

Steady State Criteria for Parabolic Trough Receiver Heat Loss Measurements

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Knowledge for Tomorrow



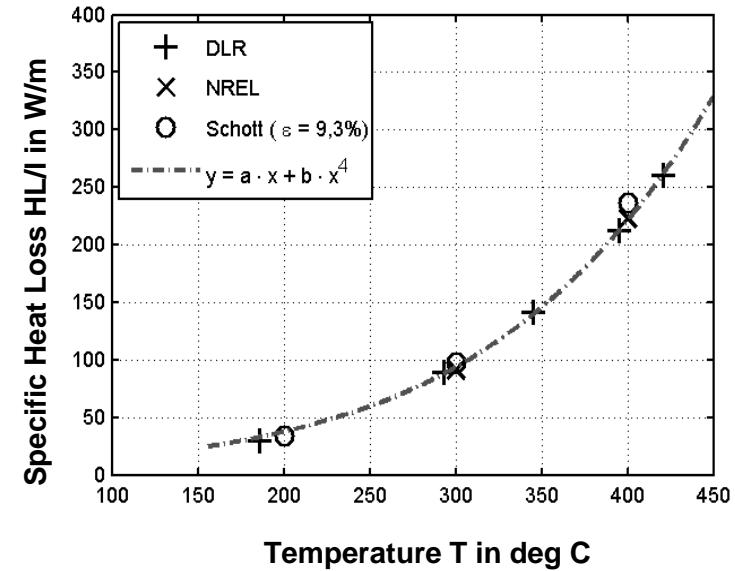
Parabolic Trough Receiver – Heat Loss



Performance parameters

- Optical efficiency $\eta_{opt,rec}(T)$
- Heat Loss $HL(T)$

$$P_{coll} = \eta_{opt,rec} \cdot P_{in} - HL(T)$$



Heat Loss Measurement – Common Method

Principle

- In absorber tube
 - Electrical heater
 - Often homogenization tube
 - Thermocouples



