HPC and HPDA Projects in DLR Aeronautics and Space Research

Dr.-Ing. Achim Basermann

German Aerospace Center (DLR), Cologne

Simulation and Software Technology

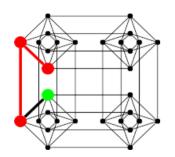
Head of Department "High-Performance Computing"





Survey

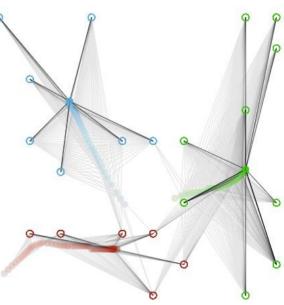
- Our Department SC-HPC at DLR
- Exascale Computing and Performance Engineering
- Big Data & High Performance Machine Learning
 - Space Debris Management
 - Rocket Engine Combustion Analysis
- Multi-Disciplinary Optimization
- Quantencomputing















DLR

German Aerospace Center



Research Institution

- Research areas: aeronautics; space research and technology; transport; energy; digitalization; defence and security
- national and international cooperations
- Space Agency
- Project Management Agency



DLR Locations and Employees

Approx. 8600 employees across 47 institutes and facilities at 27 sites.

Offices in Brussels, Paris, Tokyo and Washington.





DLR Simulation and Software Technology

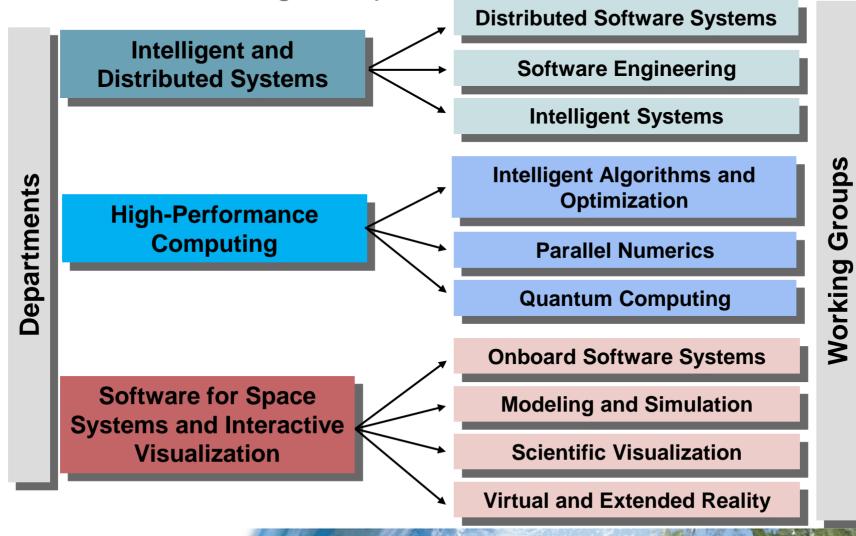


- stands for innovative software engineering,
- develops challenging individual software solutions for DLR, and
- is partner in **scientific projects** in the area of simulation and software technology.

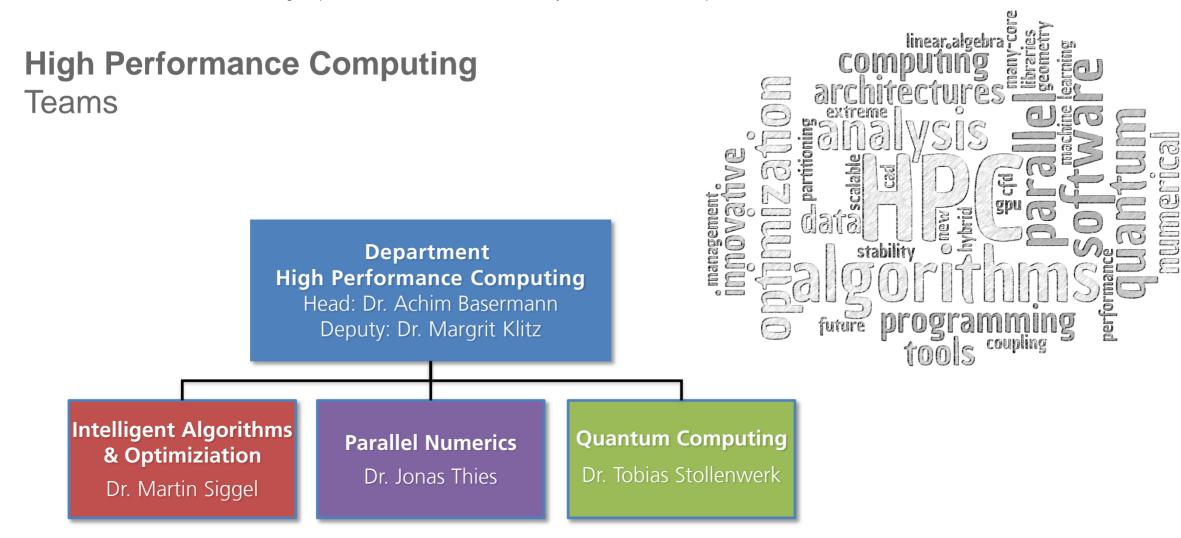




Scientific Themes and Working Groups



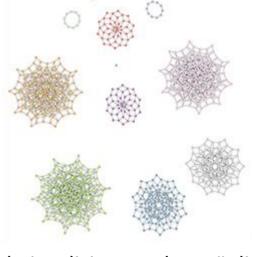






Exascale computing and Performance EngineeringESSEX goes Oakforest-PACS





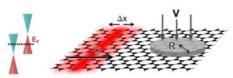
Graphvisualisierung der möglichen Zustandsänderungen des Heisenberg Spinkettenmodells



Knowledge for Tomorrow

Motivation: Requirements for Exascale Computing

Quantum physics/information applications



Large, Sparse

$$i\hbar \frac{\partial}{\partial t} \psi(\vec{r},t) = H\psi(\vec{r},t)$$
 and beyond....

$$H x = \lambda x$$

"Few" (1,...,100s) of eigenpairs

"Bulk" (100s,...,1000s)

eigenpairs

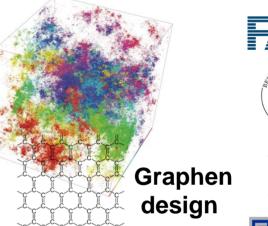
$$\{\lambda_1, \lambda_2, \dots, \lambda_n, \dots, \lambda_k, \dots, \dots, \dots, \lambda_{n-1}, \lambda_n\}$$

Good approximation to full spectrum (e.g. Density of States)

→ Sparse eigenvalue solvers of broad applicability



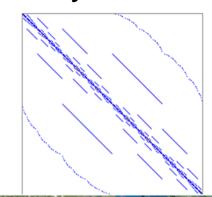
DFG Project ESSEX





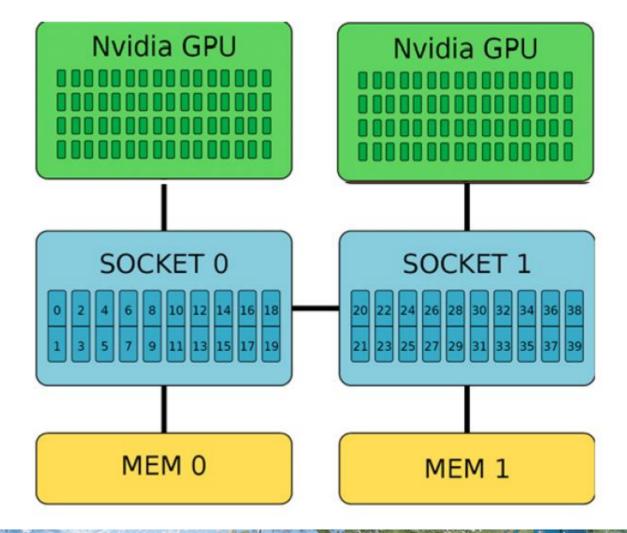
University of Tokyo University of Tsukuba

