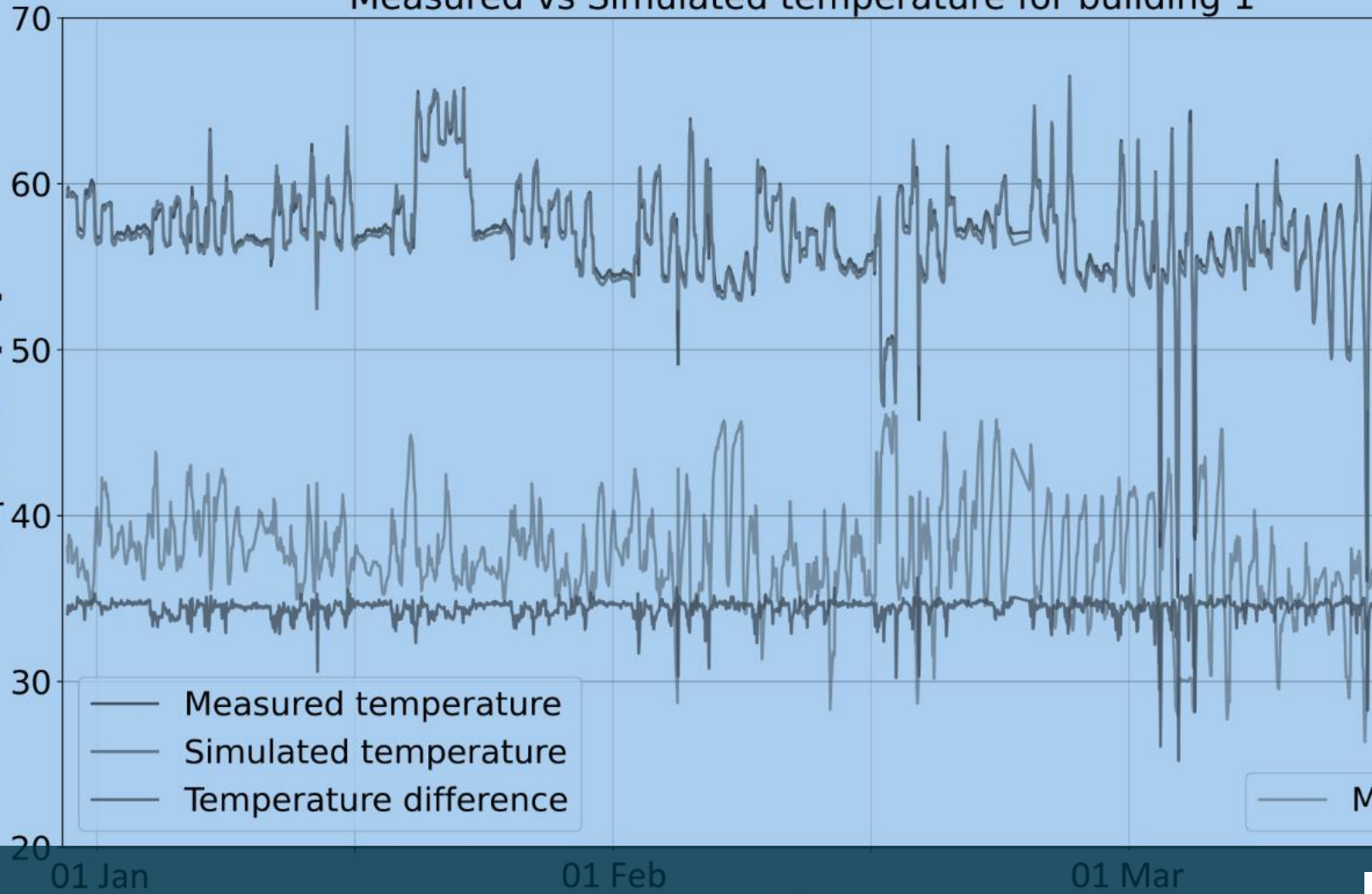


Modelling of district heating networks at DLR-VE

Diana Maldonado, Nachiket Gaikwad, Patrik Schönfeldt, Sunke Schlüters



Measured vs Simulated temperature for building 1

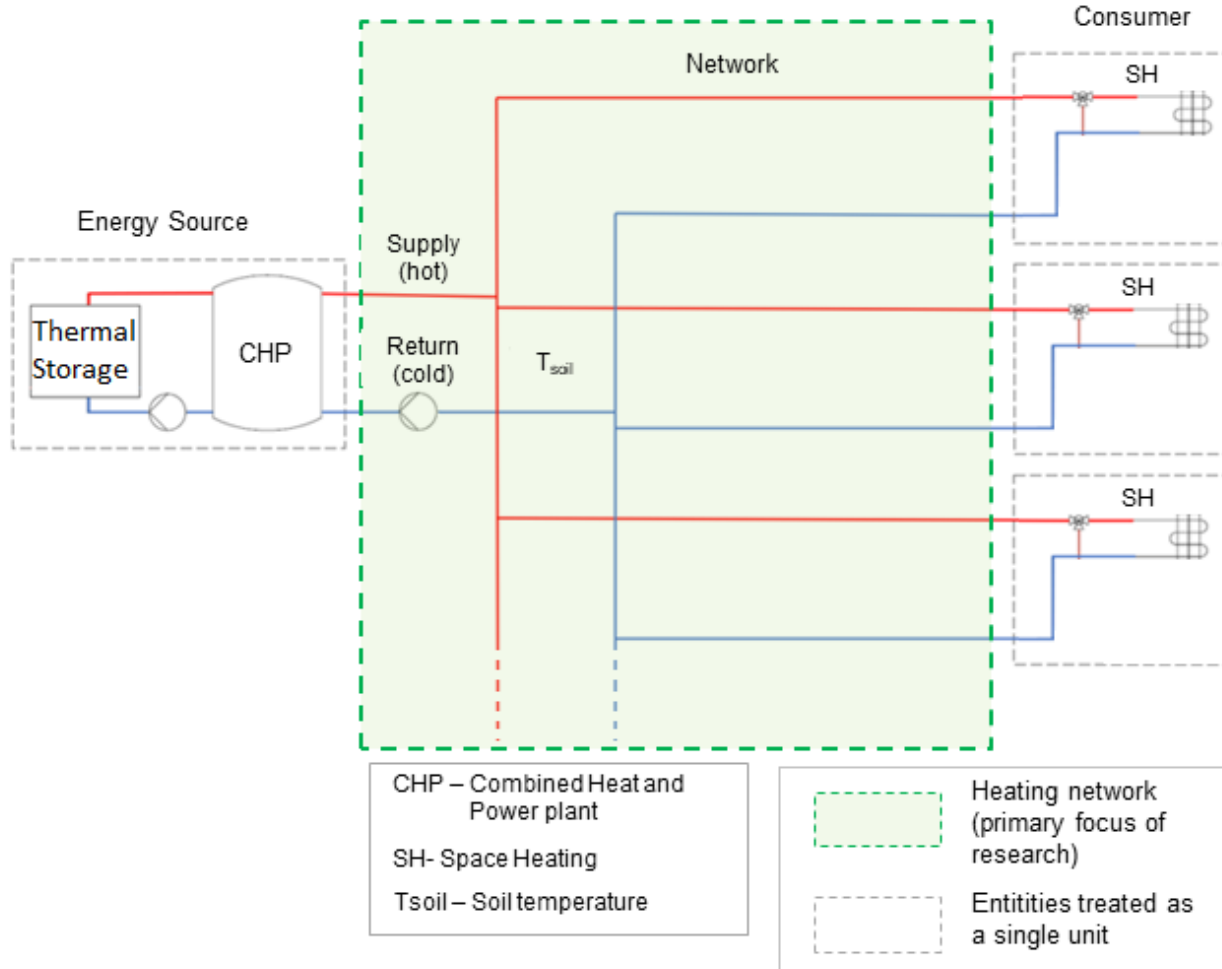


Modelling and Validation



tespy ['tɛs.pai]
open energy modelling framework

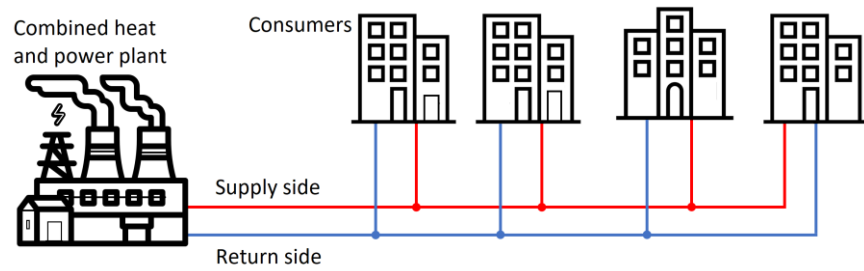
Focus and scope:



- **Main focus:**
 - Heating network
 - Thermal performance
- **Consumer:** Individual heat exchangers
- **Energy source:** Source + sink

