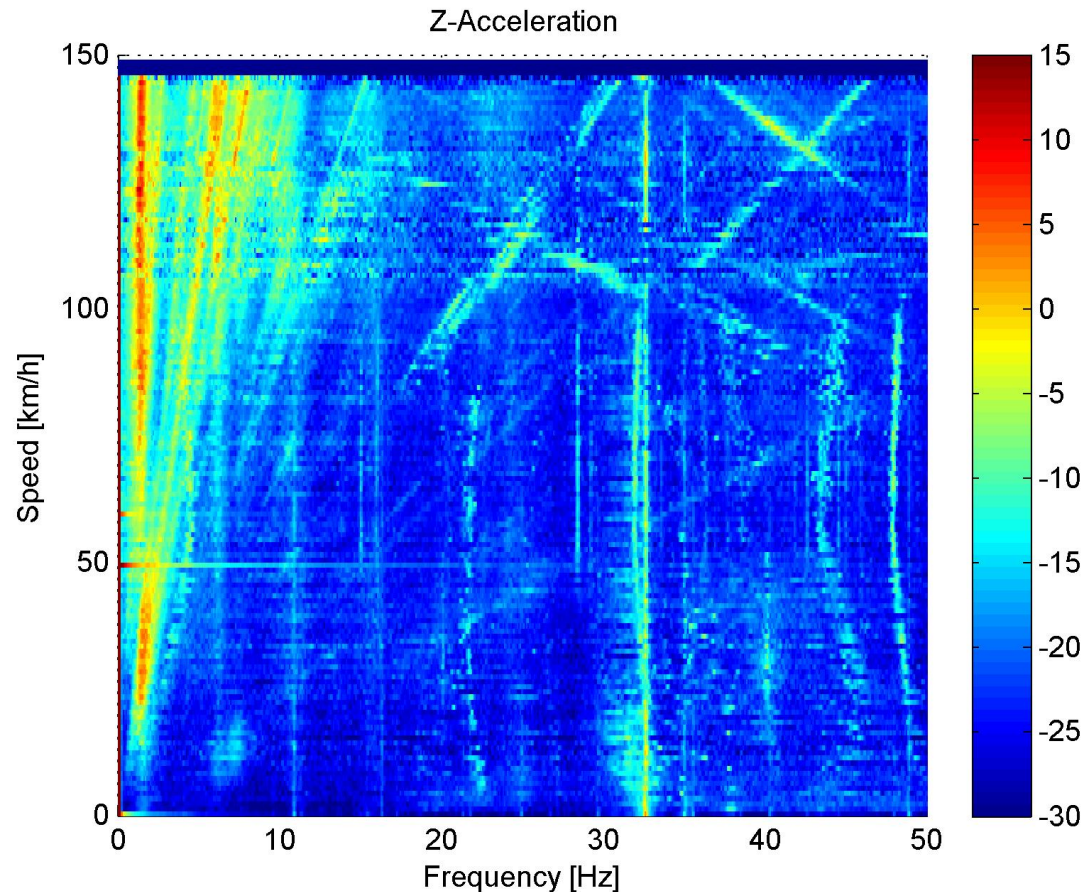
Spectrogram of Z acceleration

Lenggries



## Spectrogram: speed over Z-Acceleration (f)

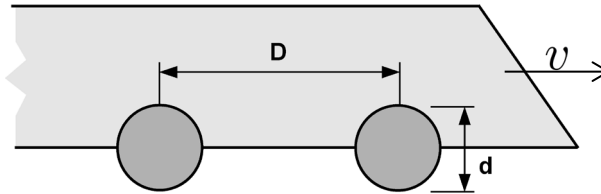
- data sequences of 1024 samples: 10,24s at 100Hz
- power spectral density (PSD) of each sequence
- sorted into speed bins by mean GNSS speed of sequence
- 150 bins of 1km/h width, multiple PSDs in one bin are averaged