Sparse matrix



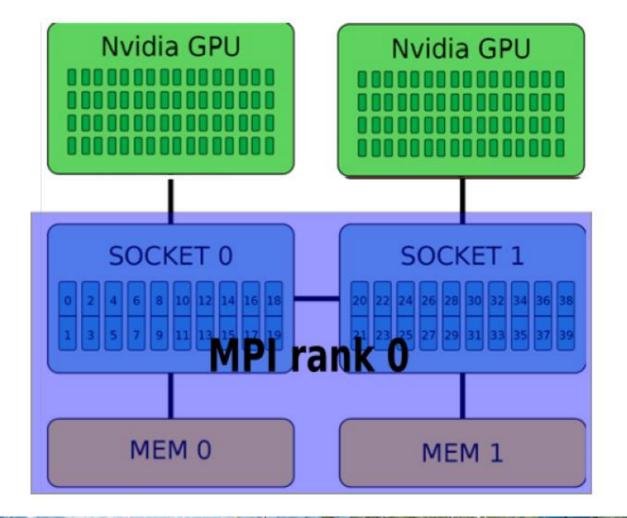


 System with multiple CPUs (NUMA domains) and GPUs



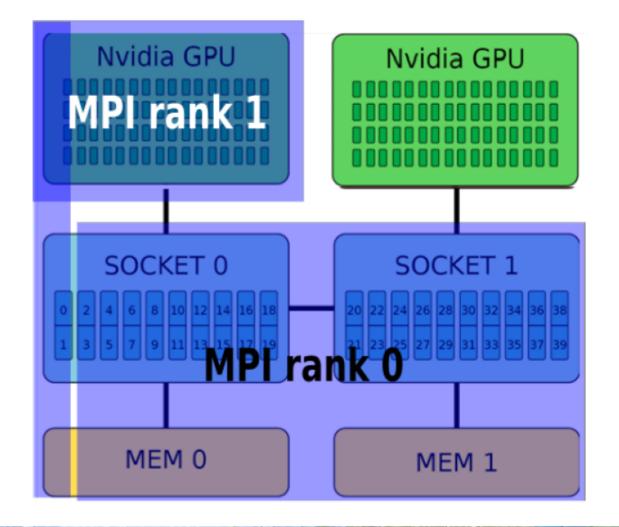


- System with multiple CPUs (NUMA domains) and GPUs
- -np 1: use entire CPU



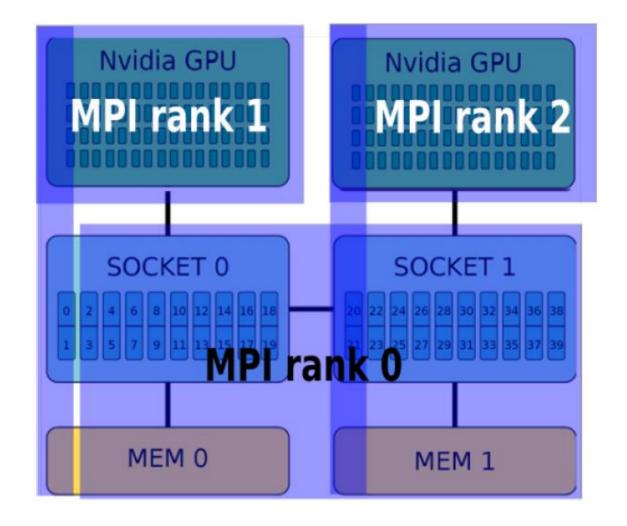


- System with multiple CPUs (NUMA domains) and GPUs
- -np 1: use entire CPU
- -np 2: use CPU and first GPU





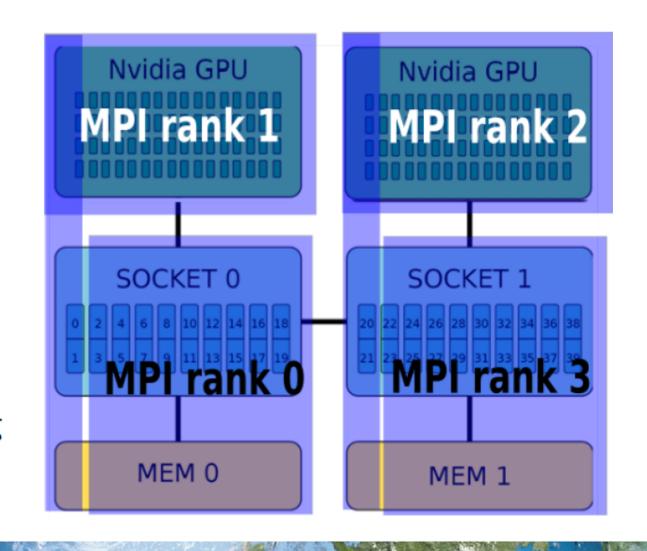
- System with multiple CPUs (NUMA domains) and GPUs
- -np 1: use entire CPU
- -np 2: use CPU and first GPU
- -np 3: use CPU and both GPUs





- System with multiple CPUs (NUMA domains) and GPUs
- -np 1: use entire CPU
- -np 2: use CPU and first GPU
- -np 3: use CPU and both GPUs
- -np 4: use one process per socket and one for each GPU

Option: distribute problem according to memory bandwidth measured

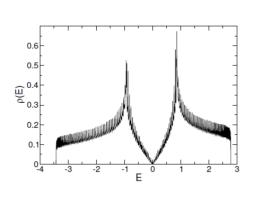


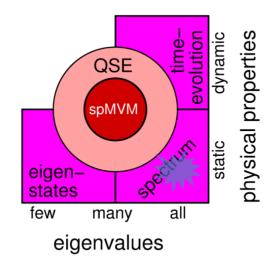


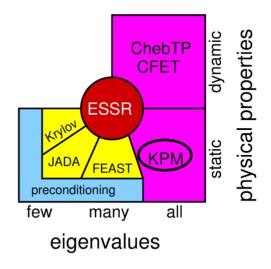
Application, Algorithm and Performance: Kernel Polynomial Method (KPM) – A Holistic View

• Compute approximation to the complete eigenvalue spectrum of large sparse matrix A (with X = I)

$$X(\omega) = \frac{1}{N} \text{tr}[\delta(\omega - H)X] = \frac{1}{N} \sum_{n=1}^{N} \delta(\omega - E_n) \langle \psi_n, X \psi_n \rangle$$









The Kernel Polynomial Method (KPM)

Optimal performance exploit knowledge from all software layers!