Modelling of existing HTDN

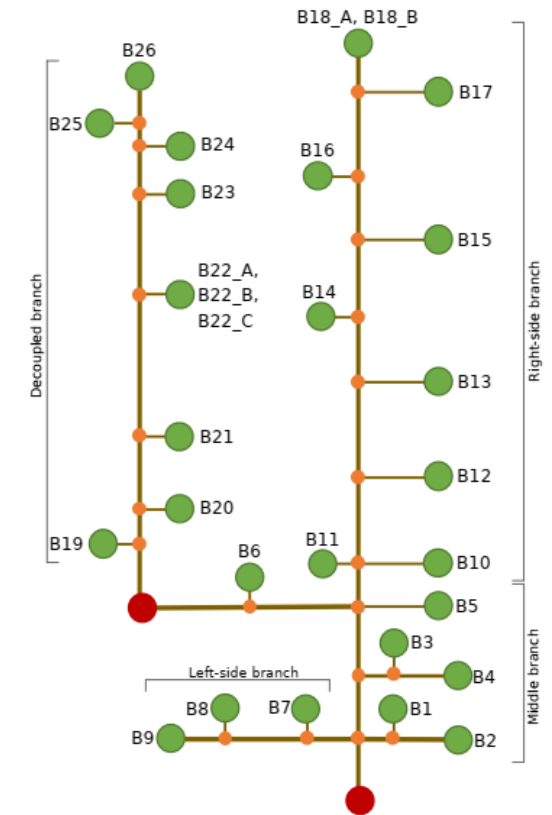
Typical DH network



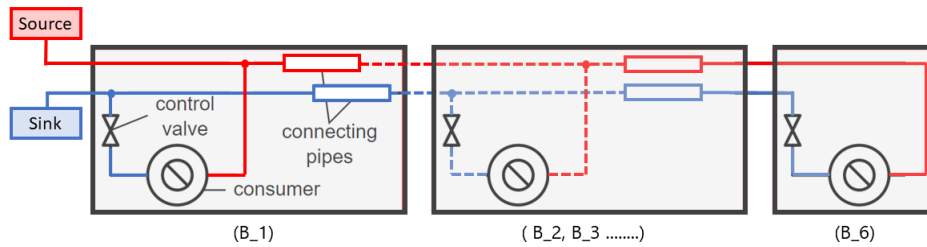
HTDN under study



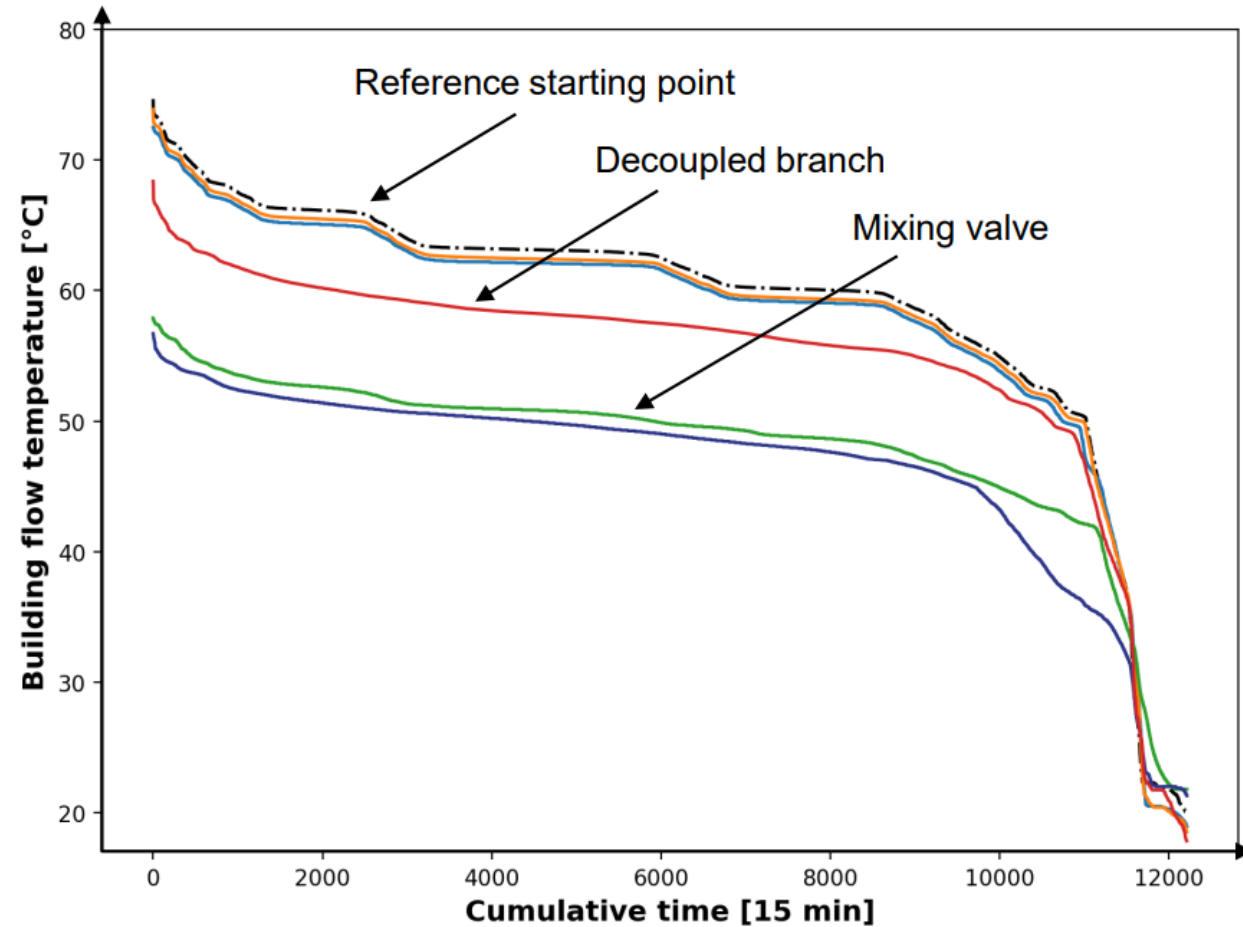
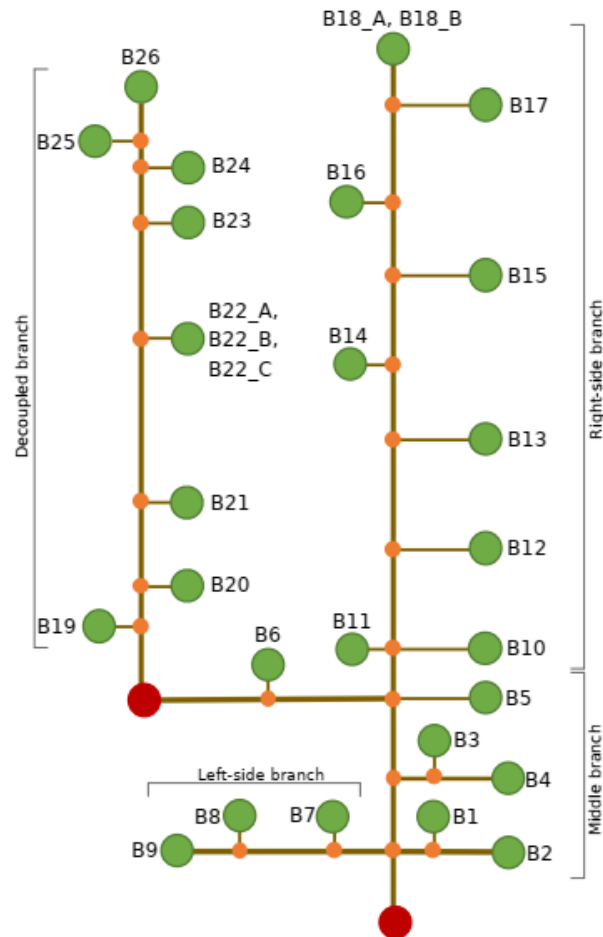
Network diagram



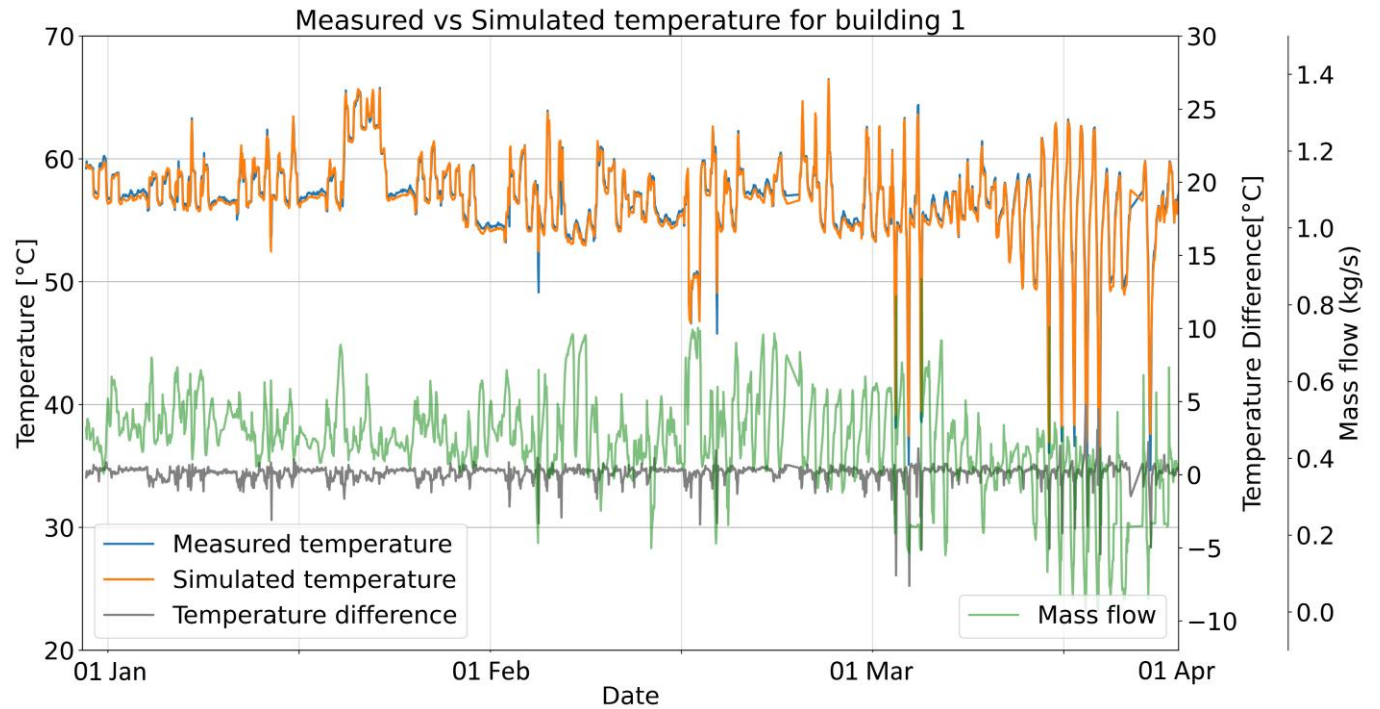
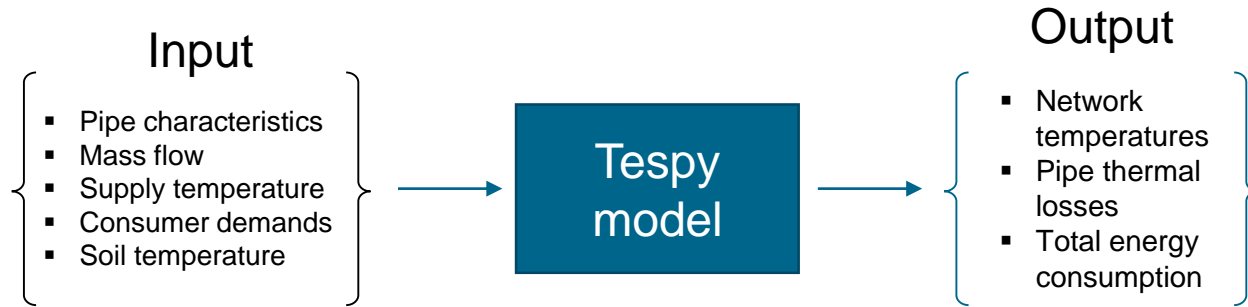
DHN modelled in TESPpy