# Vehicle vibration model

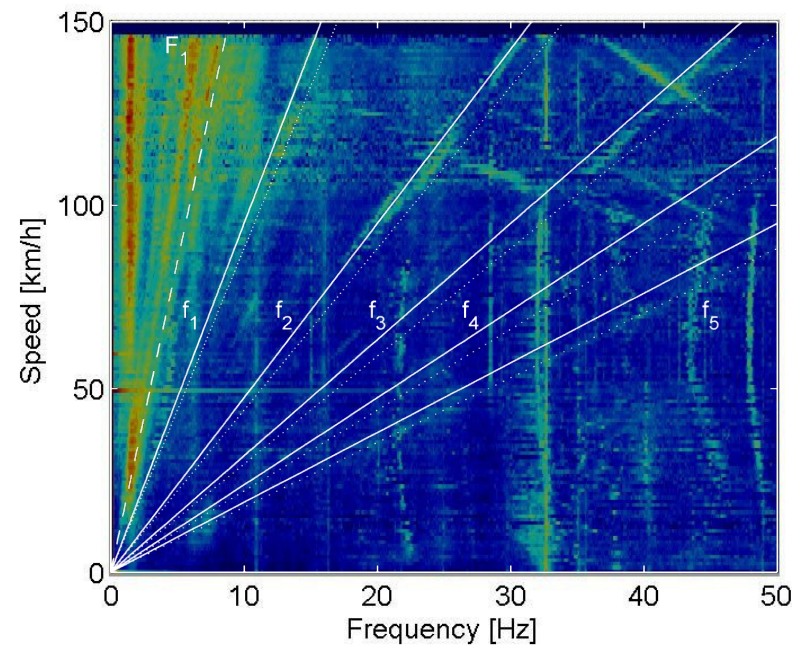
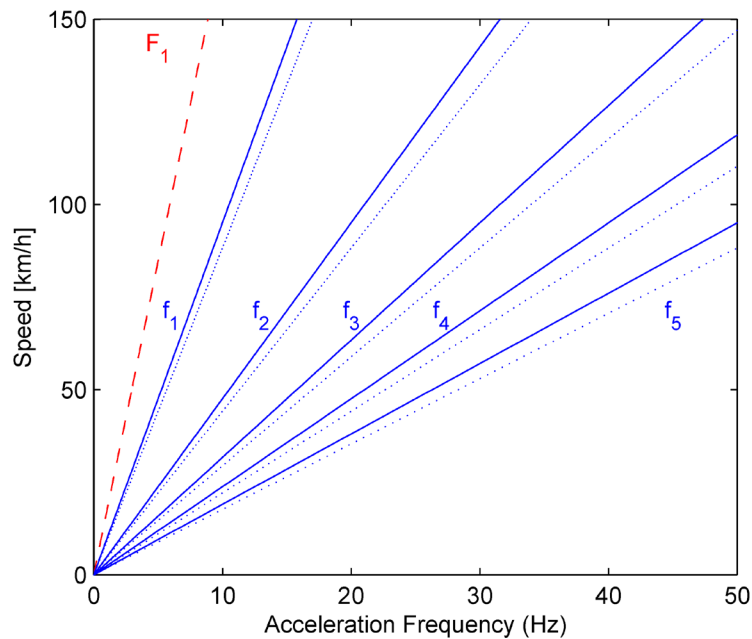
$$F_n = \frac{v}{D} n$$



