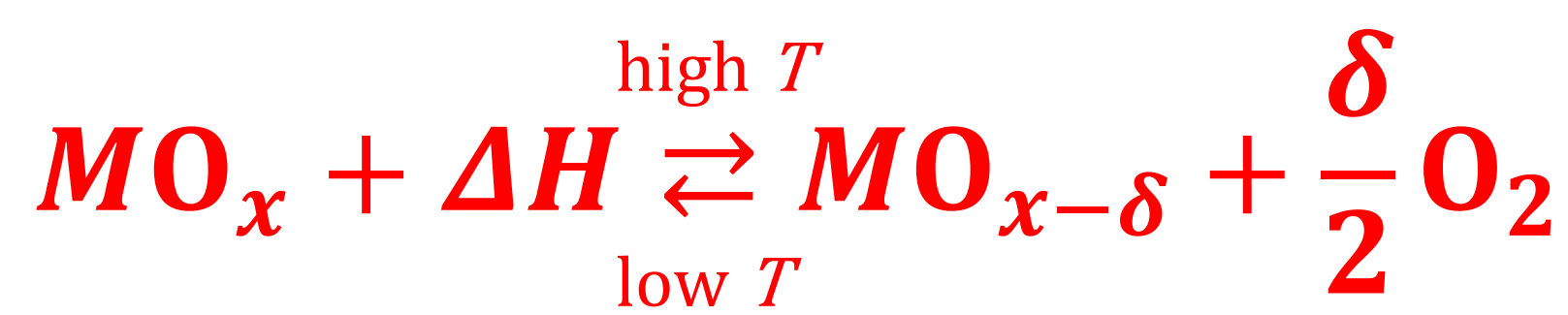
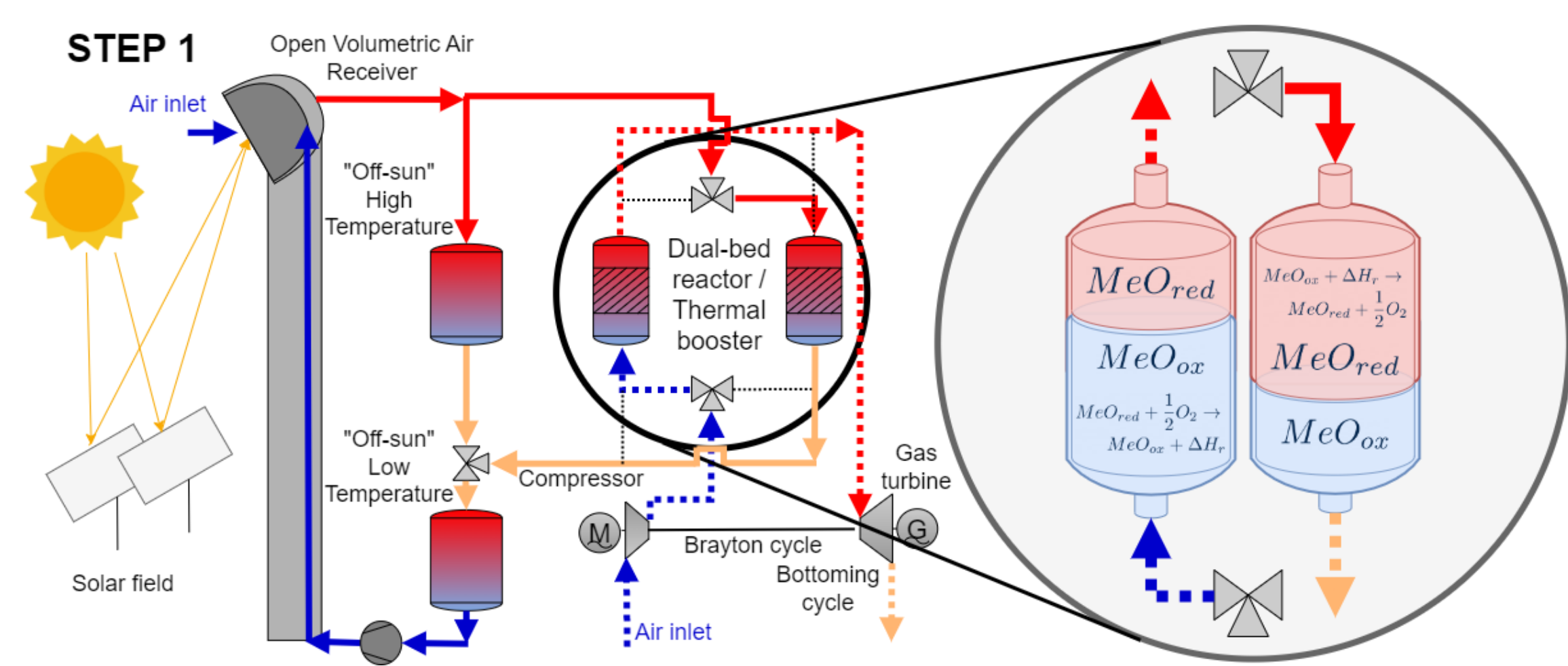