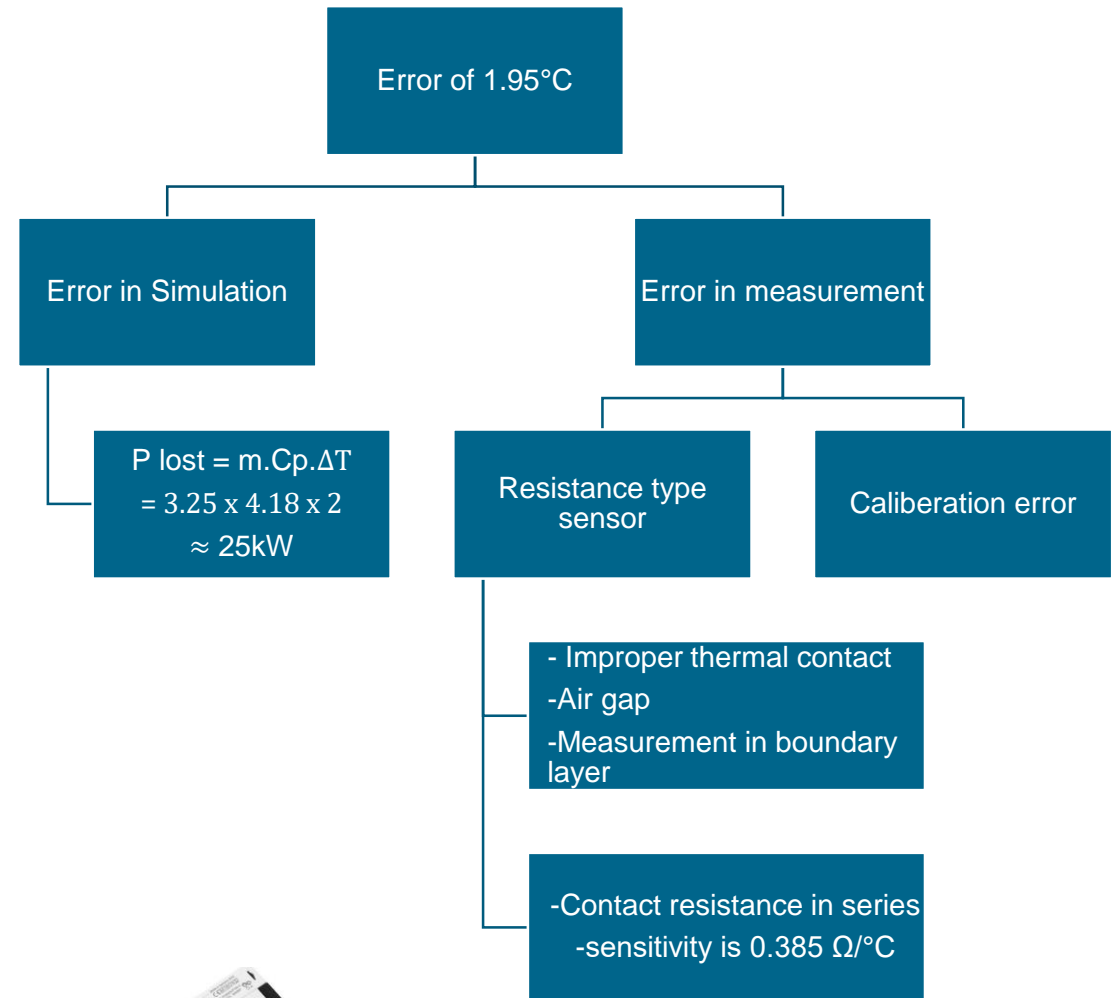
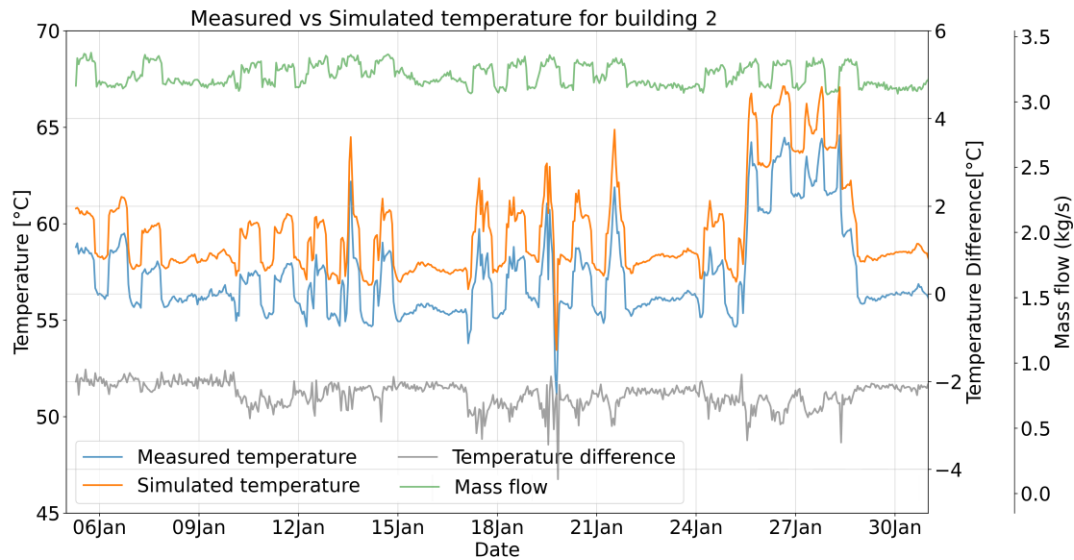
First glance at available data