$$f_n = \frac{v}{d \cdot \pi} n$$

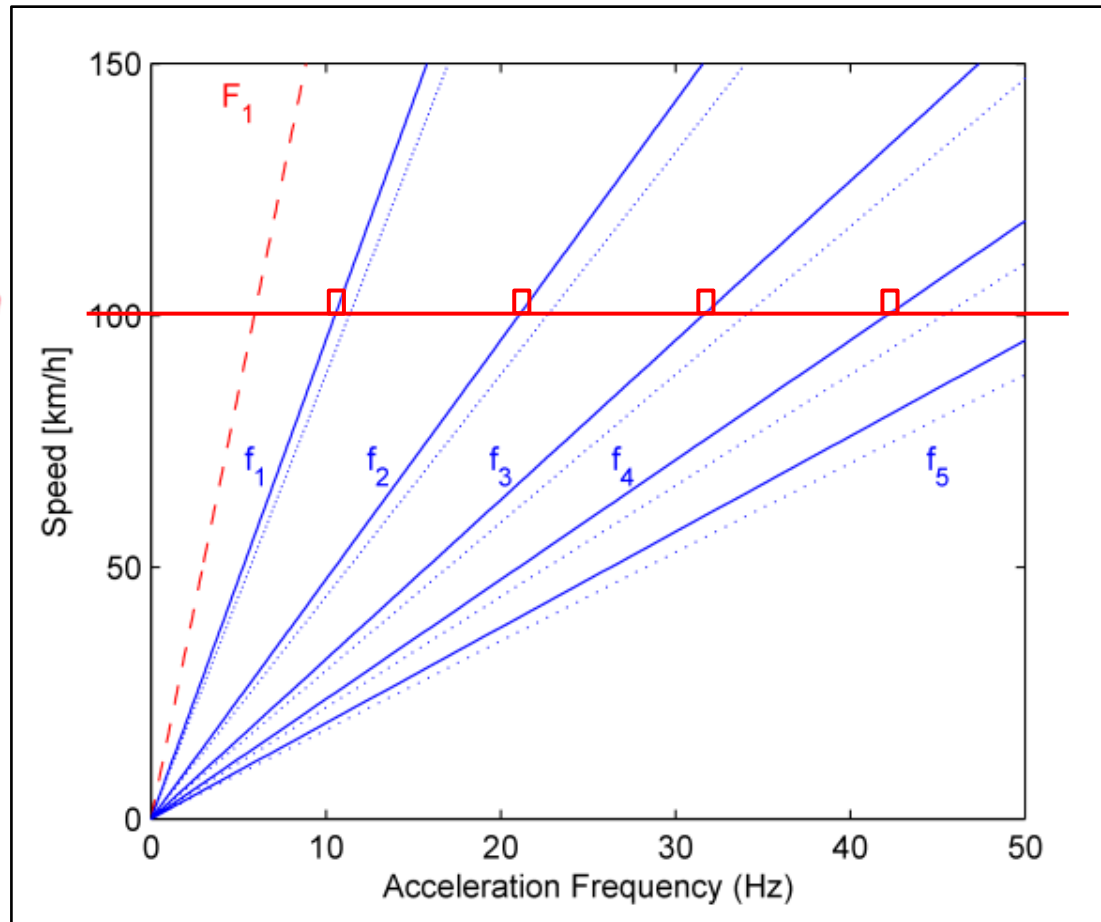
train datasheet:  $D=4.7$  m

$d_{\text{new}}=0.84$  m  $d_{\text{EOL}}=0.78$  m



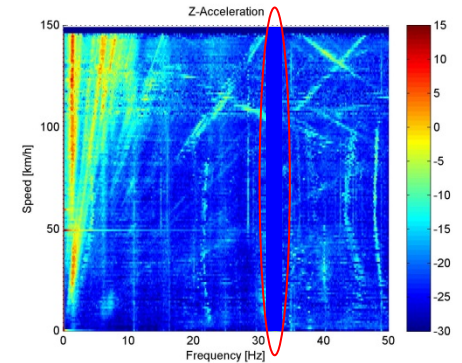
# Application: speed measurement

hypothesis:  $\hat{v}$



# Speed measurement processing

1. Sequence of data (e.g. 100 samples)
2. Multi-Notch filter: removal of from speed independent vibration (horizontal lines)
3. 150 defined speed hypotheses from 0 to 150 km/h (1 km/h width):  $\hat{v}$
4. Computation of multiple band pass filters for each speed hypothesis