Basic algorithm – Compute Cheyshev polynomials/moments:

```
Building blocks:
                                     Application:
for r=0 to R-1 do
                                                                                               (Sparse) linear
                                     Loop over random initial states
     |v\rangle \leftarrow |\text{rand}()\rangle
                                                                                               algebra library
     Initialization steps and computation of \eta_0, \eta_1
for m = 1 to M/2 do Algorithm:
    for m=1 to M/2 do
                                        Loop over moments
         \operatorname{swap}(|w\rangle,|v\rangle)
               \leftarrow H|v\rangle
                                                               ▷ spmv()
                                                                                 Sparse matrix vector multiply
               \leftarrow |u\rangle - b|v\rangle
                                                               ▷ axpy()
                                                                                 Scaled vector addition
                                                               ⊳ scal()
                                                                                 Vector scale
                 \leftarrow |w\rangle + 2a|u\rangle
                                                                                 Scaled vector addition
                                                               ▷ axpy()
          \eta_{2m} \leftarrow \langle v|v\rangle
                                                               ▷ nrm2()
                                                                                 Vector norm
                                                                                 Dot Product
         \eta_{2m+1} \leftarrow \langle w|v\rangle
                                                                 ▷ dot()
     end for
end for
```



The Kernel Polynomial Method (KPM)

Optimal performance exploit knowledge from all software layers!

Basic algorithm – Compute Cheyshev polynomials/moments:

```
for r = 0 to R - 1 do
                                                                                              for r=0 to R-1 do
    |v\rangle \leftarrow |\text{rand}()\rangle
                                                                                                    |v\rangle \leftarrow |\text{rand}()\rangle
    Initialization steps and computation of \eta_0, \eta_1
                                                                                                    Initialization steps and computation of \eta_0, \eta_1
    for m=1 to M/2 do
                                                                                                    for m=1 to M/2 do
         swap(|w\rangle, |v\rangle)
                                                                                                         swap(|w\rangle, |v\rangle)
                 \leftarrow H|v\rangle
                                                             ⊳ spmv()
                 \leftarrow |u\rangle - b|v\rangle
                                                             ▷ axpy()
                                                                                                         |w\rangle = 2a(H-b\mathbb{1})|v\rangle - |w\rangle &
                 \leftarrow -|w\rangle
                                                                                                               \eta_{2m} = \langle v|v\rangle \&
                                                             ▷ scal()
                 \leftarrow |w\rangle + 2a|u\rangle
                                                             > axpv()
                                                                                                               \eta_{2m+1} = \langle w|v\rangle
                                                                                                                                                              > aug spmv()
                \leftarrow \langle v|v\rangle
                                                              ▷ nrm2()
                                                                                                    end for
         \eta_{2m+1} \leftarrow \langle w|v\rangle
                                                               ⊳ dot()
                                                                                                                                                 Augmented Sparse
    end for
                                                                                                                                          Matrix Vector Multiply
end for
```



The Kernel Polynomial Method (KPM)

Optimal performance exploit knowledge from all software layers!

Basic algorithm – Compute Cheyshev polynomials/moments:

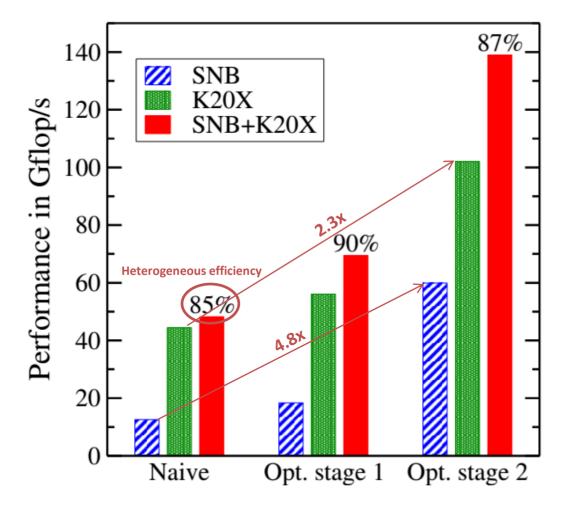
```
\begin{array}{l} \text{for} \quad r=0 \text{ to } R-1 \quad \text{do} \\ |v\rangle \leftarrow |\text{rand()}\rangle \\ \text{Initialization steps and computation of } \eta_0, \eta_1 \\ \text{for} \quad m=1 \text{ to } M/2 \quad \text{do} \\ \text{swap}(|w\rangle, |v\rangle) \\ |w\rangle = 2a(H-b\mathbb{1})|v\rangle - |w\rangle & \& \\ \eta_{2m} &= \langle v|v\rangle & \& \\ \eta_{2m+1} = \langle w|v\rangle & \Rightarrow \text{aug\_spmv ()} \\ \text{end for} \end{array}
```

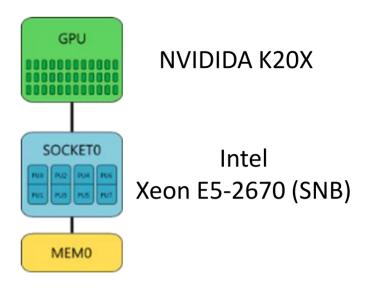
```
\begin{array}{l} |V\rangle := |v\rangle_{0..R-1} & \rhd \text{ Assemble vector blocks} \\ |W\rangle := |w\rangle_{0..R-1} \\ |V\rangle \leftarrow |\operatorname{rand}()\rangle \\ \text{Initialization steps and computation of } \mu_0, \mu_1 \\ \text{for } m=1 \text{ to } M/2 \text{ do} \\ \operatorname{swap}(|W\rangle, |V\rangle) \\ |W\rangle = 2a(H-b\mathbb{1})|V\rangle - |W\rangle & \& \\ \eta_{2m}[:] &= \langle V|V\rangle & \& \\ \eta_{2m+1}[:] = \langle W|V\rangle & \rhd \operatorname{aug\_spmmv}() \\ \text{end for} \end{array}
```

Augmented Sparse Matrix Multiple Vector Multiply



KPM: Heterogenous Node Performance

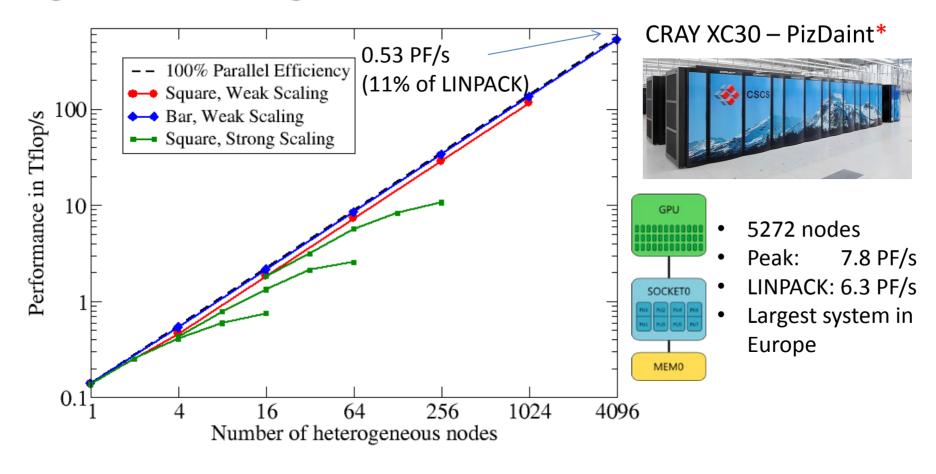




- Topological Insulator Application
- Double complex computations
- Data parallel static workload distribution



KPM: Large Scale Heterogenous Node Performance



Performance Engineering of the Kernel Polynomial Method on Large-Scale CPU-GPU Systems M. Kreutzer, A. Pieper, G. Hager, A. Alvermann, G. Wellein and H. Fehske, IEEE IPDPS 2015