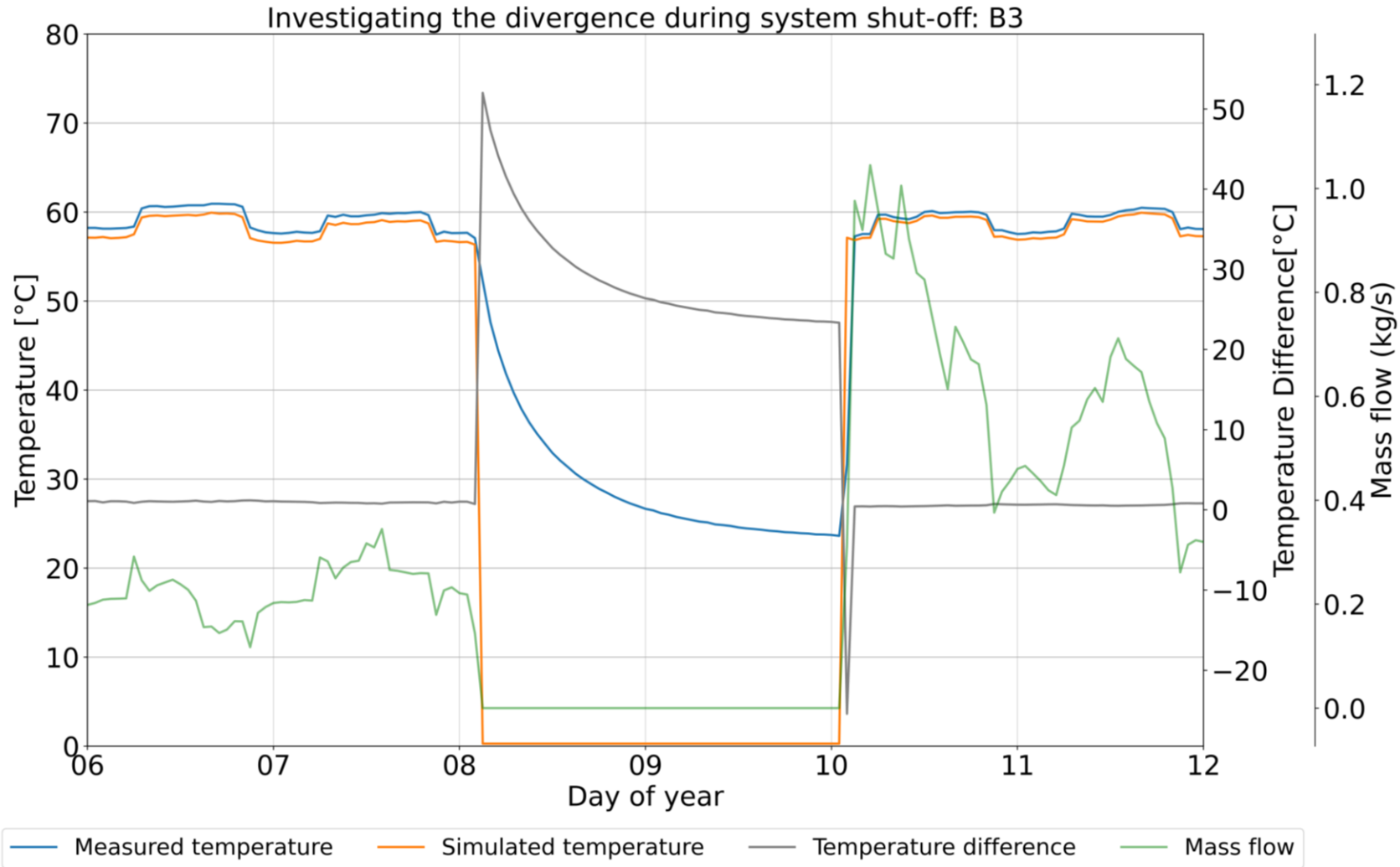
Initial results



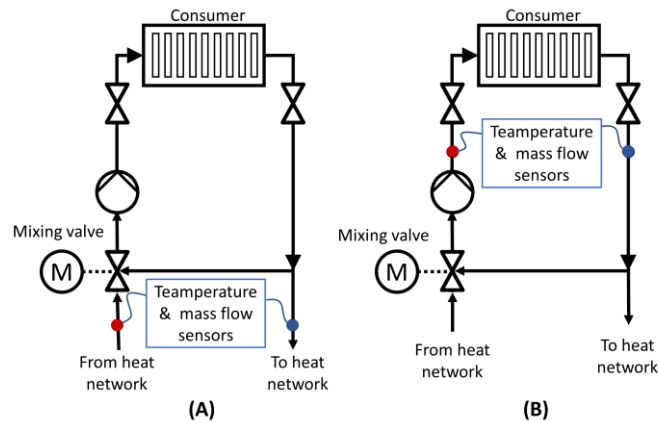
Analysing the error for building 2:



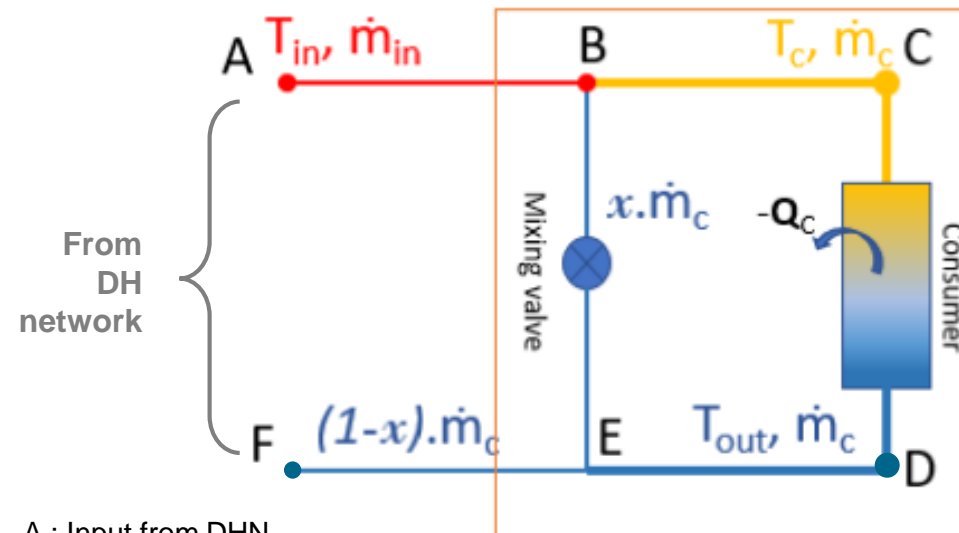
System shutoff: (Effect of thermal inertia)



Modelling of adiabatic mixing valves



Calculation for return-mixed-buildings



A : Input from DHN
C : Location of Meter

Assumptions:

$T_{in} \approx$ input of previous building

Mass balance: @B

$$\dot{m}_c = \dot{m}_{in} + x \cdot \dot{m}_c$$

Energy balance: @B

$$h_{in} \cdot \dot{m}_{in} + h_{out} x \cdot \dot{m}_c = h_e \cdot \dot{m}_c$$

For single phase liquid, $h \propto T$

$$T_{in} \cdot \dot{m}_{in} + T_e x \cdot \dot{m}_c = T_c \cdot \dot{m}_c$$

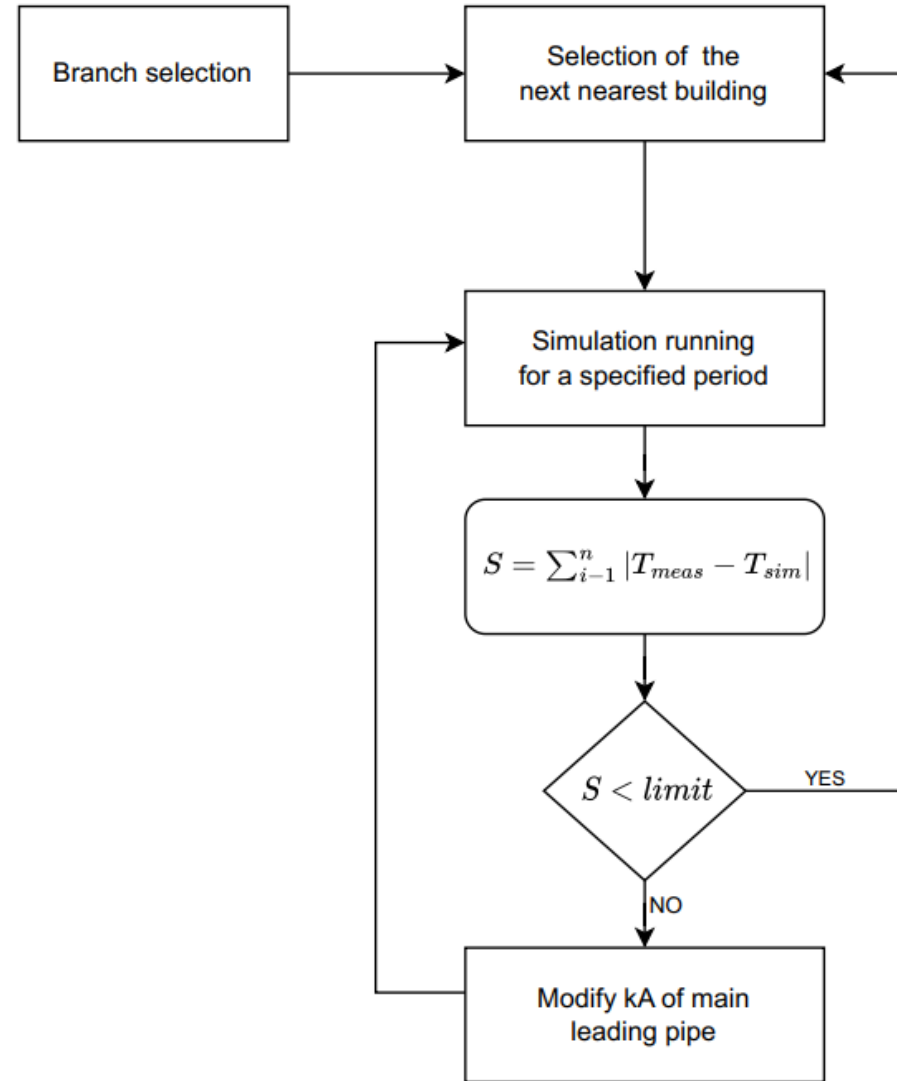
$$x = \frac{(T_c - T_{in})}{(T_{out} - T_{in})}$$

Mixing Valve logic :