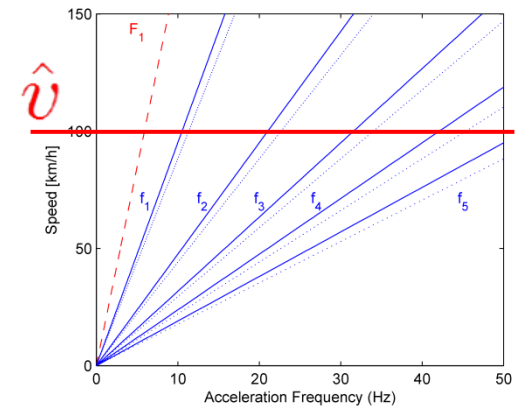


$$\hat{A}_{\hat{v}}(k) = f_{\text{multi-bandpass}}(A(k), \hat{v})$$

5. Compute signal energy of every speed hypothesis:

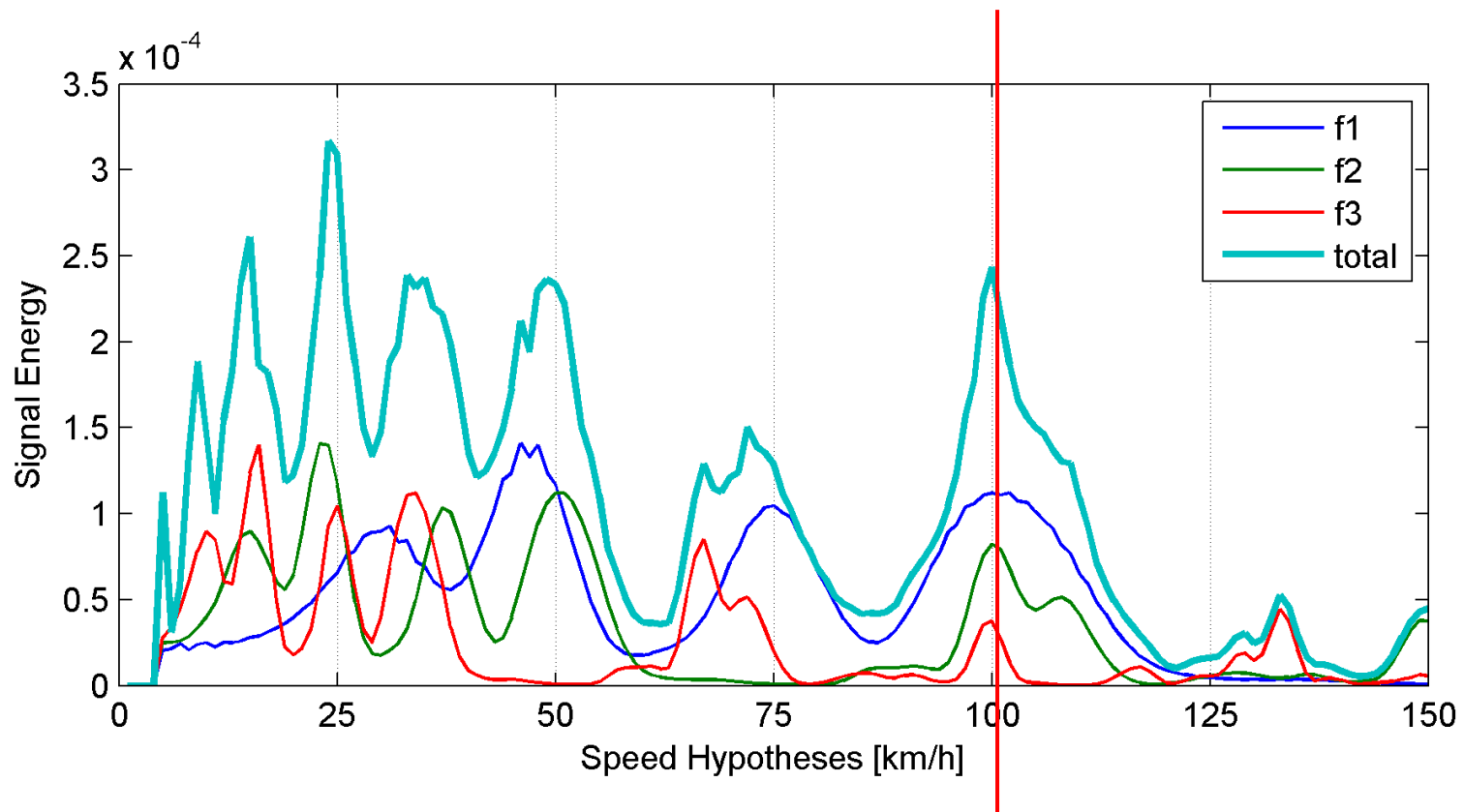
$$E_{\hat{v}} = \sum_{n=-\infty}^{\infty} |\hat{A}_{\hat{v}}(n)|^2$$