# In Silico Materials Screening for Thermochemical Looping Applications Using Direct and Indirect Property Prediction Methods

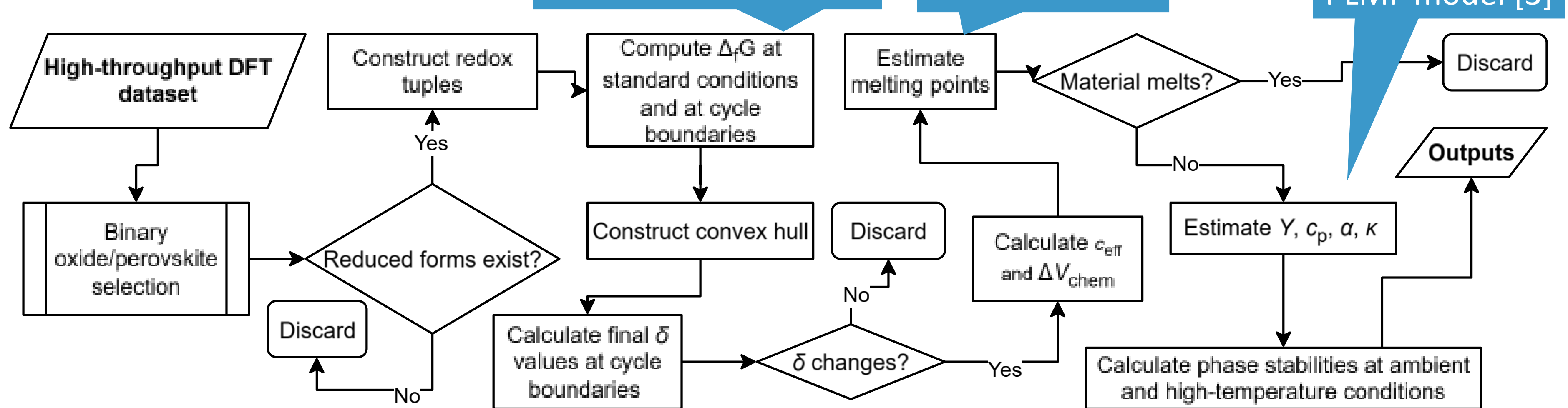
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**Summary:** We use direct and indirect property prediction methods reported in literature to computationally assess the chemical and physical properties of metal oxides relevant for thermochemical looping applications in a high-throughput manner. The results serve as starting points for further computational or experimental validation of the identified compounds.

## Oxide material selection for thermochemical heat storage



### Direct screening approach



In silico screening results using Materials Project [4] data for binary oxides heated and cooled between 300°C and 1200°C in air.

	Heat Formula stored, J/K/g	ΔV, %	Melting Point, °C	Young's modulus, GPa	Thermal conductivity, W/m/k	Stability @ RT, $k_B T/\text{atom}$	Stability @ 1200°C, $k_B T/\text{atom}$
PdO <sub>2</sub>	1.17	0	1802	201	2.91	1.54	0.02
MnO <sub>2</sub>	1.02	-17	1046	193	2.91	0.00	0.00
CoO <sub>2</sub>	0.97	-10	2024	109	3.28	0.00	0.37
BaO <sub>2</sub>	0.89	2	1639	293	2.98	0.00	0.00
PtO <sub>2</sub>	0.78	19	1612	190	2.55	0.00	0.07
Sb <sub>2</sub> O <sub>5</sub>	0.72	-4	1337	239	2.92	0.00	0.00

**Goal:** Identify metal oxide materials which can store maximum amount of sensible heat + chemical heat via a reversible redox reaction in an oxygen-containing atmosphere