$$\text{if } T_{in} > T_{set}, \\ m = x \cdot \dot{m}_c$$

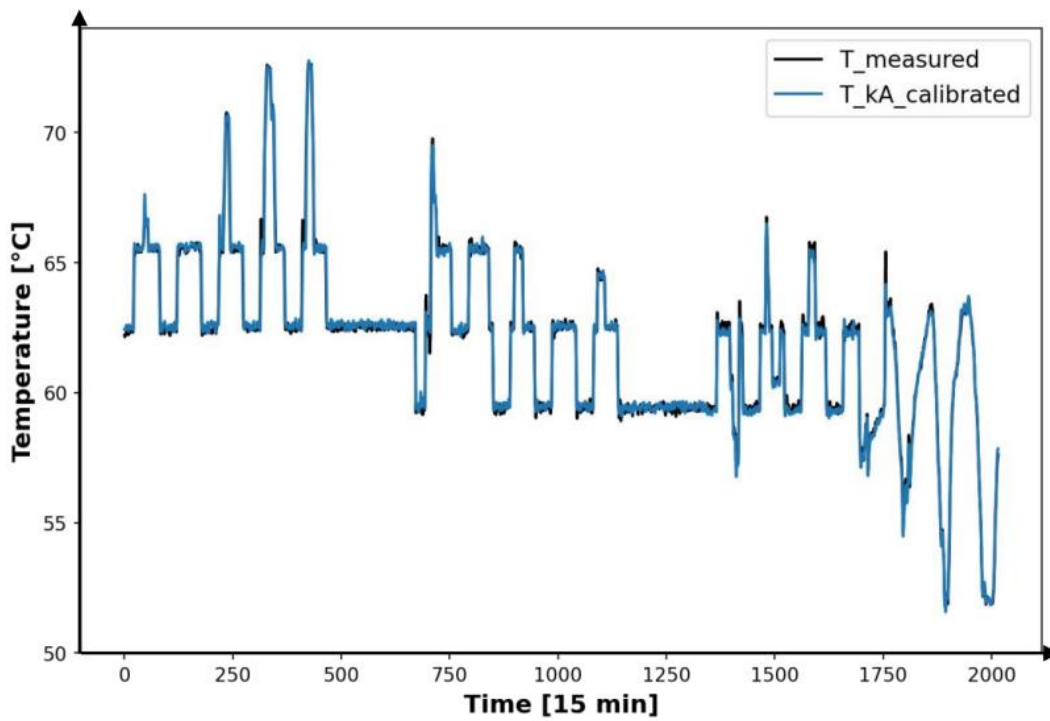
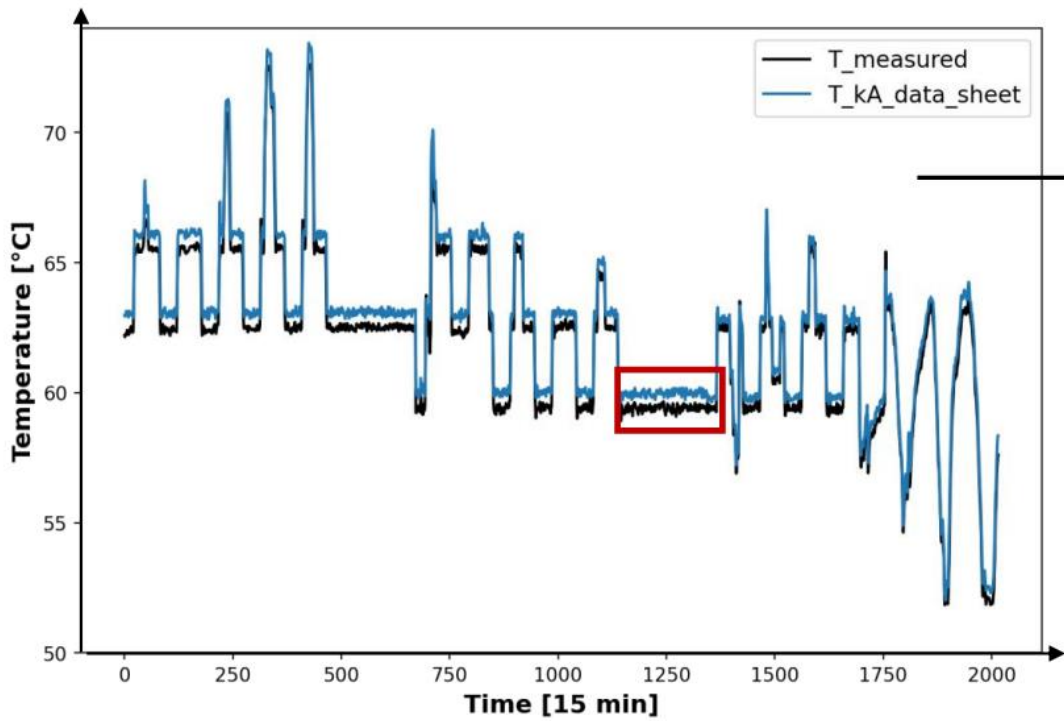
Model calibration

- Calibration parameter: aggregated heat conduction (UA), described by $Q = U \cdot A \cdot \Delta T_{\log}$
- Target parameter: deviation between the measured and the simulated inlet temperature at all consumers (T_{in})
- Simulation period: 12 hours in January (high demand)
- Desired maximum deviation: $0.5 \text{ }^\circ\text{C}$

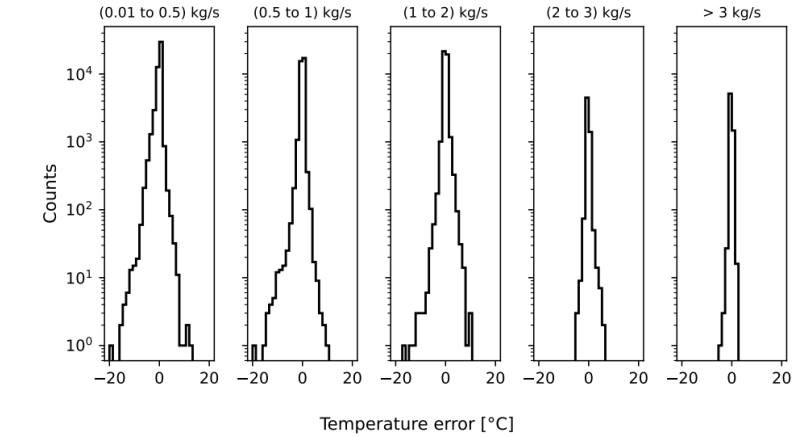
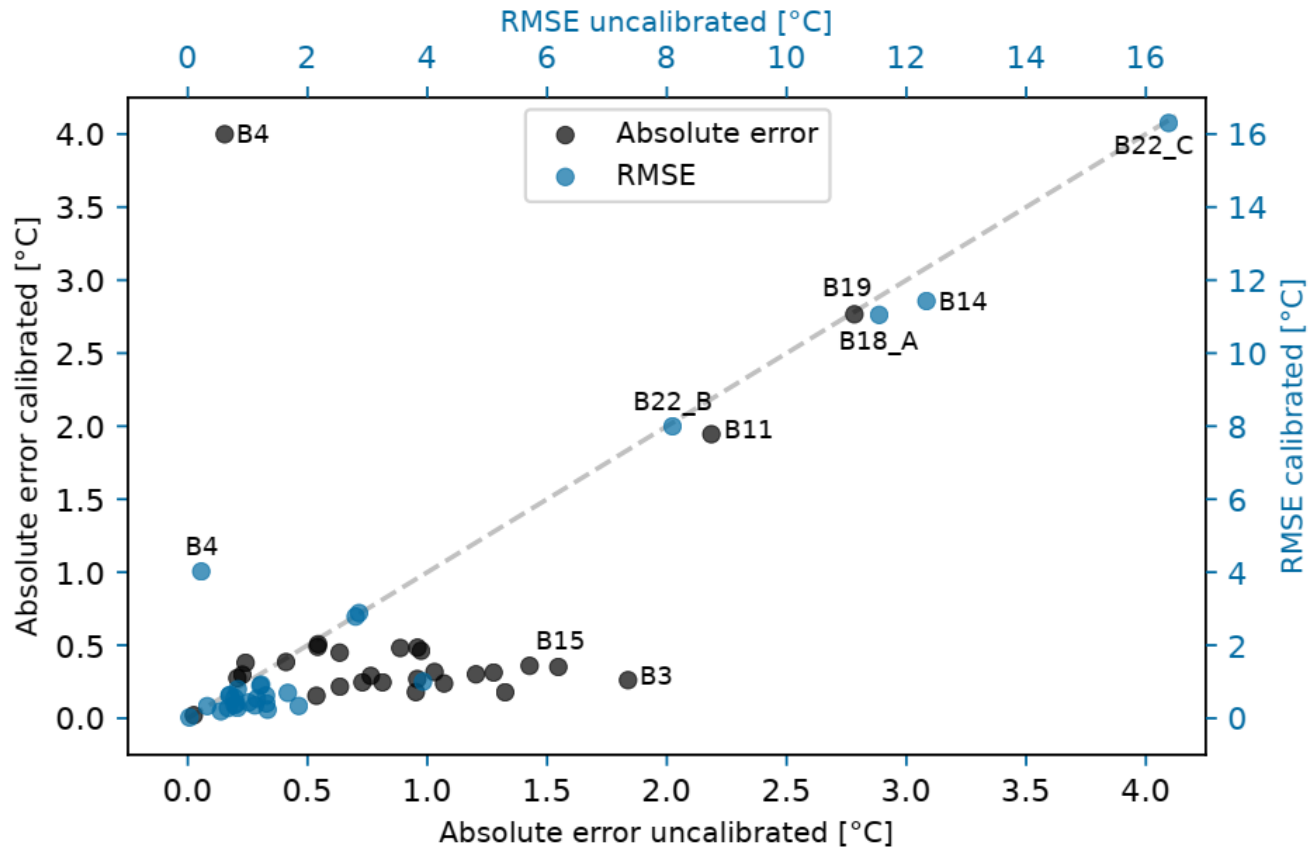