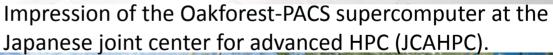
Scalability on Oakforest-PACS

seit 6 / 2018 auf Platz Nummer 12 der



Cores: Memory: Processor:	556,104 919,296 GB Intel Xeon Phi 7250 68C 1.4GHz
	(KNL)
Interconnect:	Intel Omni-Path
Linpack Performance (Rmax)	13.554 PFlop/s
Theoretical Peak (Rpeak)	24.913 PFlop/s
Nmax HPCG [TFlop/s]	9,938,880 385.479

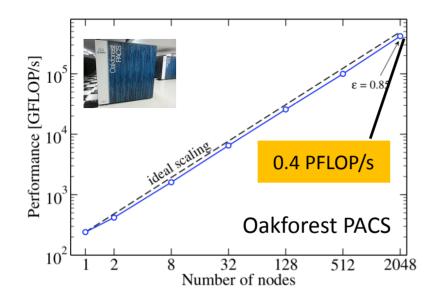


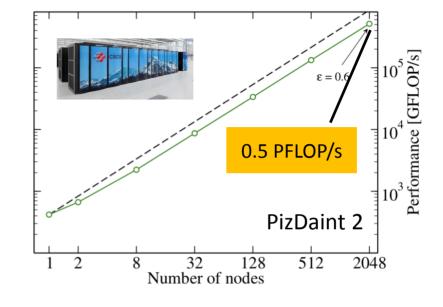




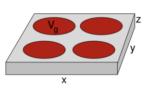
Large scale performance – weak scaling

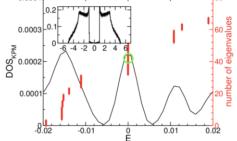
Computing 100 inner eigenvalues on matrices up to $n = 4 \times 10^9$

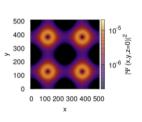




Typical Application[1]: Topological Insulator







[1] Pieper, A., et al. Journal of Computational Physics 325, 226–243 (2016)

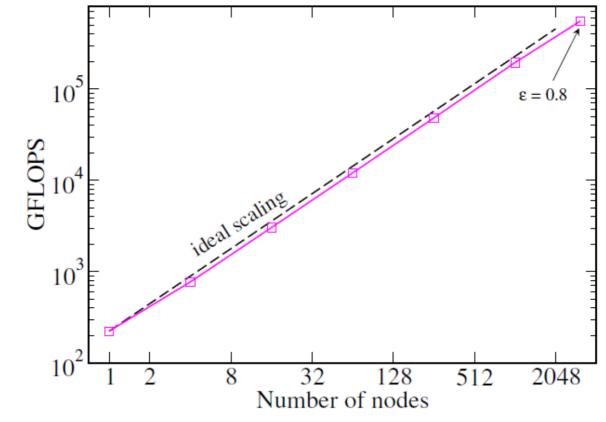


Large scale performance – weak scaling

Computing 100 inner eigenvalues on matrices up to $n = 4 \times 10^9$



SUPERMUC (SNG)
Leibniz Supercomputing Centre
(LRZ) in Garching
6480 CPU-only dual-socket nodes
with Intel Skylake-SP
311,040 compute cores



Weak scaling of BEAST-P on SNG for problems of size 2^{21} (1 node) to 1.53 x 2^{32} (3136 nodes, about half of the full machine)



How to ensure the quality of the ESSEX software: Basics

• Git for distributed software developement



- Merge-request workflow for code review; changes only in branches
- Visualization of git repository development

Own MPI extension for Google Test

Realization of continuous-integration with Jenkins server





Towards common standards and community software for extreme-scale computing

As we approach the Exa-scale, requirements on robustness, portability, scalability and interoperability of scientific software are rapidly increasing

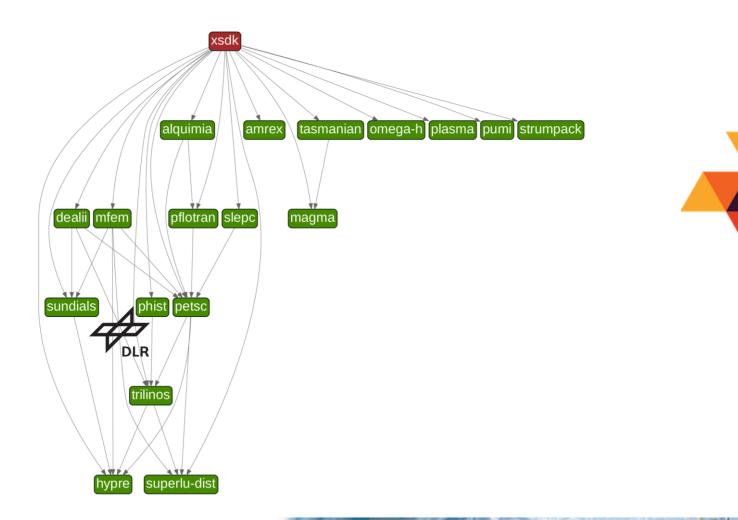


xSDK: Extreme-scale Scientific Software Development Kit

- Joint open-source effort of DOE labs and other international teams (https://xsdk.info/)
- DLR contributes a hybrid-parallel library for solving sparse eigenvalue problems on heterogenous supercomputers
- (https://bitbucket.org/essex/phist/)