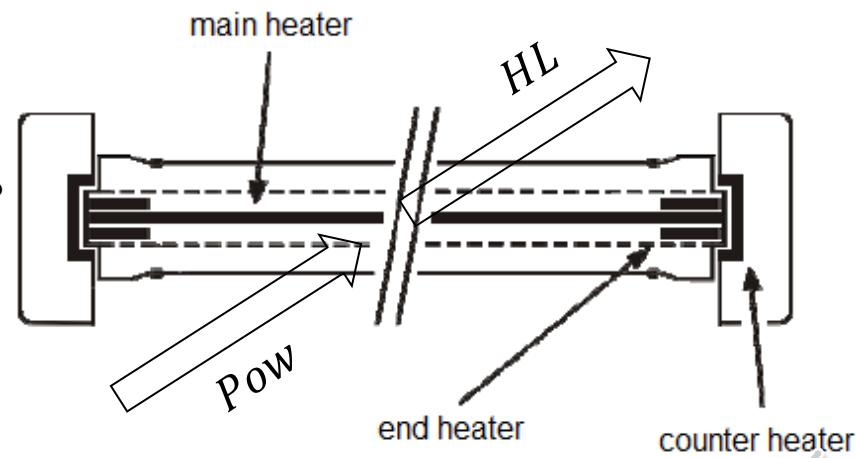
Evaluation at Steady State

- Measurement of P_{ow} and T
- Heating power = Heat loss power

$$P_{ow} = HL$$

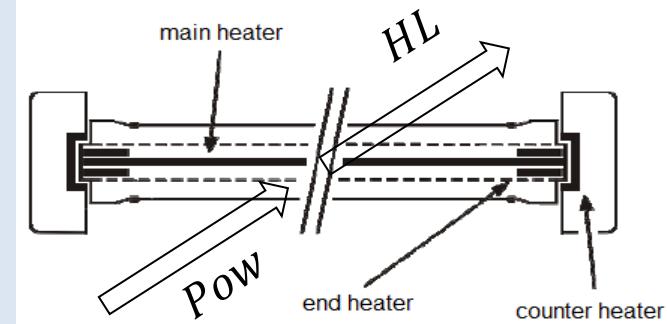
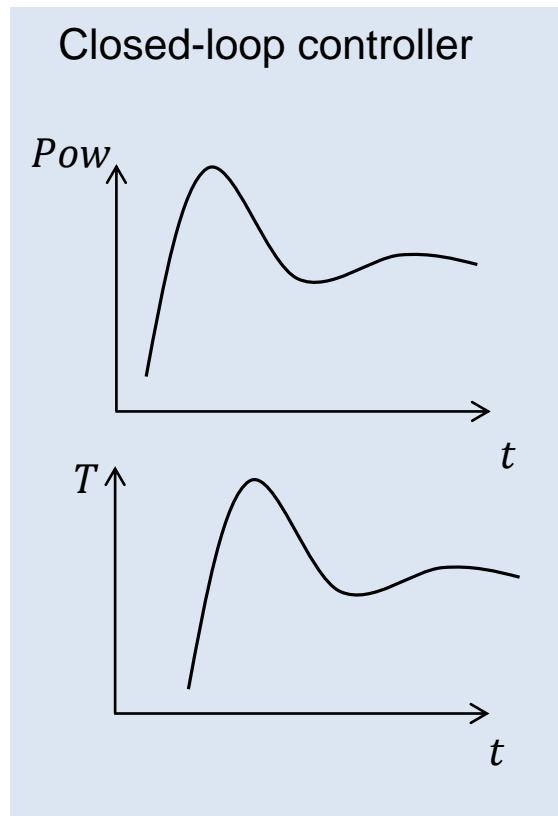
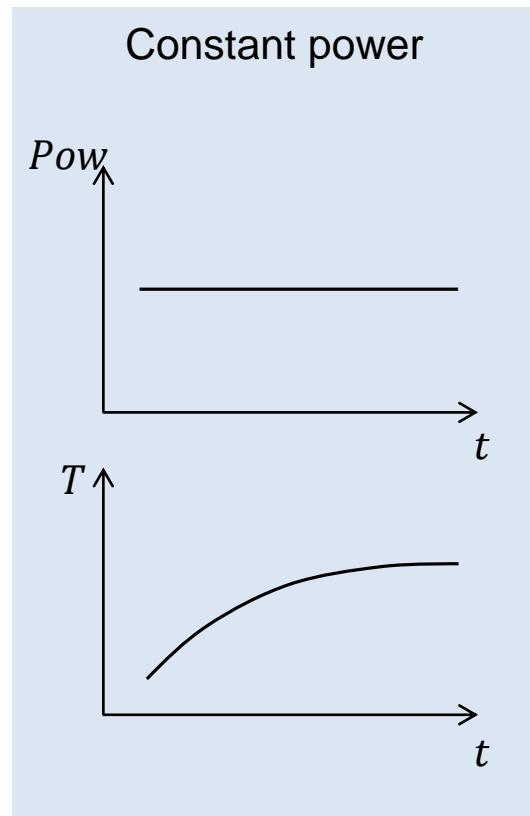
How to recognize a Steady State in practice?