Iterative calibration method based on an specific branch of the system

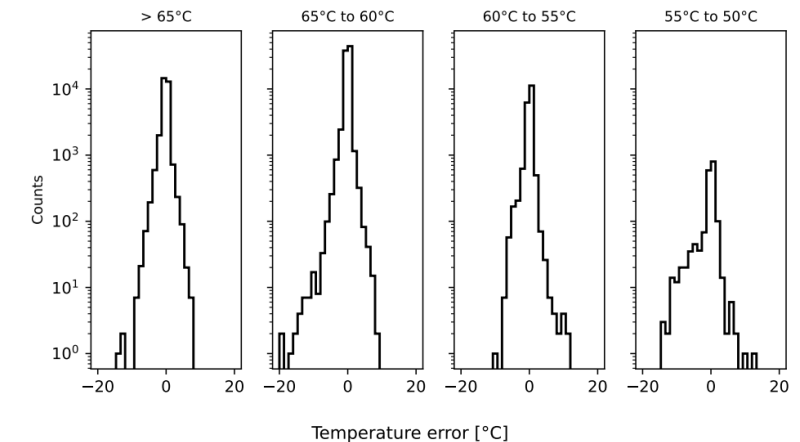
Calibration: Example



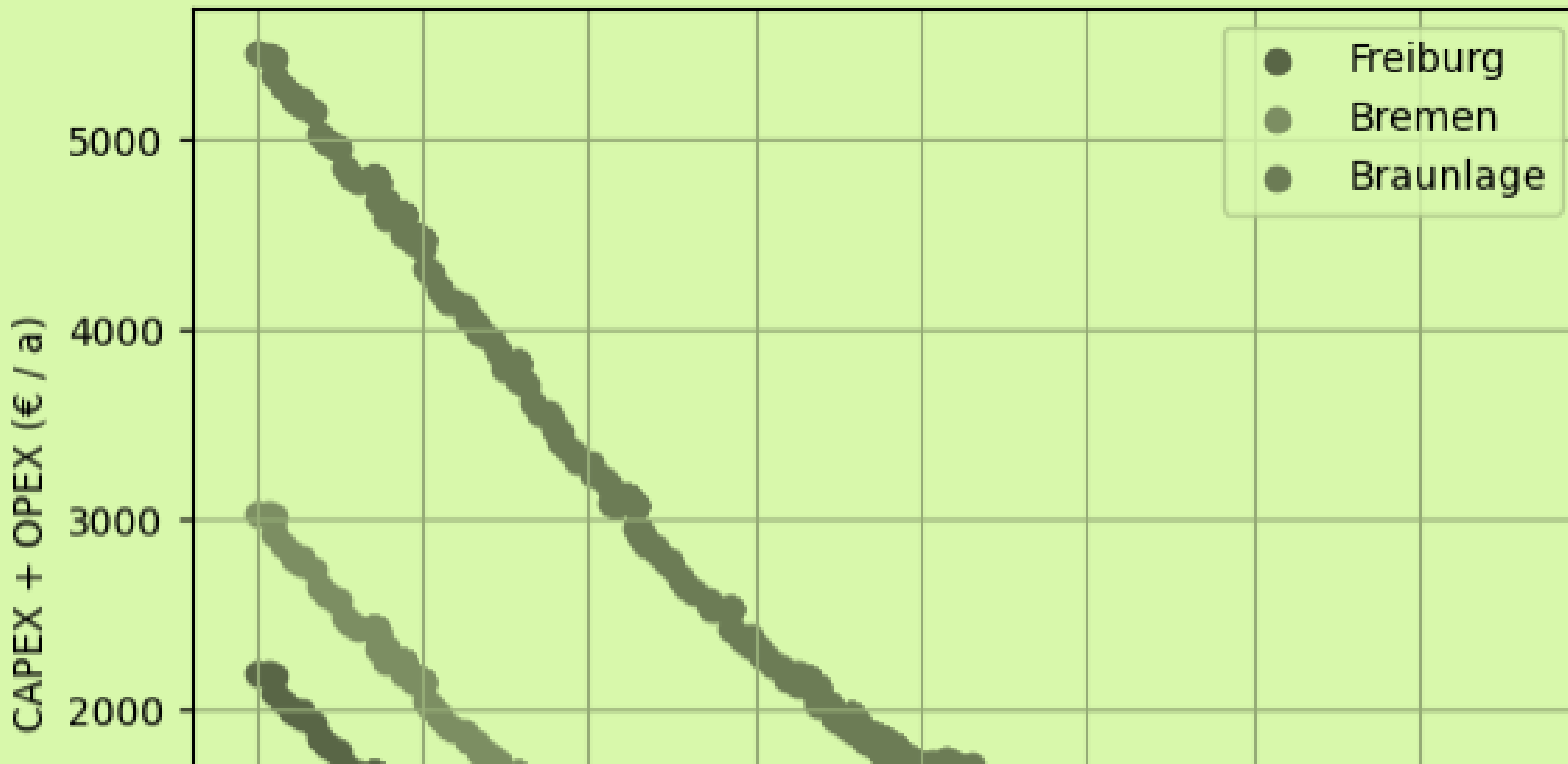
Calibration summary



Temperature error at different mass flow regimes



Temperature error at different inlet temperature regimes



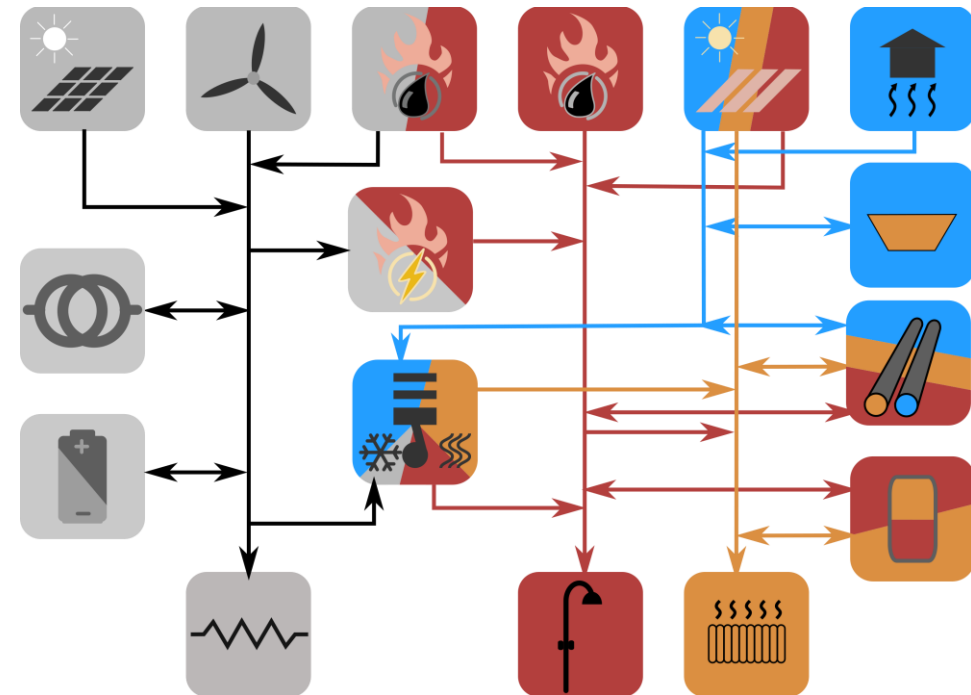
Linear Optimisation



solph ['sɒlv]
open energy modelling framework

Model template for residential energy supply systems (MTRESS)

- Simplified creation of energy system models
- Currently integrates electricity, heat, and gas as energy carriers
- Written in Python, using *oemof.solph*
- Variable selection and dimensioning of components
- Integrates with PyGMO for optimisation of the dimensioning
- Variable time steps allow calculations at different levels of detail



<https://github.com/mtress/mtress>; doi:10.1109/OSMSESS54027.2022.9768967

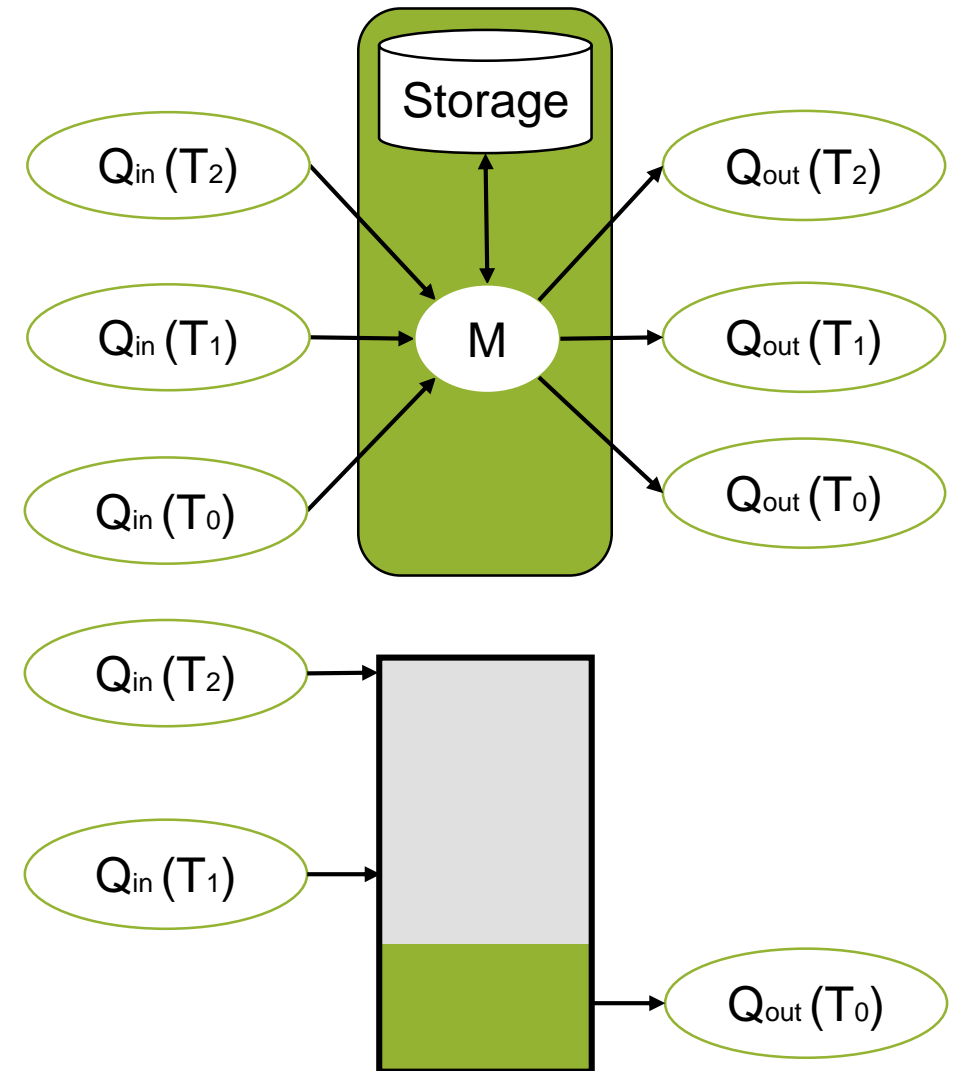
Storage formulations

Single input (and output)

- One active flow per time step
- Storage temperature in next timestep has to be lower than the input level

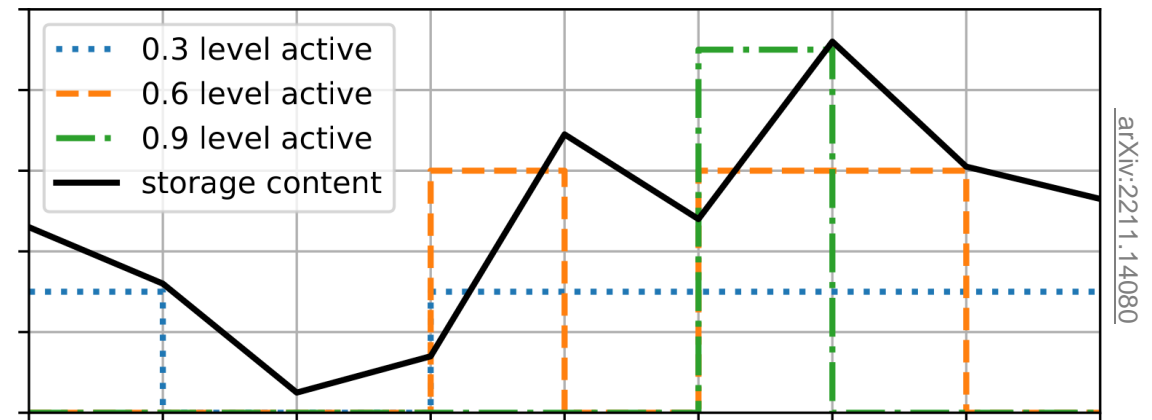
Multiple inputs (and outputs)