Towards common standards and community software for extreme-scale computing

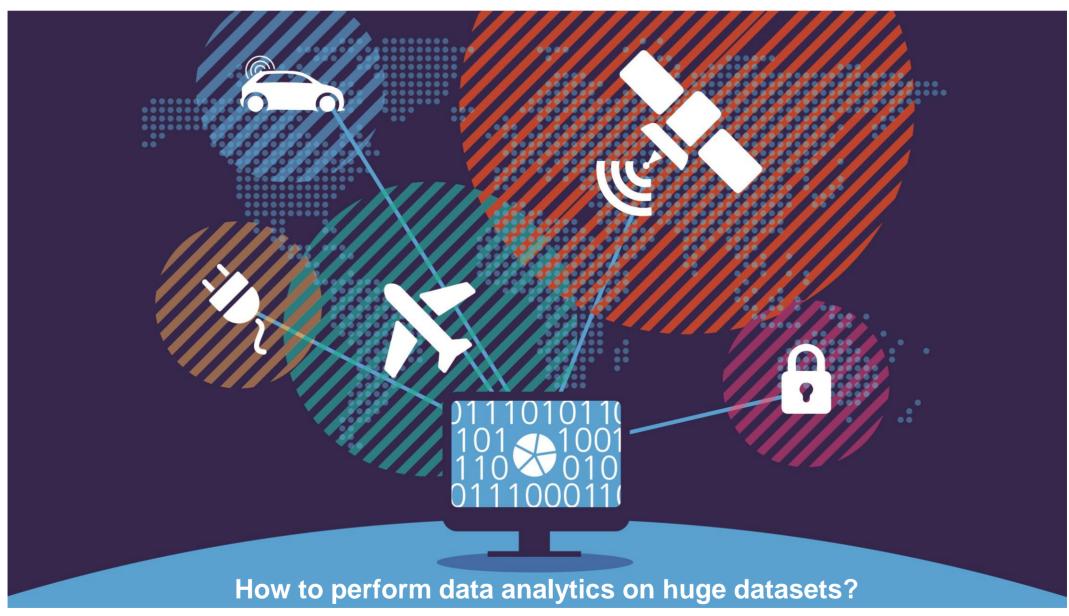








Big Data @ DLR





Picture from http://kidsnews.hu/2018/03/az-urszemetrol/



Knowledge for Tomorrow



The space debris problem



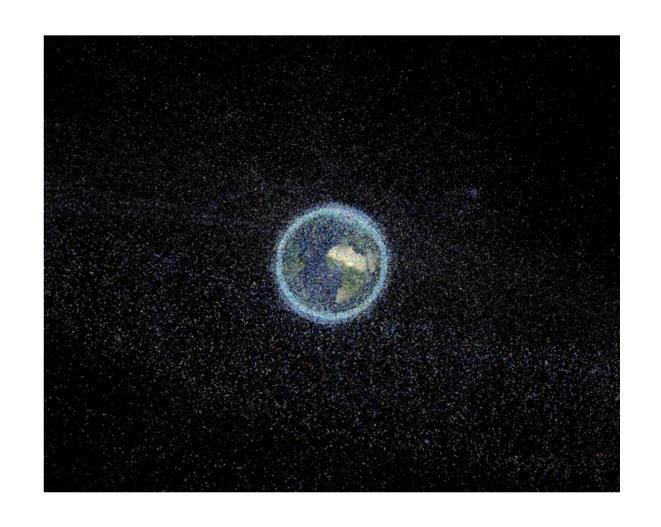
Space Debris

All non-active, non-cooperating orbital objects like

- Old or defect satellites
- Lost Tools
- Debris of all kind (e.g. from satellite collisions)
- Impose danger already from 1 cm size
- ~1 000 000 objects, around 18.000 tracked in database



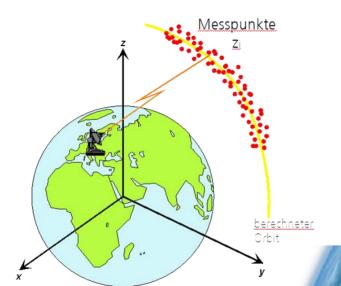
Simulated collision of projectile with 7 km/s on aluminum plate. Picture: ESA.

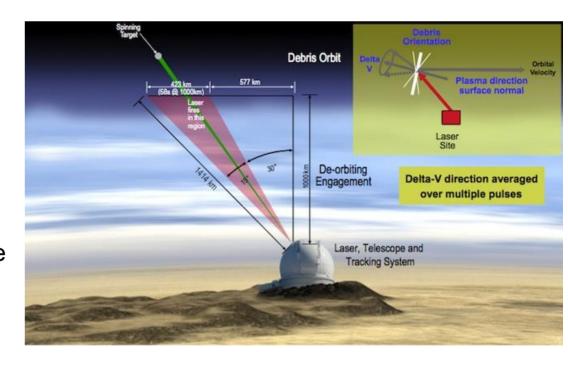




Our solution: Software BACARDI

- Database of all orbits from known space objects (Group "Space Situational Awareness")
- Methods being used:
 - Orbit determination of 1.000.000 objects
 - Propagation
 - Object identification
 - Collision prediction for mission support
- "<u>Bacardi Viewer</u>" allows a 3D visualization of objects from the BACARDI database





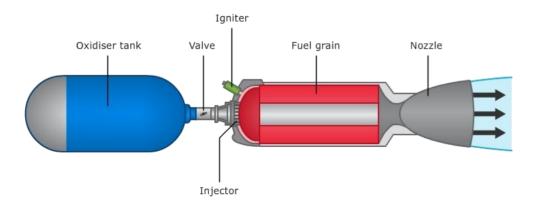
Tracking of space debris with lasers
Image source: https://www.wired.com/2011/10/space-junk-laser/



Example 2:

Rocket engine combustion analysis

• Goal: Cost reduction of rocket engines, be competitive with e.g. Space-X



Hybrid rocket engine

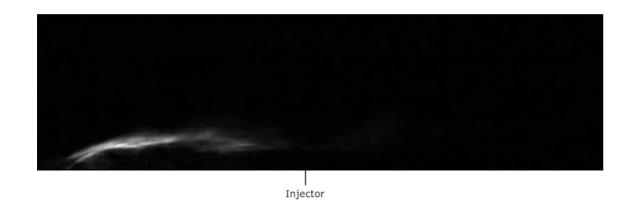
- Pressurized fluid oxidizer
- Solid fuel
- A valve controls, how much oxidizer gets into the combustion chamber
- Advantages
 - Cheap
 - Controllable



Example 2:

Rocket engine combustion analysis

• Goal: Cost reduction of rocket engines, be competitive with e.g. Space-X



Hybrid rocket engine

- Pressurized fluid oxidizer
- Solid fuel
- A valve controls, how much oxidizer gets into the combustion chamber
- Advantages
 - Cheap
 - Controllable

Question: Can we detect problems / inefficiencies during combustion?

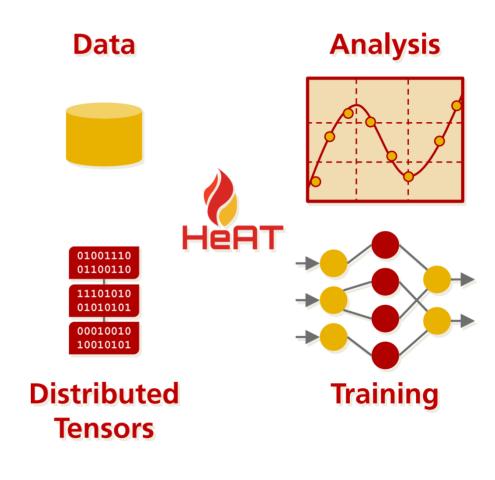
Challenge: High speed camera produces huge data sets



Our solution: Software HeAT!

- HeAT = Helmholtz Analytics Toolkit
- Python framework for parallel, distributed data analytics and machine learning
- Developed within the Helmholtz Analytics Framework Project since 2018
- AIM: Bridge data analytics and high-performance computing
- Open Source licensed, MIT







How we started HeAT:

The Helmholtz Analytics Framework (HAF) Project

HELMHOLTZAnalytics Framework

Joint project of all 6 Helmholtz centers















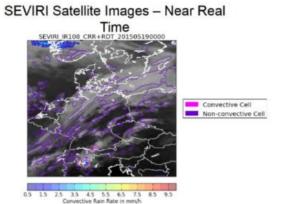
- Goal: foster data analytics methods and tools within Helmholtz federation.
- Scope:
 - Development of domain-specific data analysis techniques
 - Co-design between domain scientists and information experts

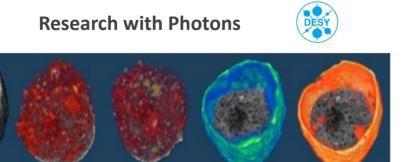


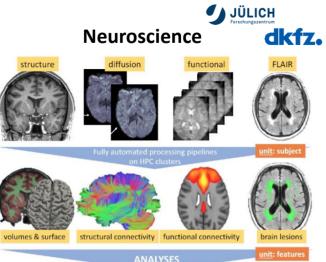
Motivation: HAF applications

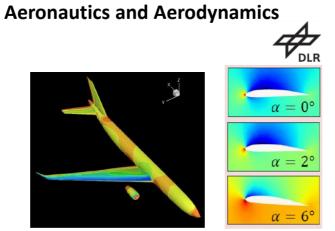
Earth System Modelling Advection Condensation Radiative Exchange Atmosphere Transmission Evaporation Boundary Layer Intuitiation Radiative Exchange Intuitivation Boundary Layer