- Noise
- Controller instability
- ↔ Insufficient waiting time



Heat Loss Measurement – Common Method

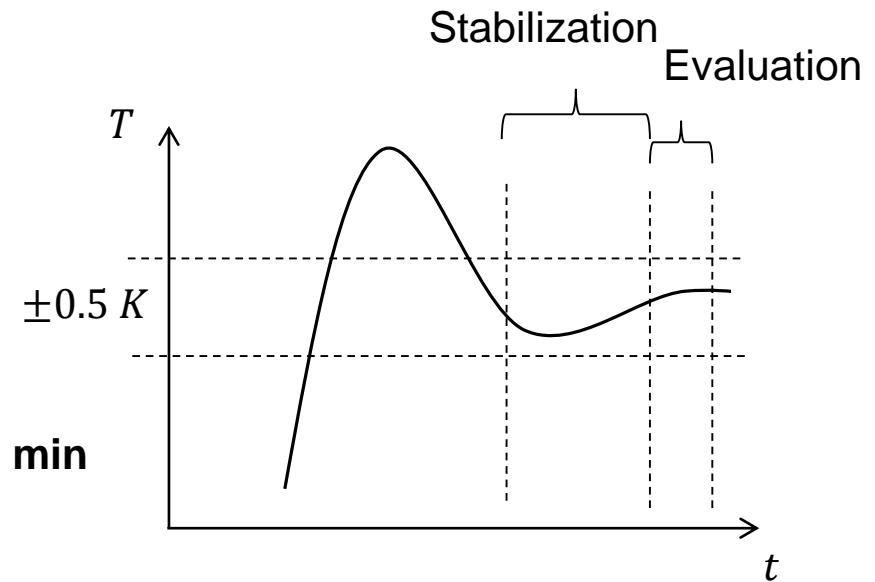
Heating strategies



IEC TS 62862-3-3:2020

Criteria in Standard

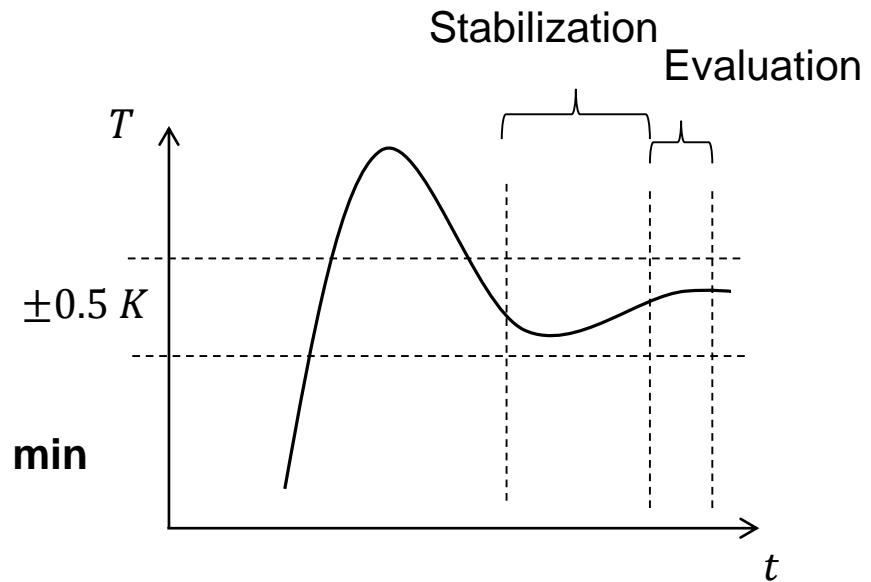
- ...
- $P_{ow} \pm 1\%$
- $T \pm 0.5 K$
- Time period
 - 1. **Evaluation 15 min, stabilization 30 min**
 - (2. Evaluation 15 min ... 240 min)



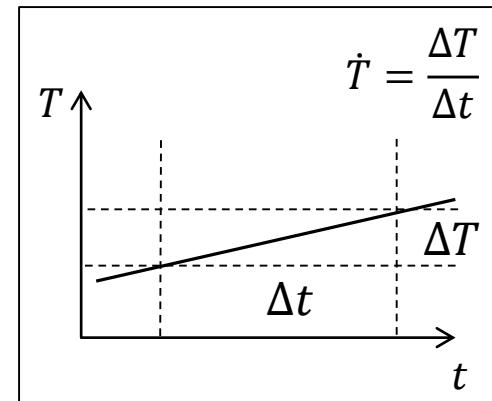
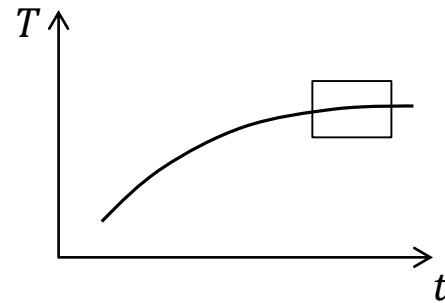
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Criteria in Standard

