## **Supporting Information**

## Investigation of CO<sub>2</sub> electrolysis on tin foil by electrochemical impedance spectroscopy

Fabian Bienen\* $^{\dagger \dagger}$ , Dennis Kopljar $^{\dagger}$ , Simon Geiger $^{\dagger}$ , Norbert Wagner $^{\dagger}$  and Kaspar Andreas Friedrich\* $^{\dagger \dagger}$ 

†Institute of Engineering Thermodynamics, German Aerospace Center, Pfaffenwaldring 38-40, 70569 Stuttgart, Germany

‡Institute of Building Energetics, Thermal Engineering and Energy Storage, University of Stuttgart, Pfaffenwaldring 31, 70569 Stuttgart, Germany

## **Corresponding Author**

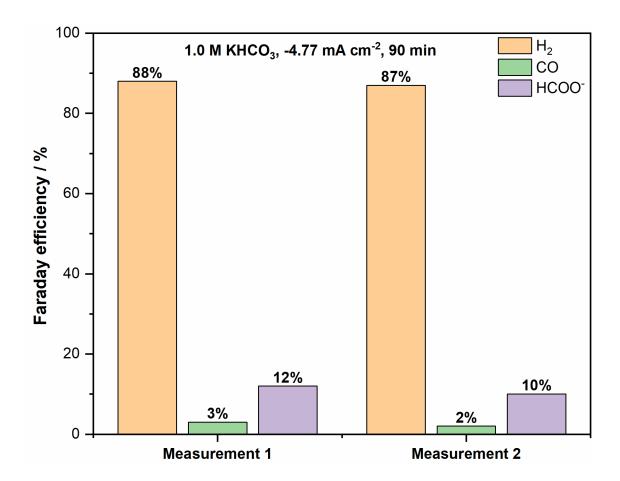
\*Fabian Bienen, E-mail: Fabian.Bienen@dlr.de

\*Kaspar Andreas Friedrich, E-mail: <u>Andreas.Friedrich@dlr.de</u>

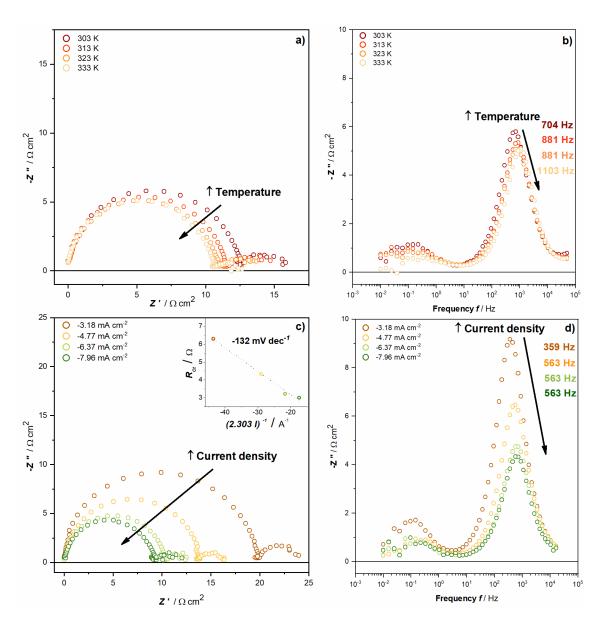
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Number of figures: 5

Number of tables: 1



**Figure S1** Faraday efficiency determination of H<sub>2</sub>, CO and HCOO<sup>-</sup> after galvanostatic operation at - 4.77 mA cm<sup>-2</sup> in CO<sub>2</sub> saturated 1.0M KHCO<sub>3</sub> aqueous solution showing reproducible results and by that validating the test set-up. During EIS measurements shown in the primary paper further liquid phase HCOO<sup>-</sup> determination was skipped due to the lack of possibility to quantify HCOO<sup>-</sup> online. H<sub>2</sub> and CO were quantified online via μ-GC and used to calculate the faraday efficiency for formate via the mass balance closing condition.



**Figure S2** –Nyquist plots for tin foil (ohmic resistance subtracted ) of **a)** temperature and **c)** current density parameter series to identify thermal and current activated processes in 1.0 M KHCO<sub>3</sub> solution and their corresponding imaginary part vs. frequency plots **b)**, **d)**. Inset **c)** Tafel slope determination via  $R_{Ct}$  vs.  $I^{-1}$  plot.