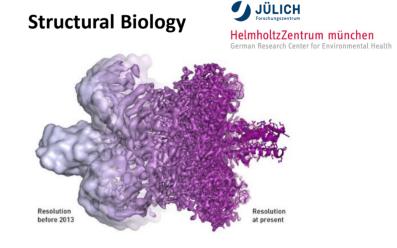














Greatest Common Denominator?



https://xkcd.com/1838/

Machine Learning

=
Data
+
Numerical Linear Algebra



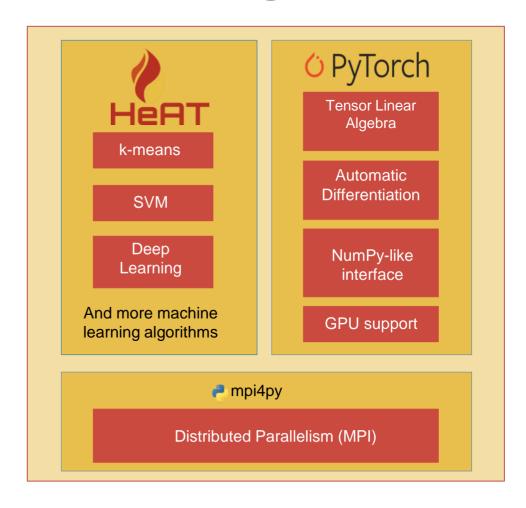
Scope

Facilitating applications of HAF in their work

Bringing HPC and Machine Learning / Data Analytics closer together

Ease of use

Design





Data analysis with K-means clustering



Idea: Separate dataset into k distinct clusters

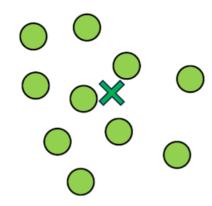








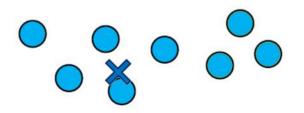
4. Update centroid positions at cluster center





Data analysis with K-means clustering

Numpy vs. HeAT

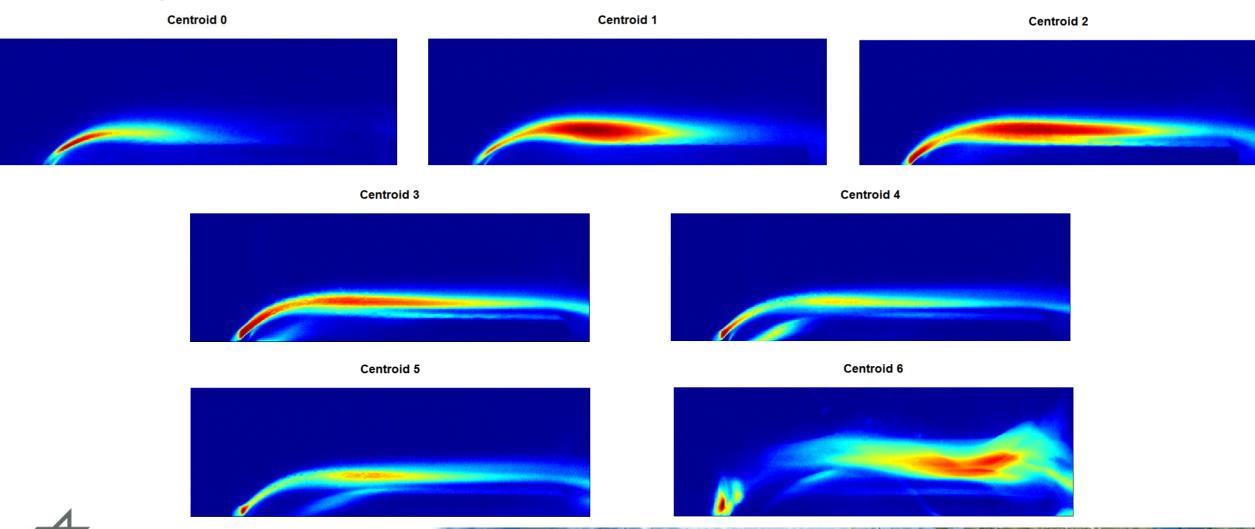


HeAT hides parallelism, looks like sequential NumPy code.



Combustion clustering results:

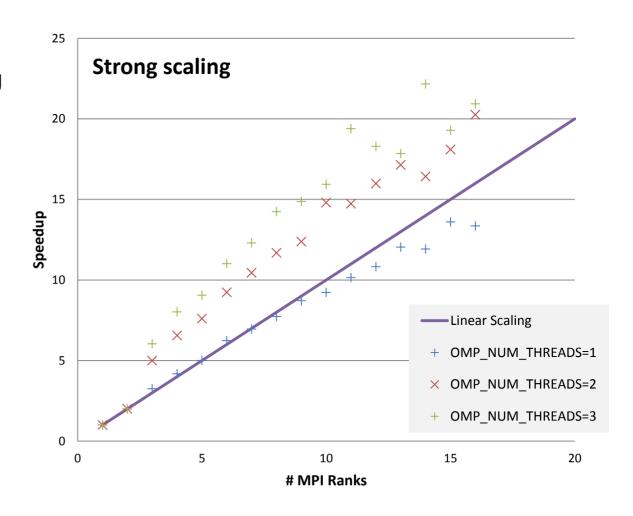
Resulting Clusters, k = 7





Computational Performance

- Hybrid shared memory + distributed memory setting
- Variation of 1 ... 16 MPI total ranks (processing units)
- How does the computing time reduce with number of processing units?
- First results look promising, testing on larger systems + graphic cards necessary

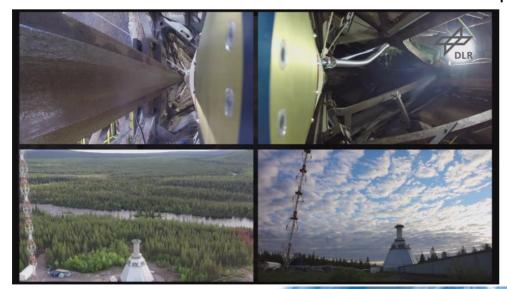




SC-HPC Highlights in the DLR Project ATEK: Propulsion Technologies and Components for Carrier Systems

Contribution of HPC:

- → Data analysis (e.g. clustering) of 300k images from rocket engine combustion experiments.
- → Results validated with HeAT (Helmholtz Analytics Toolkit).
- → Further work: optimization of emission spectrum simulations
 - data fusion in thermo-mechanical experiments

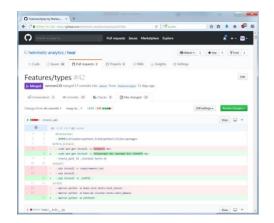


- ATEK research rocket was launched on June 13th 2019.
- The rocket reached an altitude of 239 km.
- It landed in a distance of 67 km from Esrange Space Center.
- All experiments were successful.