6. Search the maximum





## Speed measurement results

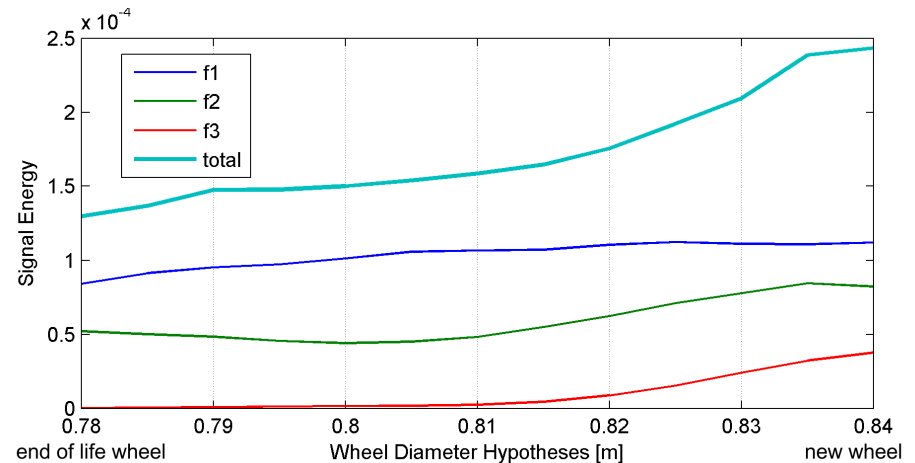
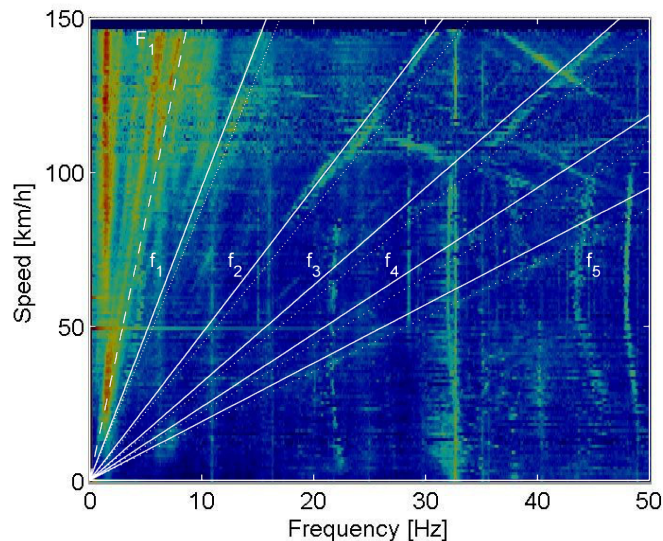


true speed (GPS): 101 km/h



# Wheel radius measurement

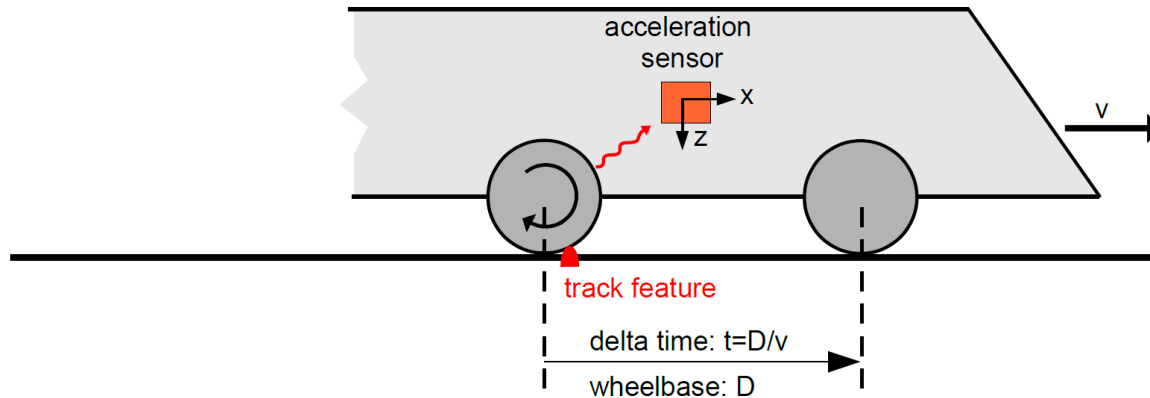
- Now: speed is known (odometer / GPS)
- Application: **Monitoring the wheels**
- Train's datasheet: 0.78 m for used wheels, 0.84m for new wheels
  - first harmonic  $f_1$  at 150km/h: new wheel 15.8Hz, end-of-life wheel: 17.0 Hz



- Here: “snapshot in time”



# Application: Localization



- Signal preprocessing
  - transformation from time to spatial samples (known speed) by interpolation:

$$A(s) = f_{\text{interp}}(k, A(k), s)$$

- **Matched filter: 2 Dirac-Delta** functions with distance of wheelbase  $D$  (4.7m)

$$\tilde{A}(s) = f_{\text{MF}}(A(s))$$

- Removing the phase information (better S/N): computing the signal envelope:

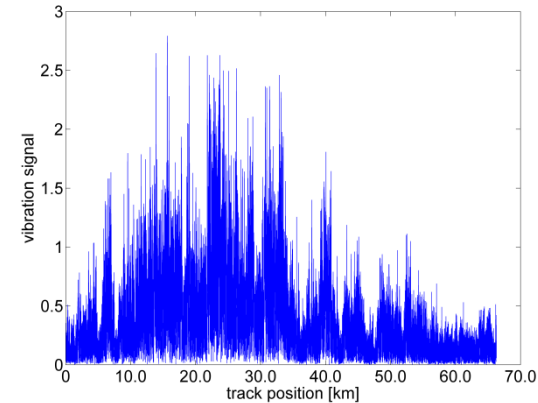
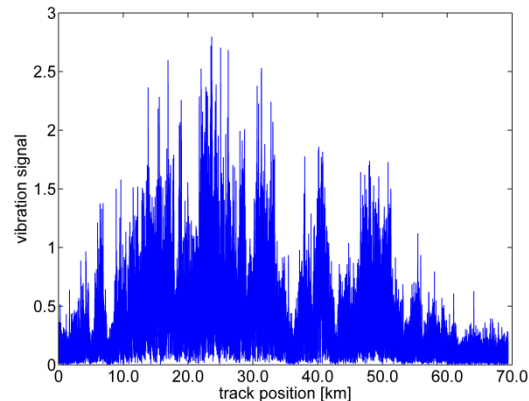
$$\hat{A}(s) = |\tilde{A}(s) + j \cdot f_{\text{Hilbert}}(\tilde{A}(s))|$$





# Localization Processing

## 1. Prior track map recording:



## 2. Correlation of hypothetical signal (from map) and measured signal:

$$C_{\text{hypo}}(s) = \sum_{m=1}^L \left( \hat{Z}_{\text{path}}(m) \cdot \hat{A}_{\text{hypo}}(s + m) \right)$$

## 3. Localization computation

- Track: search for the hypothesis with the highest correlation

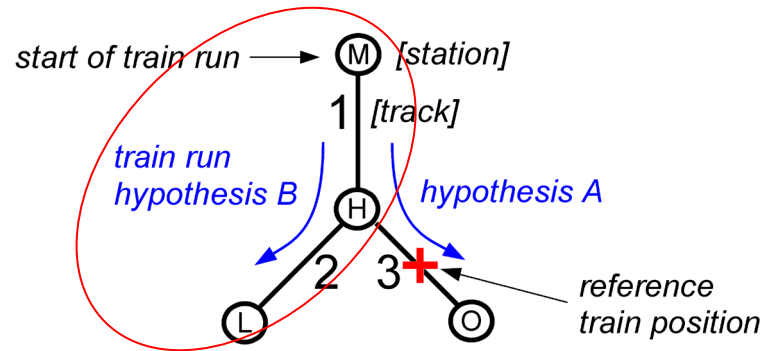
$$C_{\text{ML}} = \arg \max_{\text{hypo}} \tilde{C}_{\text{hypo}}(s)$$

- Track position: peak position

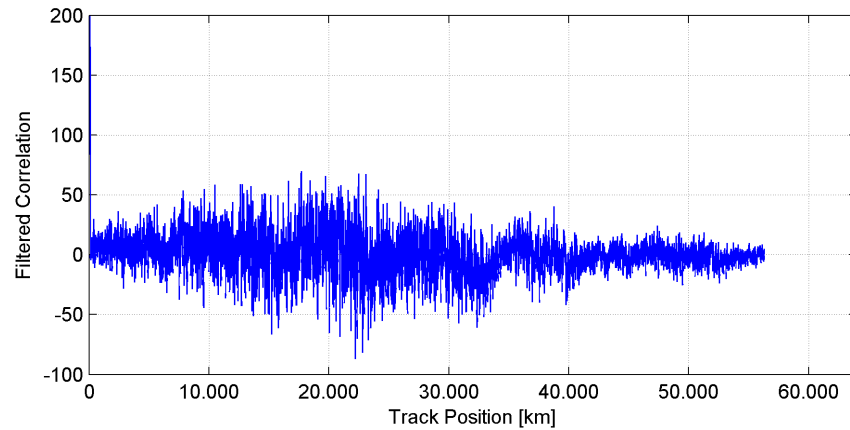
$$\tilde{s} = \arg \max_s \tilde{C}_{\text{ML}}(s)$$