- Multiple active flows per time step
- Fully mixed: Energy flow bounded by difference between temperature levels
→ sequential flows
- Layered: Energy flow always allowed
→ parallel flows



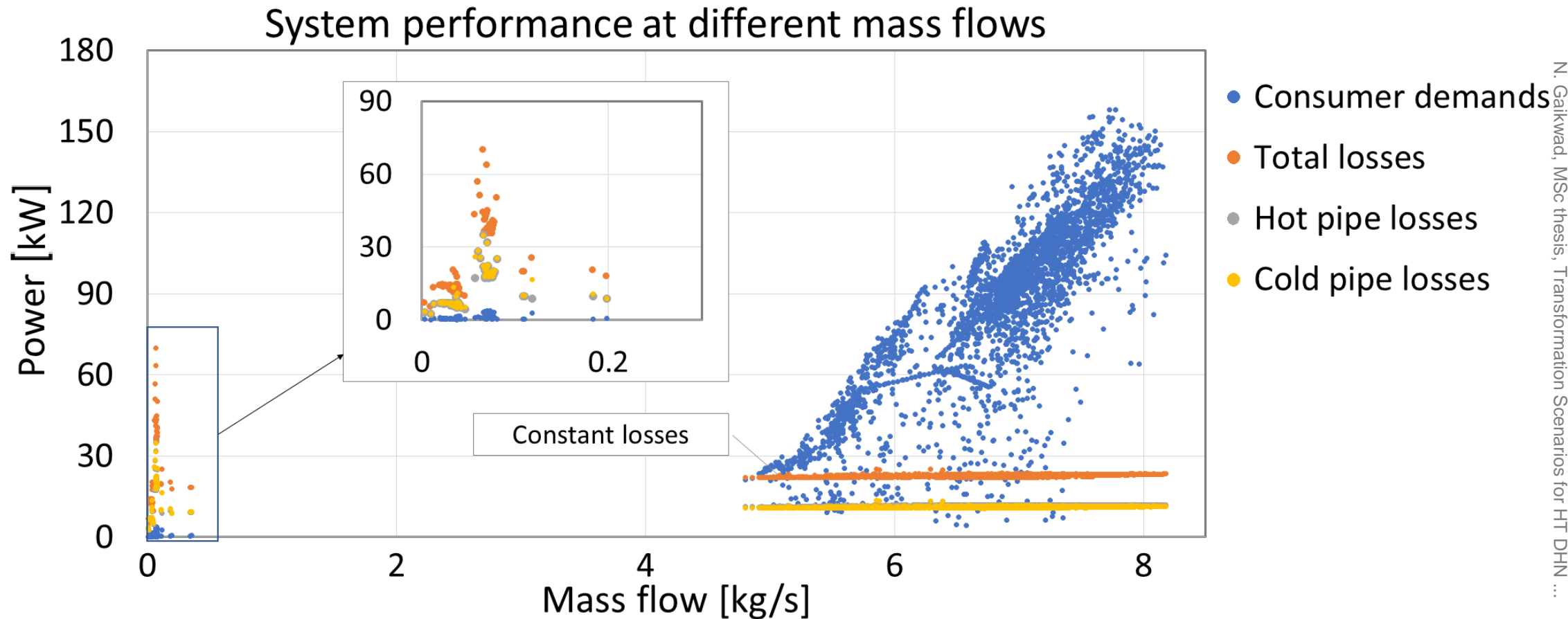
Fully mixed: Supply depending on storage quantity

- Temperature proportional to the stored energy
- For heat storages a layered storage model is reasonable
- The storage level influences the uses of the stored energy, e.g. at low temperatures the energy cannot be used for DHW

