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A Cooperative Approach to Multi-Level Multi-Disciplinary Aircraft Optimization

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A large, curved image of the Earth from space occupies the bottom half of the slide. It shows a view of the Earth's surface with blue oceans, green landmasses, and white clouds. The curvature of the planet is clearly visible, and the image is positioned such that it appears to be looking down at the Earth from a high altitude.

Knowledge for Tomorrow

Outline

- Motivation
- Optimization problem
- Derivative-free optimization (DFO)
- Gradient-based optimization (GBO)
- Conclusion



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Motivation

- Large increase in air travel expected in the following decades
 - Supra-national calls (e.g. EU's Flightpath 2050) for decrease of aircraft emissions and noise, increase of availability and safety, *increase of multi-disciplinarity in design...*
- DLR project **Digital-X**:
 - Computer-based design and virtual flight testing
 - Multiple disciplines (nine DLR institutes involved)
 - Multiple fidelity levels (from conceptual to PDE-based simulations)
- Multi-disciplinary optimization **in context of**:
 - Use of established in-house and third-party tools and validated disciplinary methods
 - Hands-on cooperation between DLR institutes
 - Provision of optimization processes for in-house aircraft design research



Keep in mind
the context!



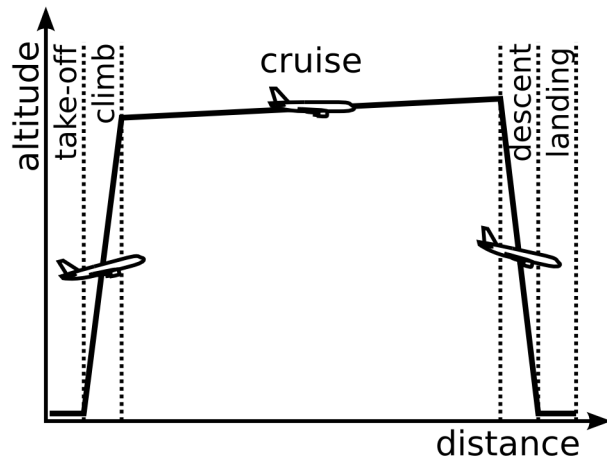
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Optimization problem

- Minimize mission fuel burn of a long-range airliner



<http://www.airliners.net/photo/Lufthansa/Airbus-A330-343X/2054700>

ODE integration...
...or simplified (from Breguet range equation):

$$m_f = m_e \exp \left(\frac{R}{\frac{a}{g} \frac{1}{c_f} M \frac{L}{D}} - 1 \right)$$

aerodynamics
structure
propulsion

- Using design parameters:
 - aerodynamic: wing planform and sections shape
 - structural: thicknesses of spars, ribs, and skin sections
- Under constraints:
 - aerodynamic: lift, pitching moment
 - structural: strength and buckling
 - control: trim capability, stability margin
 - performance: takeoff/landing distance, ferry range



Properties of the objective and constraints

- What is the influence of disciplinary design parameters on cost functions?
- For simplicity, consider *instantaneous range factor* as the objective:

$$\min_p \left(J = k \frac{1}{m} \frac{L}{D} \right), \quad p = (p_{aero}, p_{struct})$$

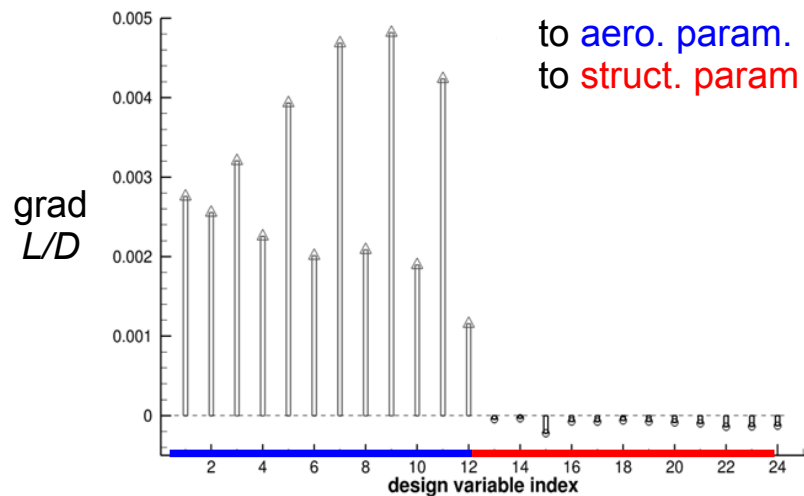
at optimum:

$$\begin{aligned} \frac{dJ}{dp_{aero}} = 0 &\quad \rightarrow \quad \frac{1}{m} \frac{d(L/D)}{dp_{aero}} + \frac{L}{D} \frac{d(1/m)}{dp_{aero}} = 0 && \text{direct grad.} \\ \frac{dJ}{dp_{struct}} = 0 &\quad \rightarrow \quad \frac{1}{m} \frac{d(L/D)}{dp_{struct}} + \frac{L}{D} \frac{d(1/m)}{dp_{struct}} = 0 && \text{cross grad.} \end{aligned}$$

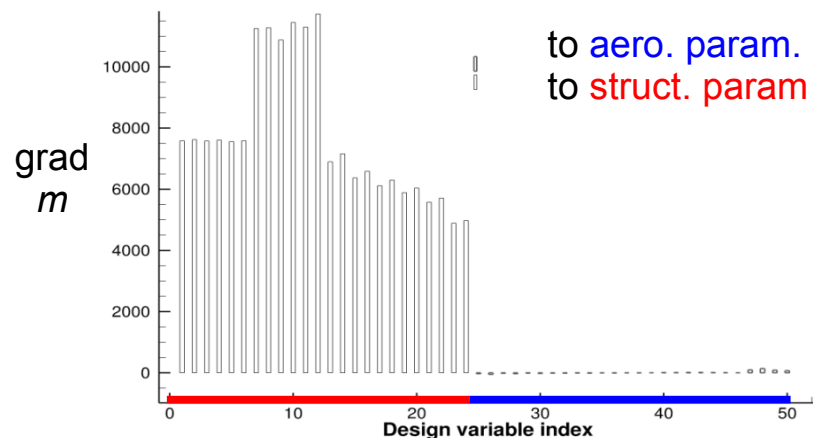
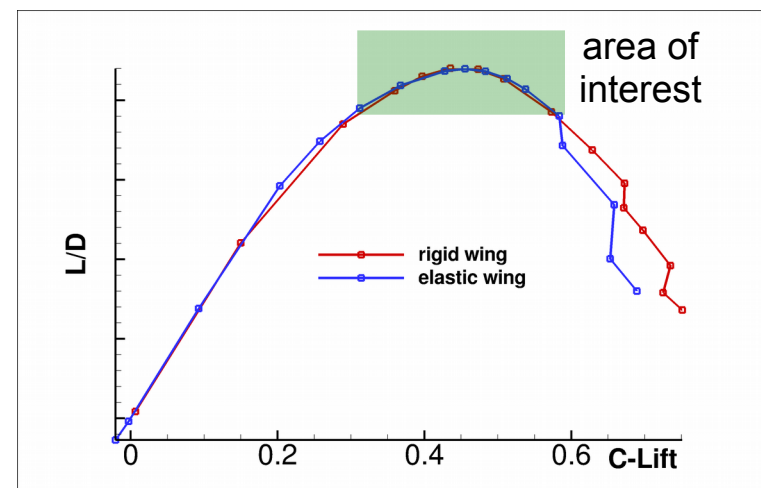
- If cross gradients are small, we can approximate or even ignore them, and still reach a “sufficiently improved” design
- Perform similar analysis for every constraint
- Choose design parameters cleverly



Properties of the objective and constraints, cont.



L/D polar (global influence of struct. param.)