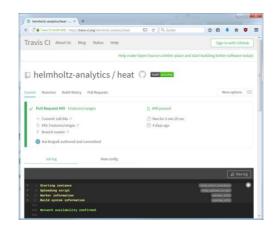


HeAT software: Transparent development process

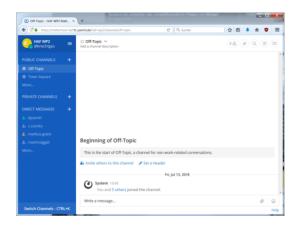
Github for code review, issue tracking, sprint planning



Travis for continuous integration



Mattermost for discussions

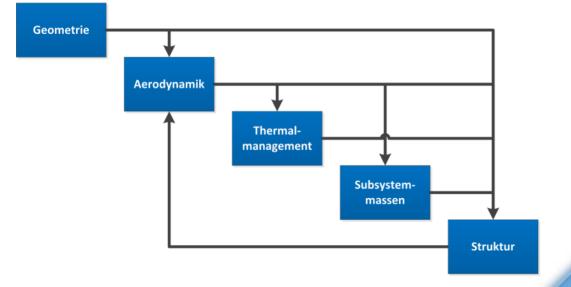


https://github.com/ helmholtz-analytics



Join us there!









Knowledge for Tomorrow

Analysis and Optimization of the Spaceliner Pre-Design

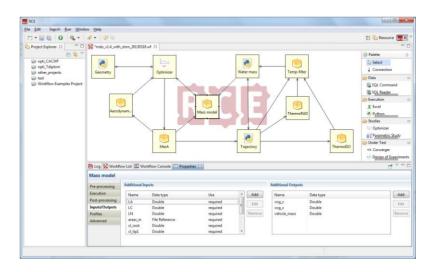
- Development of a hypersonic passenger spacecraft for long distance flights
- Descent should be accomplished in gliding flight
- New research focus: development of a hybrid structure with integrated thermal control units involving magnetohydrodynamic (MHD) effects with cooled magnets

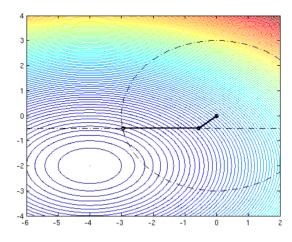




Implementation of a Multidisciplinary Optimization Loop

- Implementation of the design as process graph in the software platform **RCE** (remote component environment) by coupling tools from different disciplines
- Problem: no derivatives available
- Up to now: use of derivative-free optimizers from toolbox **DAKOTA**
- **Our development:** new algorithm for nonlinear derivative-free constrained optimization
 - Derivative-free trust-region **SQP**-method







Quantencomputing









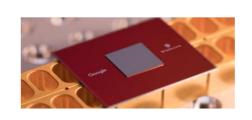
Quantum Computers for Solving Aerospace Problems

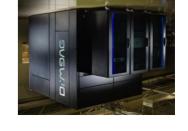
Challenges:

- Quantum computer interfaces are close to hardware
- Which quantum algorithms for which applications are superior to classical computing?

DLR QC Research:

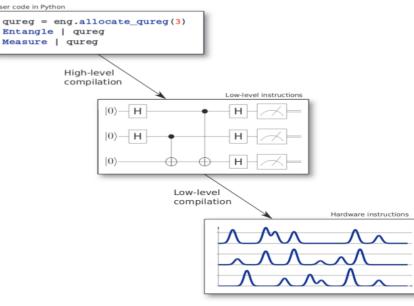
- Investigate algorithms and applications for near-term QC devices
- Develop tools and algorithims to use QC-devices
- Perform experiments on early QC devices





Google QC Chip

D-Wave Q. Annealer



Programming Quantum Computers
(arxiv:1612.08091)



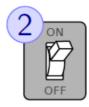
• Optimizer for quadratic unconstrained binary problems (QUBO)

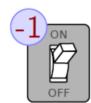
$$E = \sum_{i} H_{i} x_{i}$$

with $x_i \in \{0, 1\}$



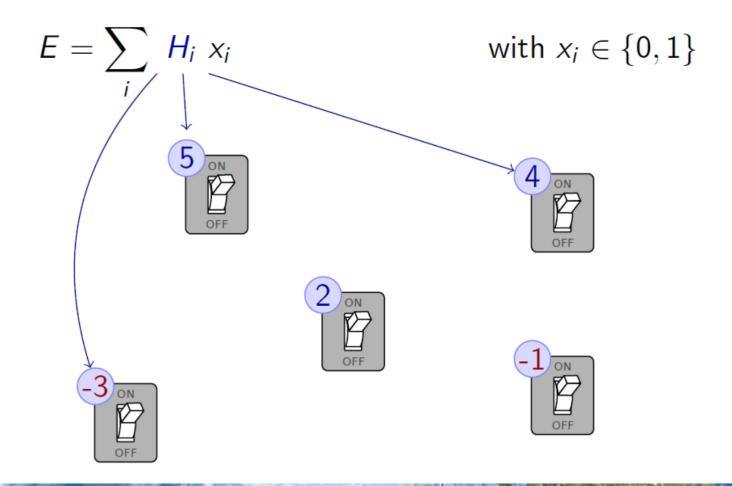






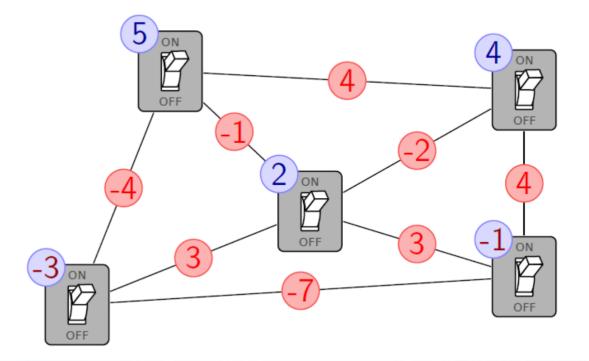




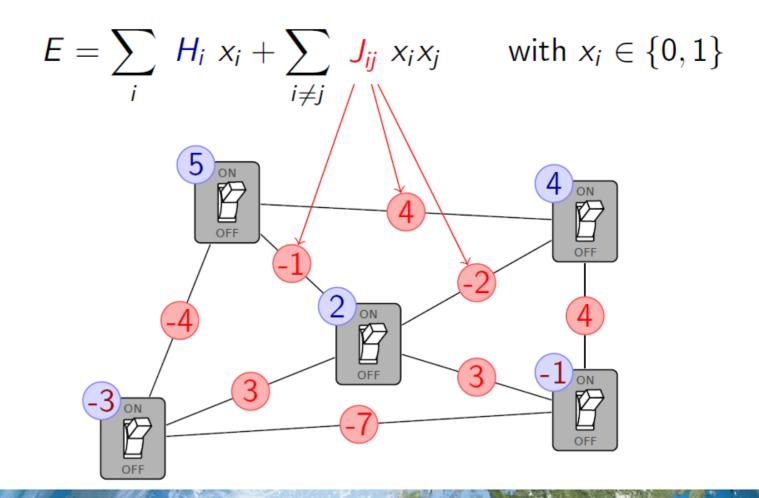




$$E = \sum_{i} H_{i} x_{i} \qquad \text{with } x_{i} \in \{0, 1\}$$

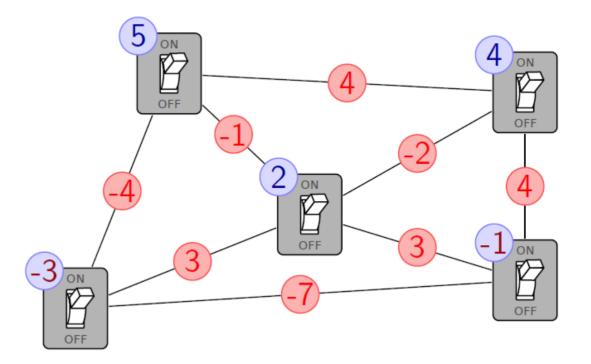






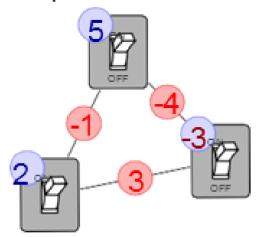


$$E = \sum_i H_i x_i + \sum_{i \neq j} J_{ij} x_i x_j$$
 with $x_i \in \{0, 1\}$





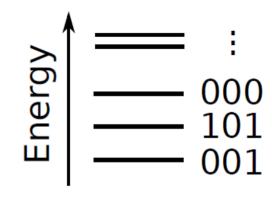
Example:



$$E = 5x_1 + 2x_2 - 3x_3 - x_1x_2 + 3x_2x_3 - 4x_3x_1$$

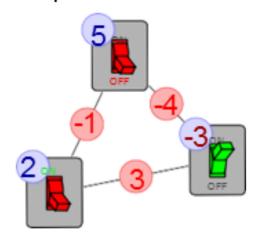
Lowest Energy: E = -3 at $(x_1, x_2, x_3) = (0, 0, 1)$

- Quantum systems have discrete energy levels (e.g. atom)
- Idea: Find system whose lowest energy state (ground state) corresponds to the solution of the optimization problem





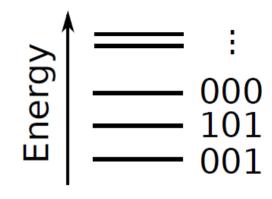
Example:



$$E = 5x_1 + 2x_2 - 3x_3 - x_1x_2 + 3x_2x_3 - 4x_3x_1$$

Lowest Energy:
$$E = -3$$
 at $(x_1, x_2, x_3) = (0, 0, 1)$

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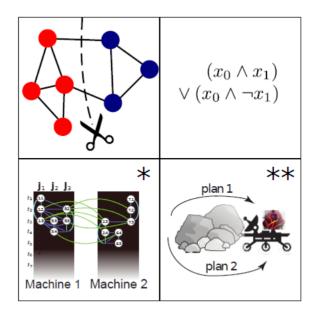
Applications for Quantum Annealers

Applications

Which problems can be mapped to QUBO?

$$E = \sum_i H_i x_i + \sum_{i \neq j} J_{ij} x_i x_j$$
 with $x_i \in \{0, 1\}$

- All NP-Complete Problems. E.g.
 - Graph Partitioning
 - Satisfiablity Problems
- Planning
 - Job-Shop Scheduling
 - Mars-Lander Operations
- Machine Learning



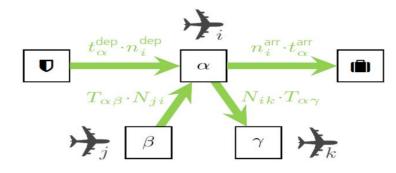


- * Venturelli et. al. arXiv:1506.08479
- ** Rieffel et. al. arXiv:1407.2887

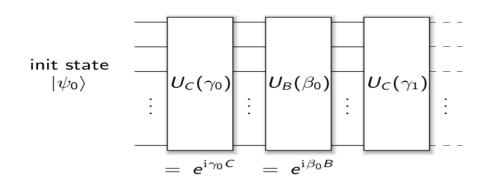


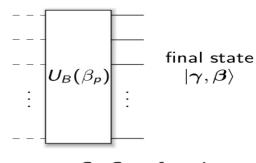
Quantum Computing for Flight Gate Assignment

- Optimal assignment of flights to gates at airports
- Hard combinatorial optimization problem
- Amenable to D-Wave quantum annealer and gate based quantum computers (Google, IBM, etc.)
- Use real world data and perform experiments on hardware as well as simulations
- Collaboration with NASA Ames



Flight Gate Assignment





C: Cost function

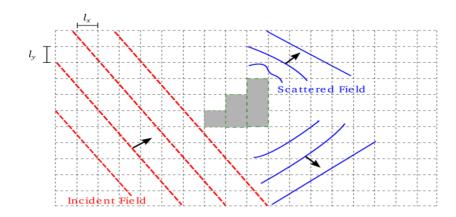
B: Mixer

Optimization with gate-based QC (QAOA)

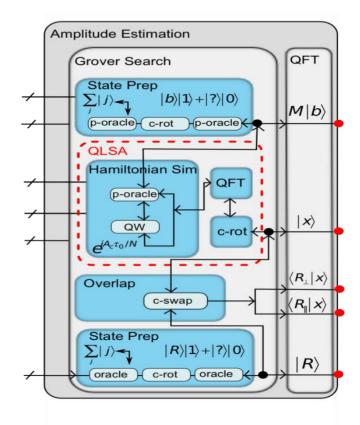


Quantum Computing for Radar Cross Section Calculation

- Algorithm for solving linear systems of equations (HHL)
- Amenable to large gate-based quantum computers
- Exponential speed-up over classical computers (if certain conditions are fulfilled)
- Goal: Resource estimation



FEM calculation for radar cross section (Clader et.al. arXiv:1301.2340)



HHL Algorithm (Clader et.al. arXiv:1301.2340)



Quantum Computing for Earth Observation Data Acquisition Planning

- Optimal planning of earth observation imaging acquisition
- Hard combinatorial optimization problem
- Only solvable with heuristics
- Minor improvements to solutions would have strong impact
- Amenable to D-Wave Quantum Annealer and gate based quantum computers
- Collaboration with Airbus





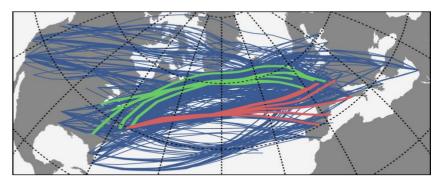
Earth Observation Satellite



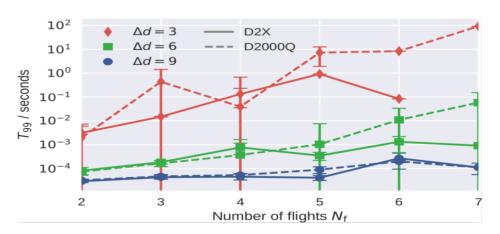
Deconflicting Flights with Quantum Annealers

- Wind-optimal flight trajectories show conflicts
- Resolve these conflicts
- Reduce flight delays
- Amenable to D-Wave quantum annealer
- Collaboration with NASA Ames





Conflicts of transatlantic flights



Time-to-Solution on D-Wave (arXiv:1711.04889)



Many thanks for your attention!

Questions?

Dr.-Ing. Achim Basermann

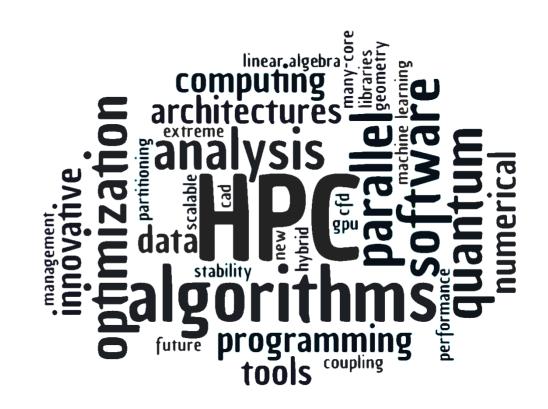
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