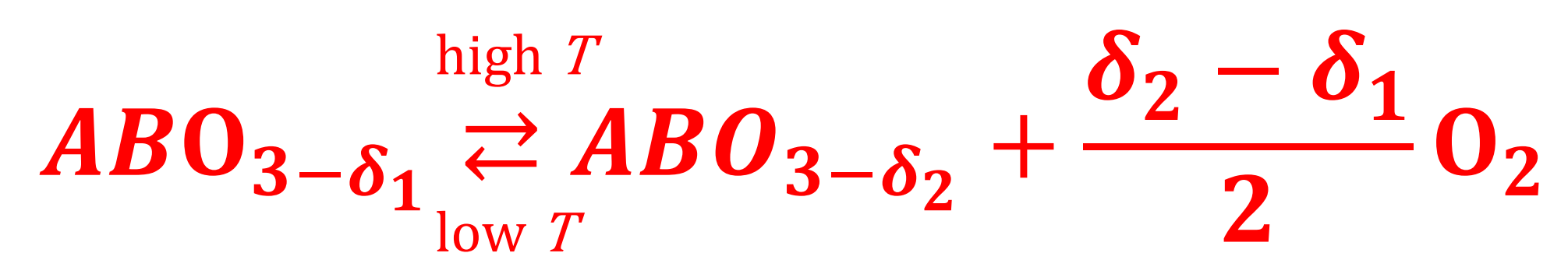
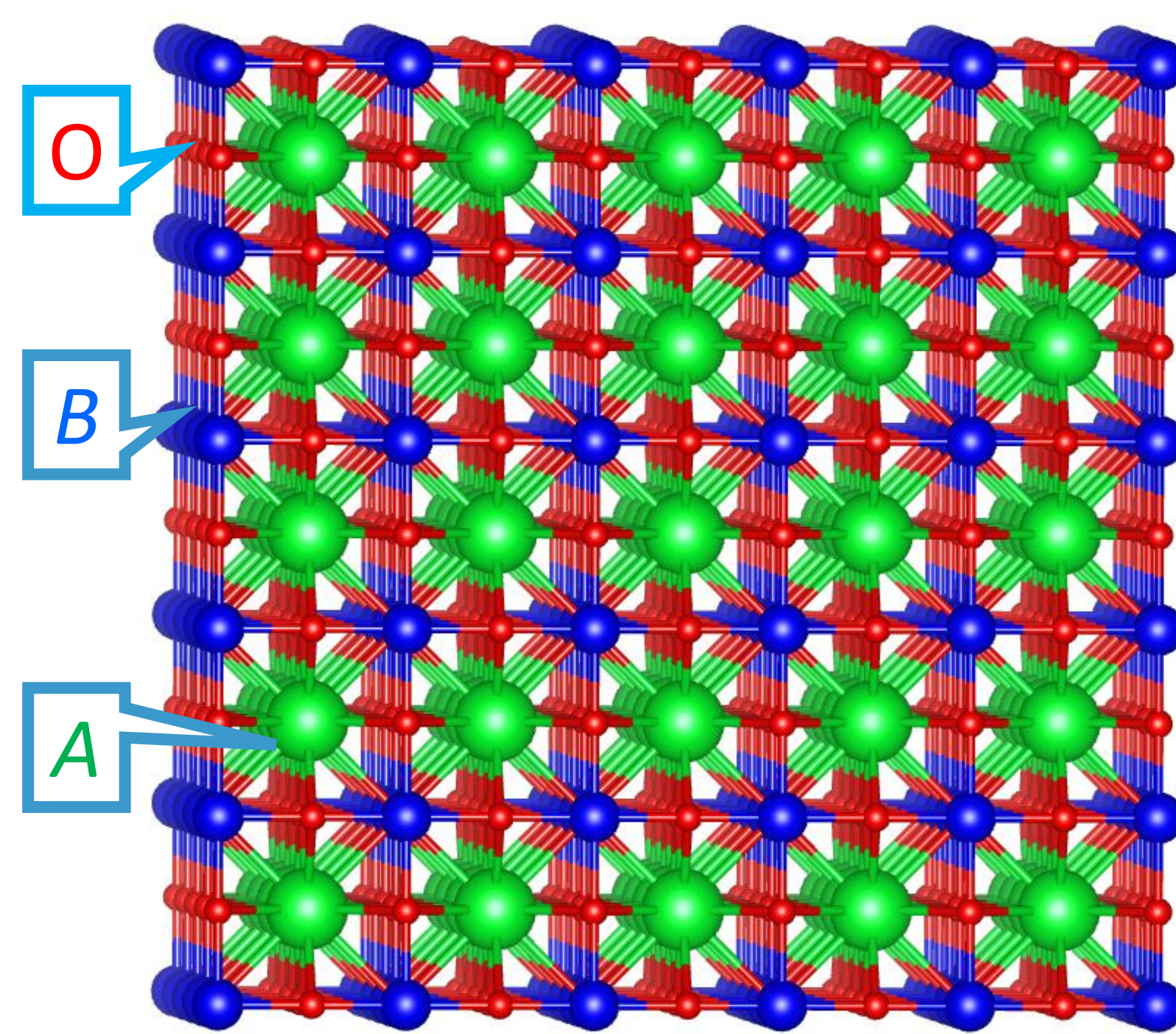
### Boundary conditions:

- Specific stoichiometry/structure, e.g. binary oxides or perovskite oxides
- Stable oxide ceramic bodies during cyclic operation
- Low cyclic expansion/contraction
- High thermal conductivity

## Perovskite oxides for chemical looping air separation (CLAS)

### Direct and indirect property prediction methods

Material property predictions using machine learning models can be performed directly by inferring them from simple properties like structure, composition etc. or indirectly by explicitly calculating them using machine-learned interatomic force fields (MLIFFs).



**Goal:** Identify materials which can remove maximum amount of oxygen from gas phase per mass

### Boundary conditions:

- Perovskite oxide structures  $ABO_3$
- Partial reduction mechanism via oxygen vacancies
- Reduced materials have to be reactive at low  $O_2$  partial pressures  $p_{O_2}$

SolaGrAm project:



### Indirect screening approach

- Select stable perovskite oxide candidate structures containing only non-critical elements from structure database
- Create simulation cells with at least **500 atoms**, i.e.  $\Delta_{\min} \delta \leq 0.01$
- For each perovskite, remove O atoms up to  $\delta = 0.5$ , i.e. **at least 50  $ABO_{3-\delta}$  structures**
- Calculate **Gibbs energy changes** for reduction reactions using **Orb MLIFF** [5] energy differences and experimental entropy and enthalpy terms for  $O_2$
- Calculate **equilibrium  $\delta$  values** for different temperatures and  $p_{O_2}$

High-throughput MLIFF calculation results for CLAS perovskite materials cycled between (1)  $p_{O_2} = 10^{-5}$  bar and  $T = 350^\circ\text{C}$ , (2)  $p_{O_2} = 0.21$  bar and  $T = 700^\circ\text{C}$  with Materials Project [4] starting structures.

Composition	$\delta_1$	$\delta_2$	$\Delta\delta$	OSC, $10^{-5}$ mol/g
Sr <sub>0.75</sub> Mg <sub>0.25</sub> MnO <sub>3</sub>	0.023	0.297	0.273	156
SrFeO <sub>3</sub>	0.230	0.430	0.200	104
Sr <sub>0.75</sub> Ca <sub>0.25</sub> Mn <sub>0.125</sub> Fe <sub>0.875</sub> O <sub>3</sub>	0.229	0.410	0.181	101
SrCe <sub>0.5</sub> Fe <sub>0.5</sub> O <sub>3</sub>	0.008	0.242	0.234	100
Ba <sub>0.5</sub> Sr <sub>0.5</sub> FeO <sub>3</sub>	0.203	0.414	0.211	98
Ba <sub>0.125</sub> Sr <sub>0.875</sub> Mn <sub>0.125</sub> Fe <sub>0.875</sub> O <sub>3</sub>	0.167	0.354	0.188	95
CaFeO <sub>3</sub>	0.250	0.370	0.120	84
Sr <sub>0.75</sub> Ca <sub>0.25</sub> Mn <sub>0.375</sub> Fe <sub>0.625</sub> O <sub>3</sub>	0.174	0.319	0.146	81
La <sub>0.5</sub> Mg <sub>0.5</sub> Fe <sub>0.5</sub> Cu <sub>0.5</sub> O <sub>3</sub>	0.241	0.389	0.148	78
Ca <sub>0.5</sub> La <sub>0.5</sub> Fe <sub>0.5</sub> Cu <sub>0.5</sub> O <sub>3</sub>	0.148	0.287	0.139	70
...				

$$OSC = \frac{n_{O_2}}{m_{ABO_3}}$$

### References

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- [2] Q. Hong et al. *Proc. Natl. Acad. Sci. U.S.A.* **119** e2209630119 (2022).
- [3] O. Isayev et al. *Nat Commun* **8** 15679 (2017).
- [4] A. Jain et al. *APL Mater.* **1** 011002 (2013).
- [5] M. Neumann et al. arXiv:2410.22570 [cond-mat.mtrl-sci]