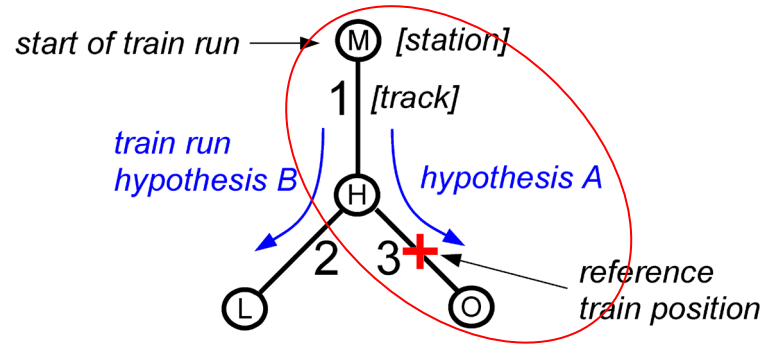
# Localization results



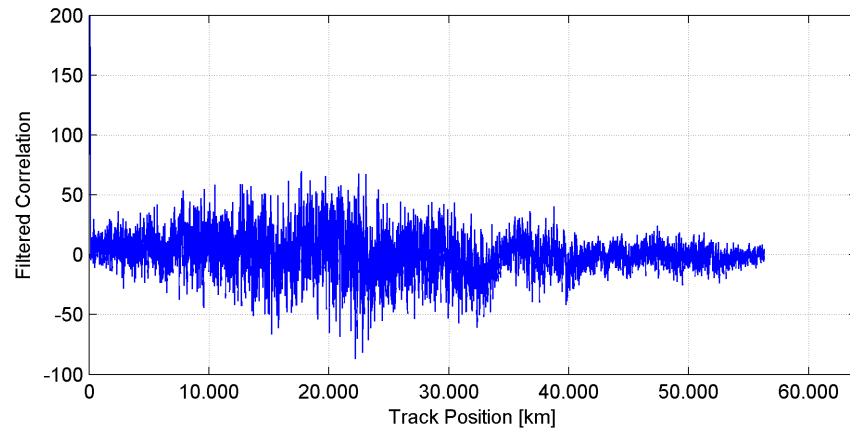
wrong hypothesis



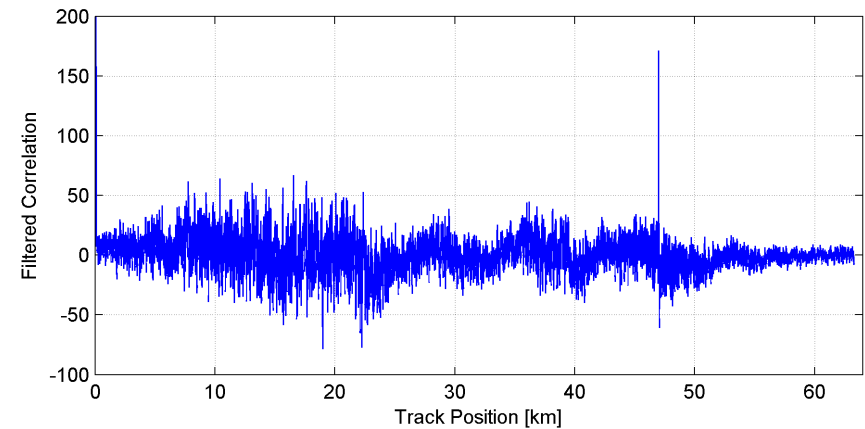
# Localization results



wrong hypothesis



correct hypothesis

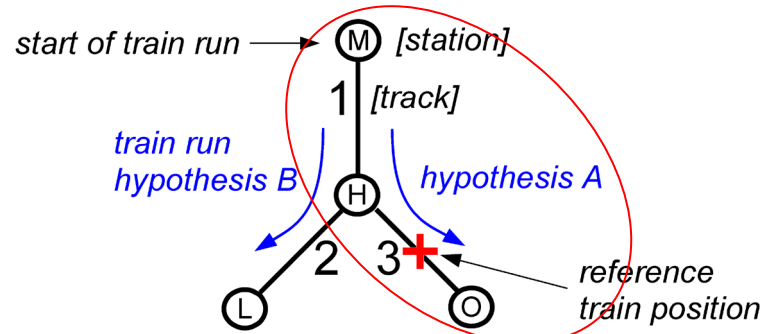


Snapshot in time, no prior knowledge of past position !