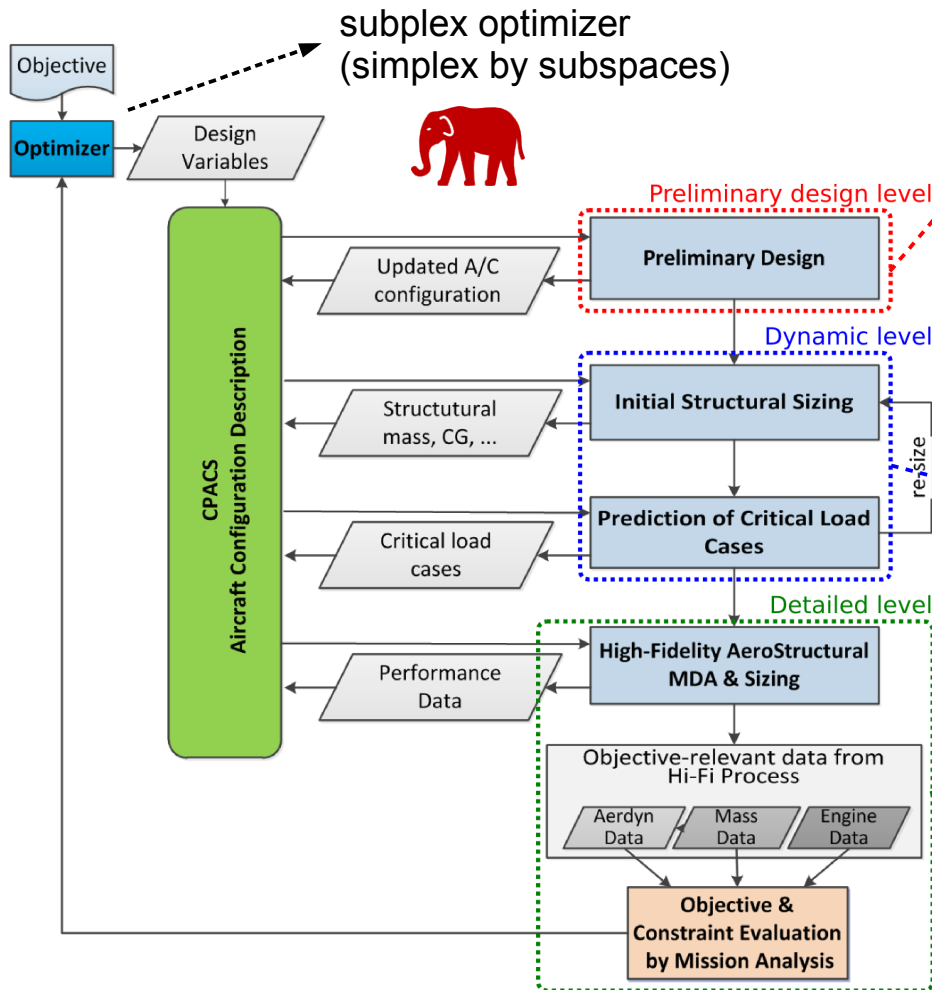


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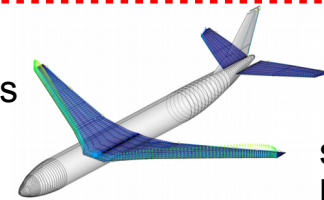
DFO multi-level concept



$$\frac{1}{m} \frac{d(L/D)}{d p_{aero}} + \frac{L}{D} \frac{d(1/m)}{d p_{aero}} = 0$$

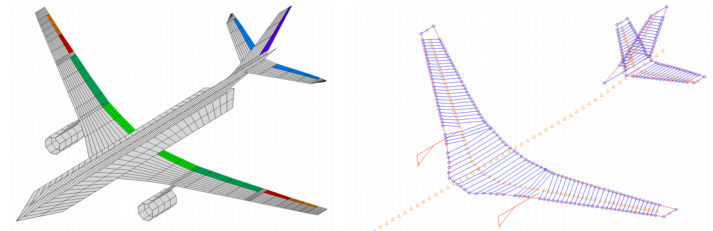
$$\frac{1}{m} \frac{d(L/D)}{d p_{struct}} + \frac{L}{D} \frac{d(1/m)}{d p_{struct}} = 0$$

isolated components



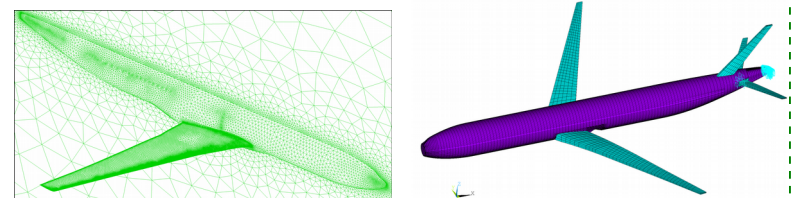
semi-empirical
lifting line aero.
beam struct.