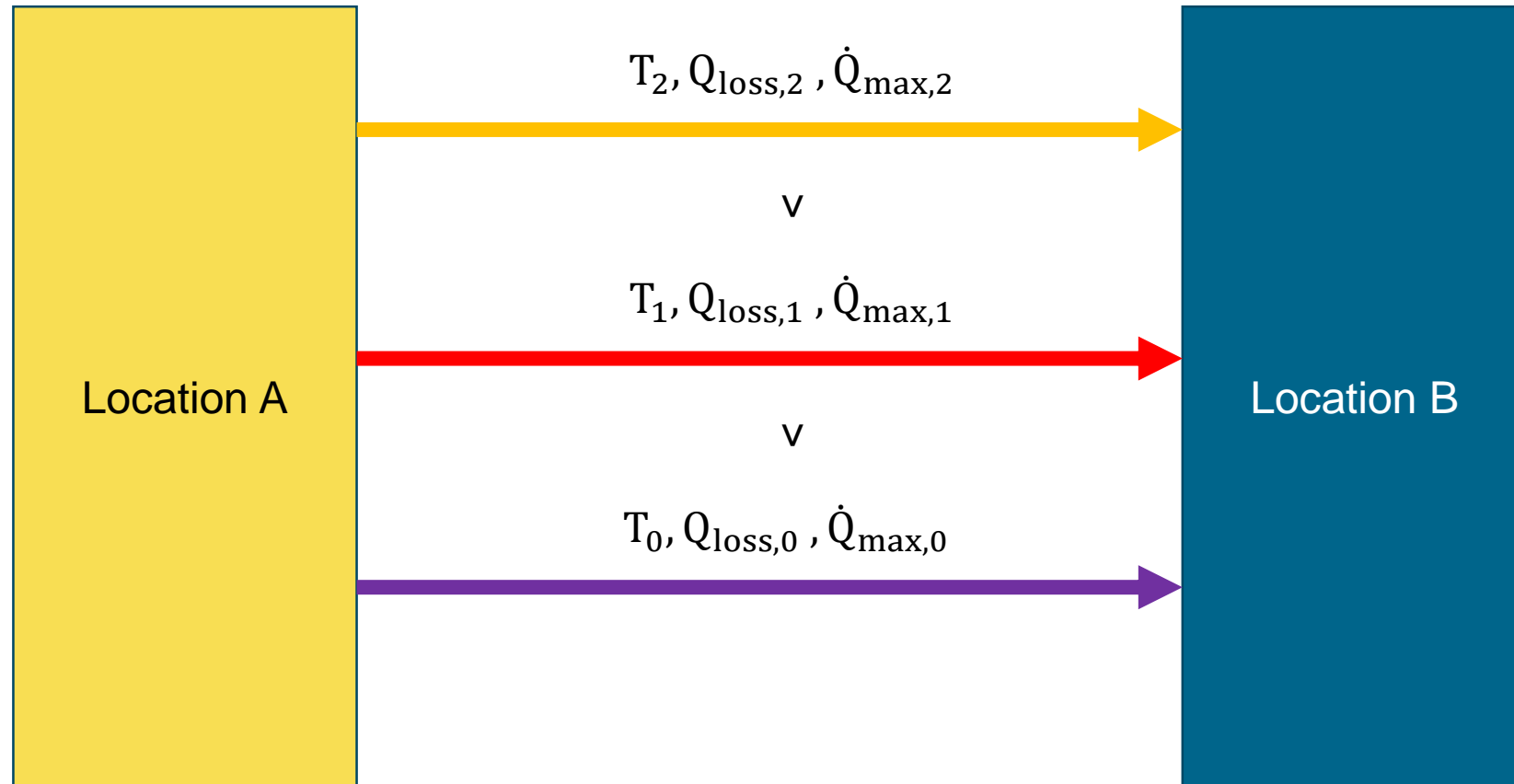


arXiv:2211.14080

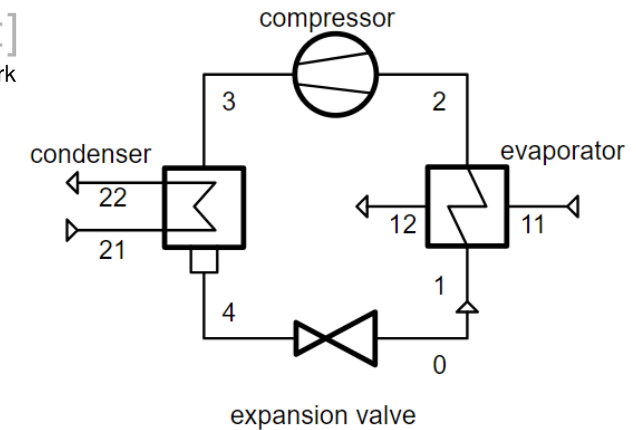
Heat losses in typical networks



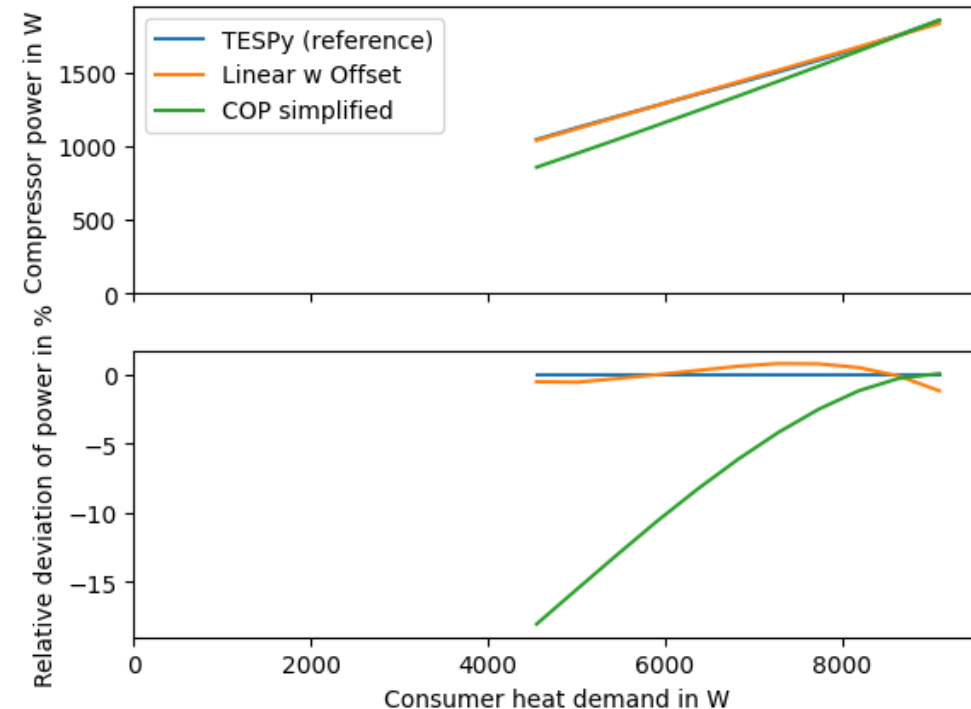
MILP heat network model



MILP formulation of heat pumps with part load efficiency

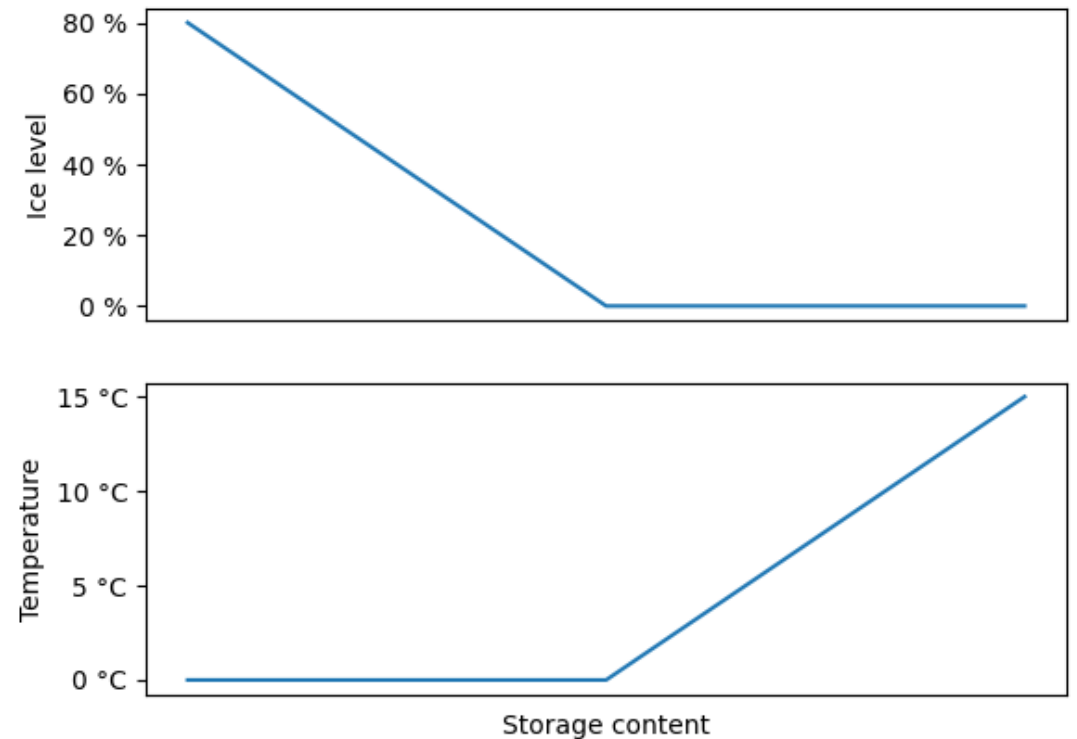


- Mixed-integer linear formulation
 - Constant losses (when active)
 - One binary variable per time step
- Significantly changes operation
 - Part load often outweighs $COP(T)$
 - Energy prices/possibility of own consumption has larger influence
- Limited effect on other results (whole system)
- Not advised for long time horizons (due to much higher complexity)

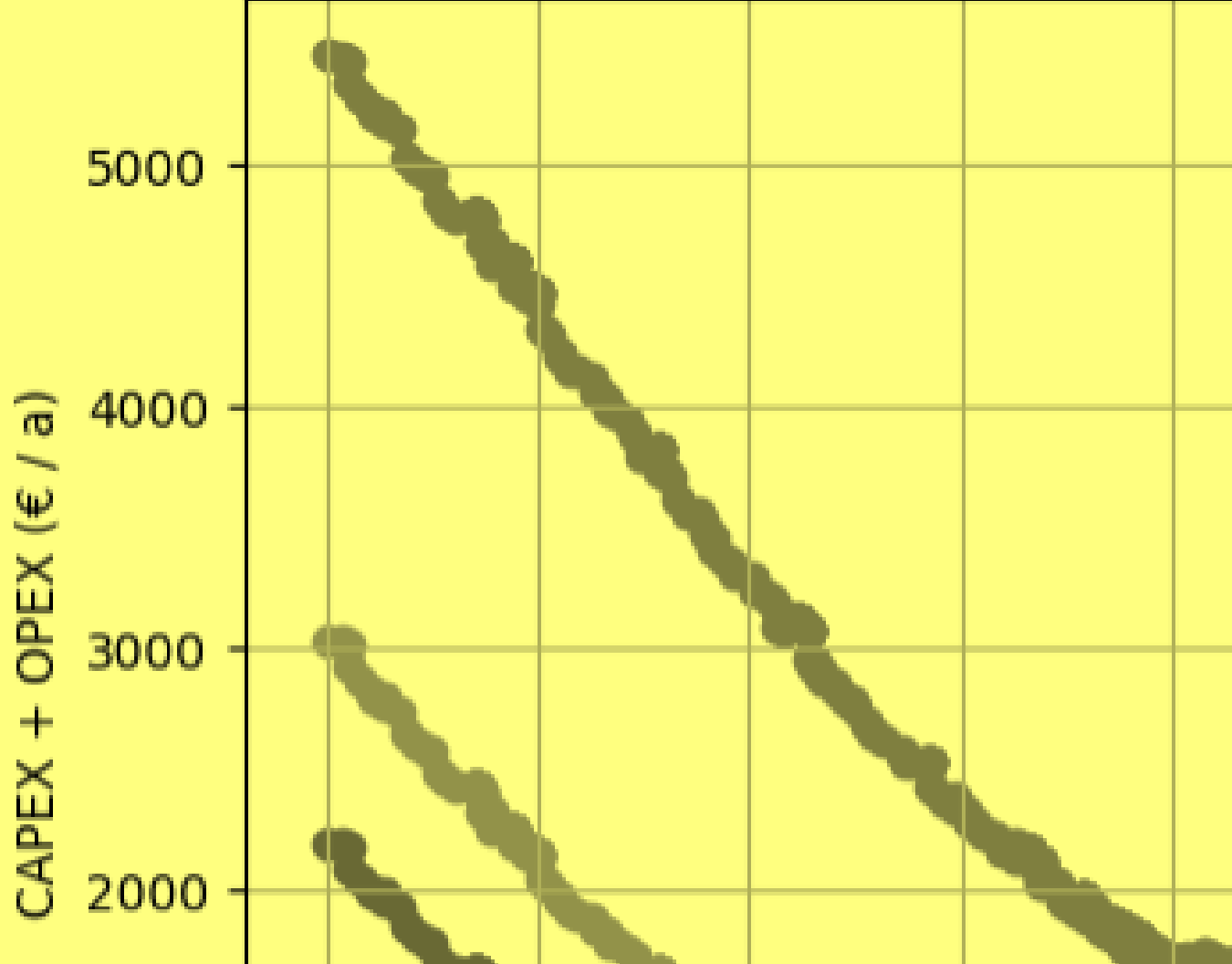


Ice storage implementation is in the works

- Two states: liquid and frozen
- Ice formation on the heat exchanger produces counteracting effects
 - Surface area increases
 - Ice has an insulating effect
- Temperature has a non-linear relationship to the storage level (relevant for heat pump COP)
- Two implementations in the works
 - Ice storage component for *oemof*
 - Separate storages for the liquid and frozen state



Courtesy of Maximilian Hillen

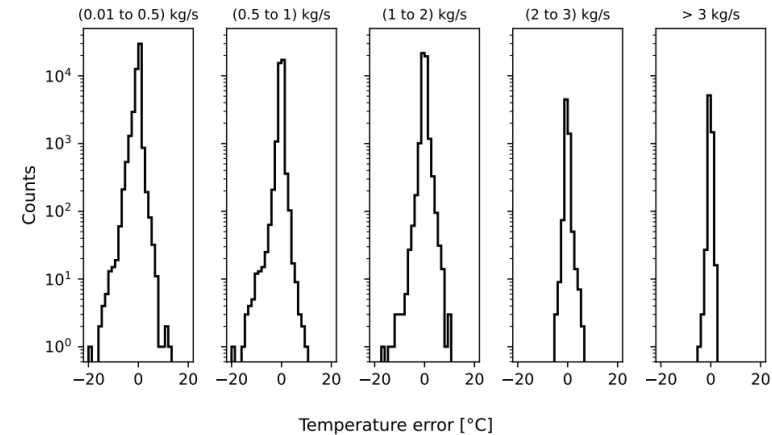


SUMMARY AND OUTLOOK

Summary and Outlook

Calibration of static model

- Steady-state model reproduces network behavior
- Successfully calibrated model
- Next: Use for Off-Design tests



Linear optimisation

- Losses independent of flow
- Discrete temperatures → optimize flow
- Next: Integrate puzzle pieces