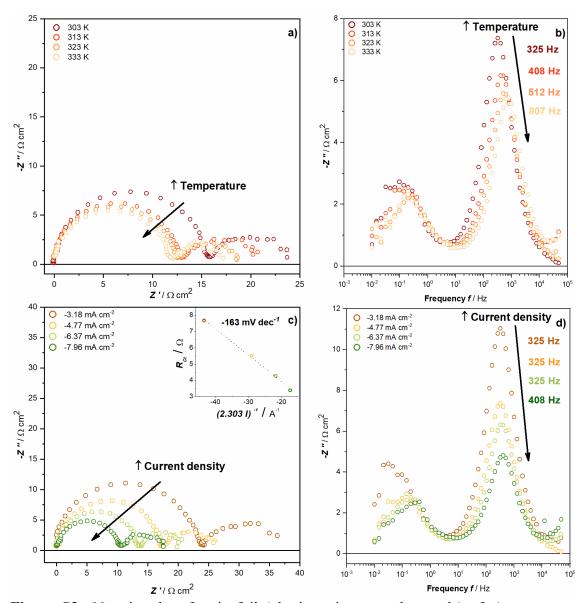
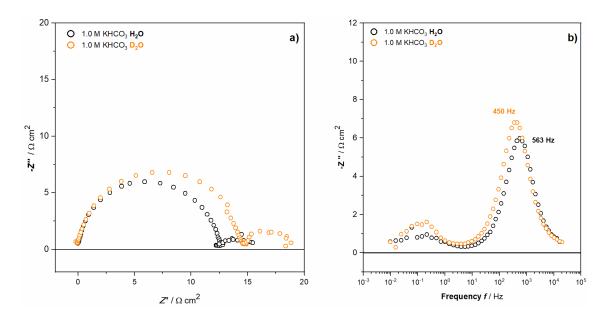
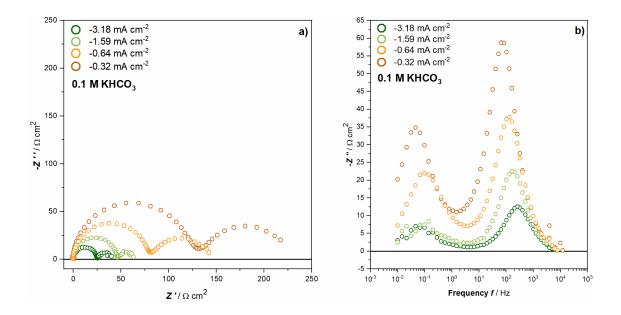


Figure S3 –Nyquist plots for tin foil (ohmic resistance subtracted ) of **a)** temperature and **c)** current density parameter series to identify thermal and current activated processes in 0.1 M KHCO<sub>3</sub> solution and their corresponding imaginary part vs. frequency plots **b)**, **d)**. Inset **c)** Tafel slope determination via  $R_{Ct}$  vs.  $I^{-1}$  plot.



**Figure S4** Impedance spectra **a)** and **b)** imaginary part vs. frequency plot for tin foil obtained in  $CO_2$  saturated 1.0 M KHCO<sub>3</sub> solution comparing  $H_2O$  and  $D_2O$  as solvent. Galvanostatic operation at -4.77 mA cm<sup>-2</sup> with an amplitude of 5mA, ohmic resistance subtracted.



**Figure S5** Impedance spectra **a)** and **b)** imaginary part vs. frequency plot for tin foil obtained in CO<sub>2</sub> saturated 0.1 M KHCO<sub>3</sub> solution for low current densities. Galvanostatic operation at desired current densities with an amplitude of 5mA, ohmic resistance subtracted.

In contrast to S3 c) and d) the low frequency process clearly depends on the applied current for extremely low current levels. However, further investigation would go beyond the scope of this contribution since at these low current densities, respectively potentials, the EIS response is almost completely determined by HER and the product analysis unreliable (due to low current densities resulting in low conversion rates). Therefore, the faraday efficiency for CO<sub>2</sub>RR is almost negligible, thus, with low relevance to the target of this investigation.

 $\label{eq:table S1} \textbf{Table S1} \ \ \text{Resistance and Capacitor values inserted into Thales} \\ \ \ \text{EQCM modelling tool.} \ \ \text{Time}$   $\ \ \text{constant} \ \tau, \ R_{\text{mixed}} \ \ \text{and} \ \ C_{\text{mixed}} \ \ \text{calculated via Equation S1-S3}.$ 

Ratio time	R <sub>HER</sub> /	C <sub>HER</sub> /	$ au_{HER}$ /	R <sub>CO2RR</sub> /	C <sub>CO2RR</sub> /	$ au_{\mathrm{CO2RR}}$ /	R <sub>mixed</sub> /	C <sub>mixed</sub> /	$\tau_{ m mixed}$
constants	Ω	F	S	Ω	F	S	Ω	F	S
$ au_1 =  au_2$	1	0.01	0.01	1	0.01	0.01	0.5	0.02	0.01
$5 \tau_1 = \tau_2$	1	0.01	0.01	2.5	0.02	0.05	0.714	0.03	0.021
$100 \ \tau_1 = \tau_2$	1	0.01	0.01	10	0.1	1	0.909	0.11	0.100
$1000 \ \tau_1 = \tau_2$	1	0.01	0.01	20	0.5	10	0.952	0.510	0.486

$$\tau = R \bullet C \tag{S1}$$

$$\frac{1}{R_{mixed}} = \frac{1}{R_{HER}} + \frac{1}{R_{CO2RR}}$$
 (S2)

$$C_{mixed} = C_{HER} + C_{CO2RR}$$
 (S3)