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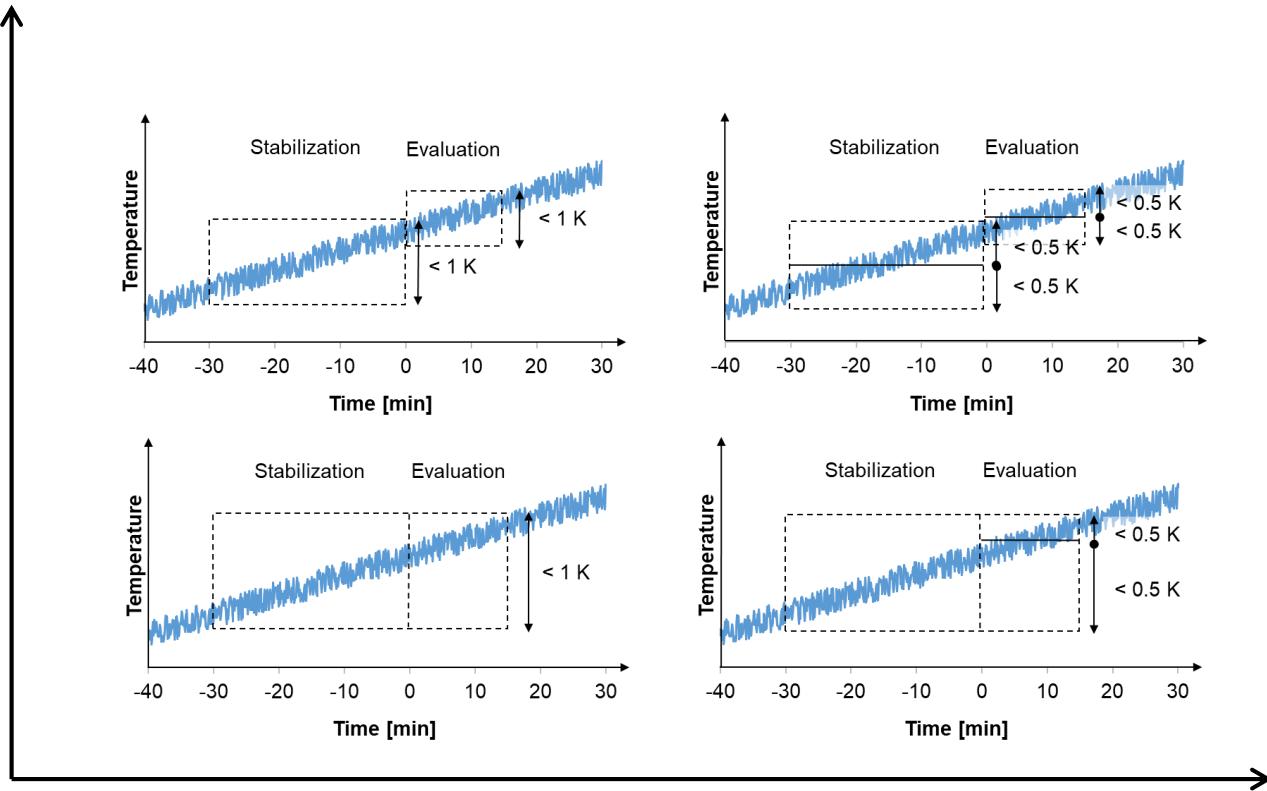