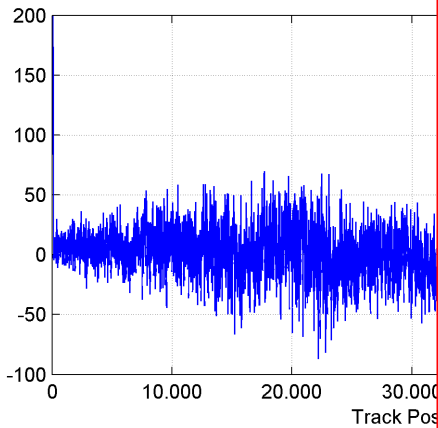




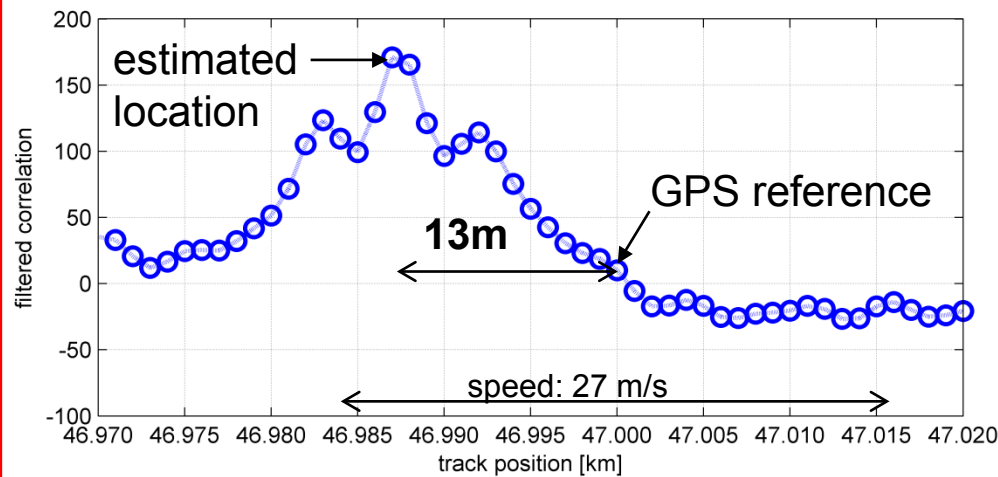
# Localization results



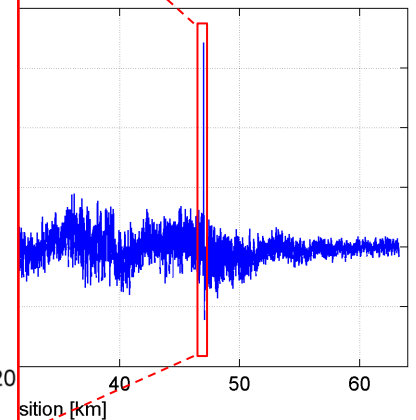
wrong hypothesis



Zoom



right hypothesis



Snapshot in time, no prior knowledge of past position !



# Key benefits

- **independency** from other measurements (e.g. GNSS, low frequent IMU, Camera)
- **absolute vehicle speed and localization for track-selective localization**
- **augment** strapdown navigation approaches, IMU bias observation
- add-on to navigation systems: no additional hardware required, **low cost approach**
- **low installation complexity & high installation flexibility**



# Approach of vibration navigation

- Approach by accident
  - over-head rack measurements
  - first approach: snap-shot speed/location estimation
- Future: Measurement improvements
  - enhanced **pre-filter**
  - optimized **sensor placing**
  - **higher sampling frequency**
- Future: Algorithmic improvements (FUSION'14+):
  - Advanced **algorithms for speed** estimation
  - **Tracking** of the **speed** hypothesis and **position**
  - **Multisensory fusion** (GPS, IMU, Vibration method)





## Summary and conclusions

- Vertical mounted acceleration sensor shows horizontal speed dependency in frequency domain
- We presented an approach and a proof of concept for:
  - absolute speed computation
  - wheel size monitoring
  - absolute, track selective location computation
- Matched filter (wheelbase) is the key for using vibrations for localization
- It was possible to compute speed and location from a over-head rack mounted sensor



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*„One man's noise is another man's data“,  
B. Parkinson (GPS chief architect)*



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