panel aero. (DLM), condensed FEM



steady/unsteady maneuvers, gust

PDE aero. (RANS), shell FEM w/internal struct.



static-aeroelastic perf., fully-stressed design

Optimization problem for DFO

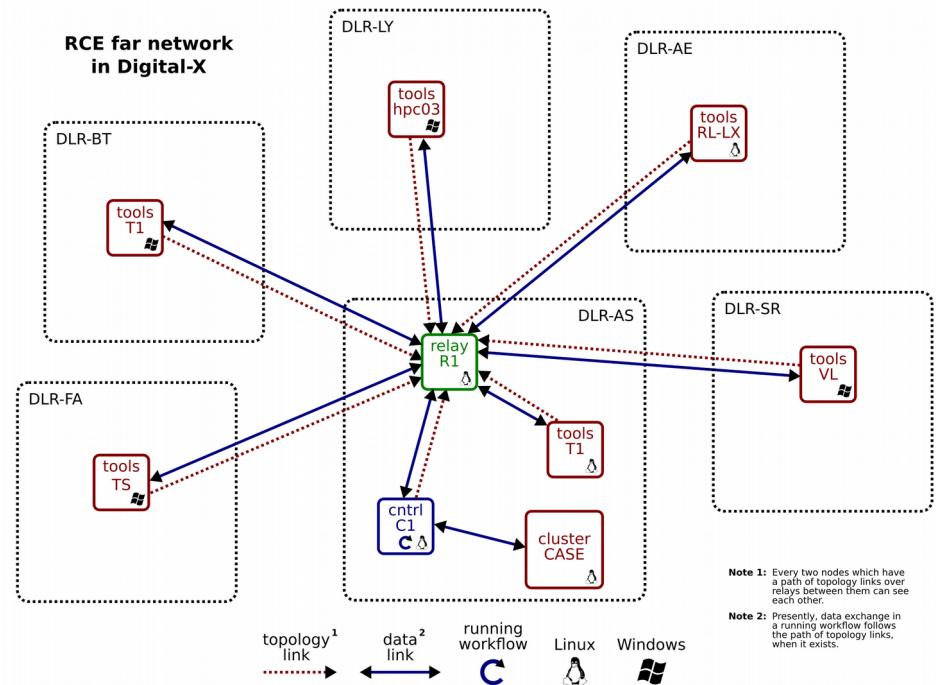
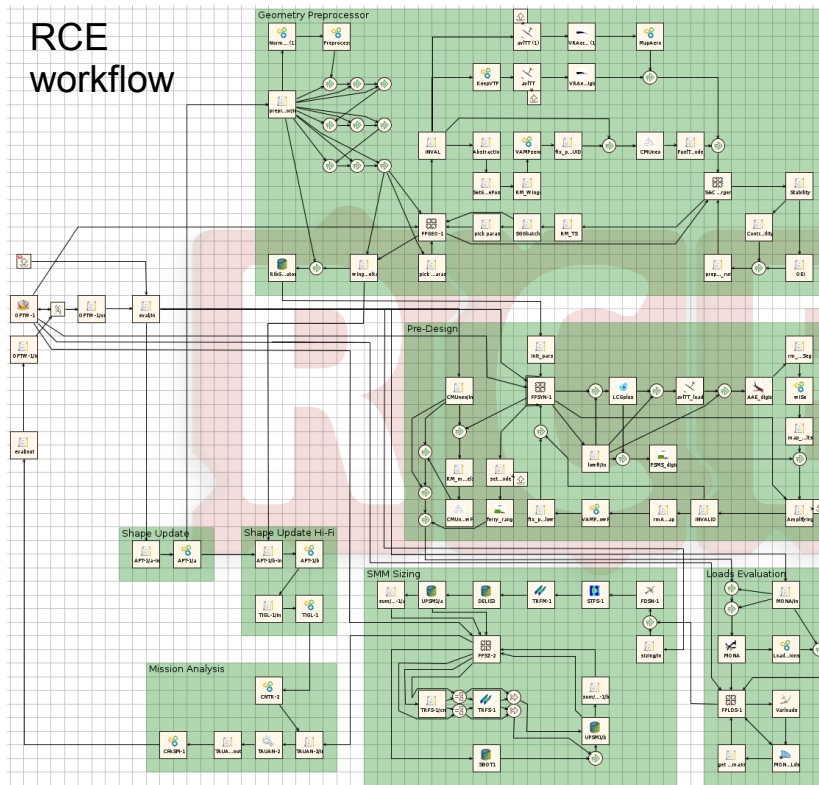
- Optimize wing outer shape and wing-body-tails structure w.r.t. mission fuel burn
- Wing-body-tails geometry: Airbus XRF-1 baseline, metal structure
- 56 critical load cases; steady, unsteady and gust
- 1 performance point ($Ma=0.83$, $CL\sim 0.50$ changes with mass)
- 9 wing planform and section parameters:
aspect ratio, sweep, taper $\times 2$, twist $\times 3$, airfoil thickness $\times 2$
- Wing area constant (by being independent parameter)
- Stability margin constant (by tail size and wing position update)
- Landing/takeoff distance roughly constant (by constant wing area and reducing structure mass)
- Lift matches mass (by flow solver internal iteration)
- 624 structural thickness parameters (wing, body, tails)
- Buckling and strength failure factors
- $56 \times 624 \times 2$ structural constraints (by fully-stressed design)