Low Noise System + Constant Heating + Large Time Constants



Interpretation of „ ± 0.5 K“

Borders for periods individually



Same borders for both periods

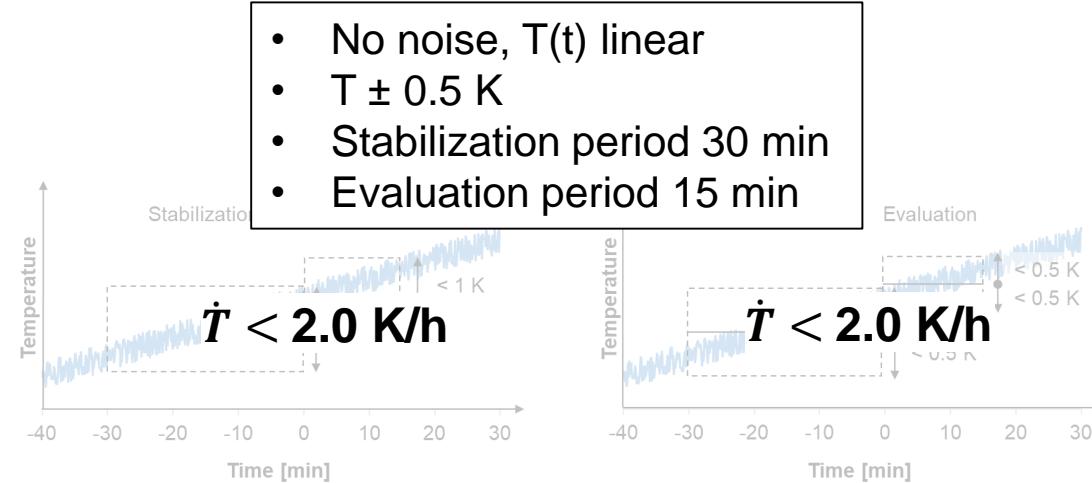
$$\text{Max}(T) - \text{Min}(T)$$

$$\text{Devitation to Mean}(T)$$

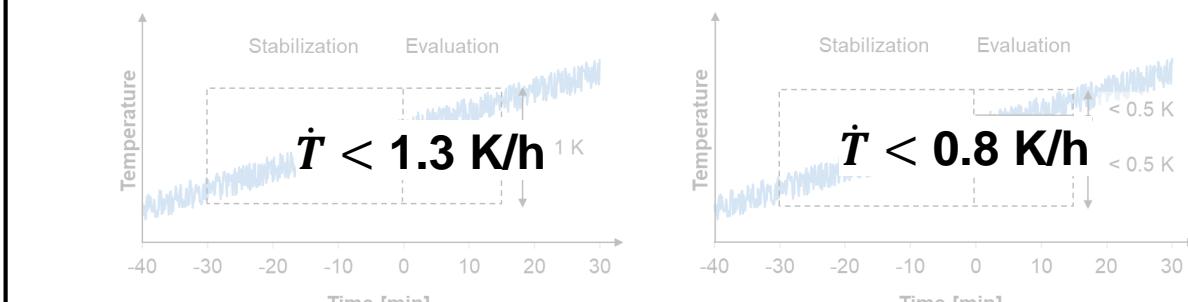


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Same borders for both periods



$\text{Max}(T) - \text{Min}(T)$

Devitation to Mean(T)



Model for Constant Heating

$$\frac{d}{dt} \left(\frac{Pow}{C_p, T} \right) = \frac{HL(T)}{C_p, T}$$

- Lumped Heat Model

$$\frac{dT}{dt} = \frac{1}{C_p} (Pow - HL(T))$$

- Linearization of $HL(T)$

$$HL(T) = A + B \cdot T$$

- Steady state

$$HL(T_{ss}) = Pow = A + B \cdot T_{ss}$$

→ Differential equation

Time constant

At t_0

$$\frac{dT(t)}{dt} = \frac{1}{\tau} (T_{ss} - T(t))$$

$$\tau = C_p / B$$

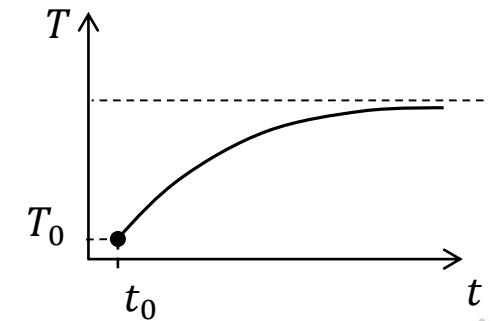
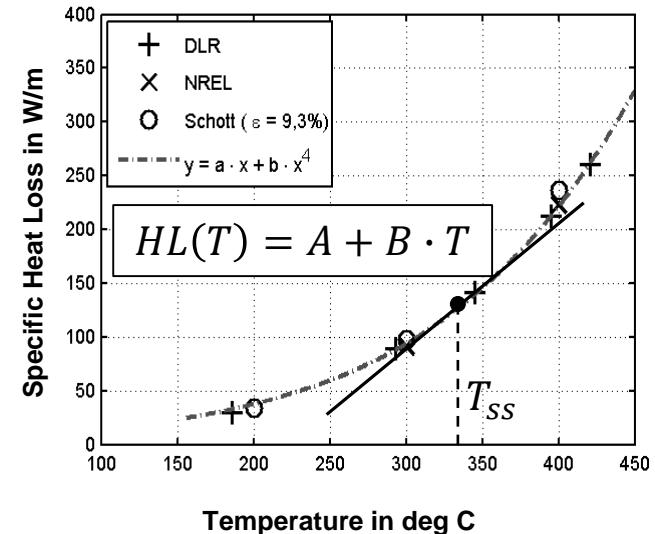
$$T(t_0) = T_0$$

- Solution

$$T(t) = T_{ss} + (T_0 - T_{ss}) \cdot e^{-\frac{(t-t_0)}{\tau}}$$

- Differentiation at $t = t_0$

$$\rightarrow \dot{T}_0 = (T_0 - T_{ss}) \cdot (-1/\tau)$$



Results – Example with high heat capacity

- Configuration: Receiver, heater with homogenization tube with $C_p = 19640 \text{ J/K}$

				$\dot{T}_0 = 2.0 \text{ K/h}$			$\dot{T}_0 = 0.8 \text{ K/h}$	
T_{ss}	HL	B	τ	$T_0 - T_{ss}$	ΔHL		$T_0 - T_{ss}$	ΔHL
in °C	in W	in W/K	in min	in K	in -		in K	in -
100	28	0.8	400	13.3	38.5%		5.3	15.4%
200	141	1.7	188	6.3	7.7%		2.5	3.1%
300	362	3.4	96	3.2	3.0%		1.3	1.2%
400	807	7.0	47	1.6	1.4%		0.6	0.5%
550	2402	18.3	18	0.6	0.5%		0.2	0.2%

- Criteria of standard allow large deviation from real Steady State at
 - low temperature
 - high heat capacity
- Extreme case of 13.3 K deviation at 100 °C
- 2.0 K/h for $T \geq 400 \text{ }^{\circ}\text{C}$ acceptable
- 0.8 K/h for $T \geq 300 \text{ }^{\circ}\text{C}$ acceptable



Conclusion

- Steady state criteria in IEC-Standard ambiguous
- Model
 - Constant heating + Lumped heat + Linearization HL
 - Result: Steady State criteria insufficient at
 - low temperature
 - high heat capacity
 - Example: Meas. at 100 °C allows a deviation of 13 K
- Relevance: Criteria should be method-agnostic
- IEC-Standard
 - for $T \geq 300$ °C ok with clarifications
 - for $T < 300$ °C modifications necessary



References

- [1] J. Pernpeintner et al., *AIP Conference Proceedings*, (2017) **1850**
- [2] F. Burkholder and C. Kutscher, NREL-TR-550-42394 (2008)
- [3] F. Burkholder and C. Kutscher, NREL-TR-550-45633 (2009)
- [4] D. Lei et al., *Energy Conversion and Management*, (2013) **69** 107-115
- [5] S. Dreyer et al., *Proceedings of SolarPACES Conferences*, (2010), Perpignan, France
- [6] IEC TS 62862-3-3:2020