Implementation and execution aspects for DFO



- Disciplinary tools running on servers at respective DLR institutes
- RCE (Remote Component Environment) for assembling and running the process over the network

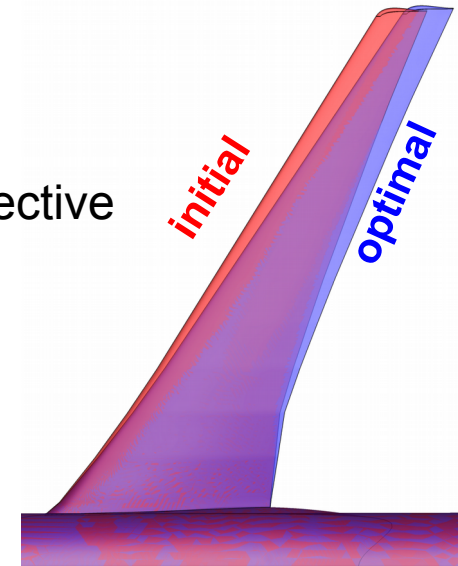
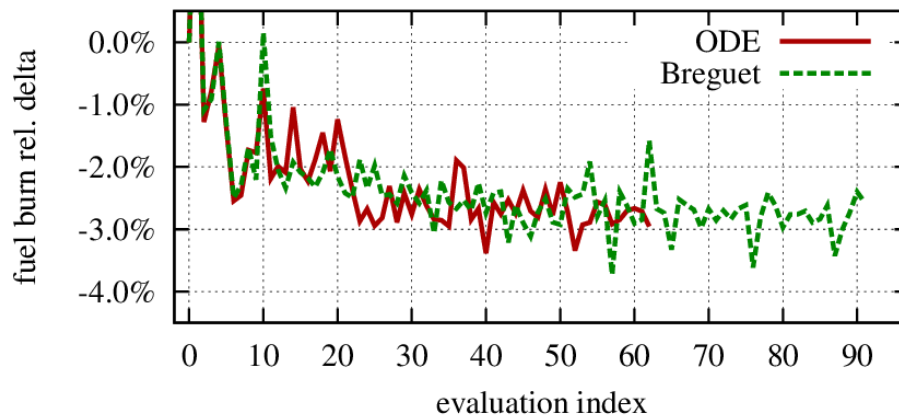


- 28 hours *single evaluation* run time
- 80-120 evaluations needed (est.)
- 4 months *optimization* run time

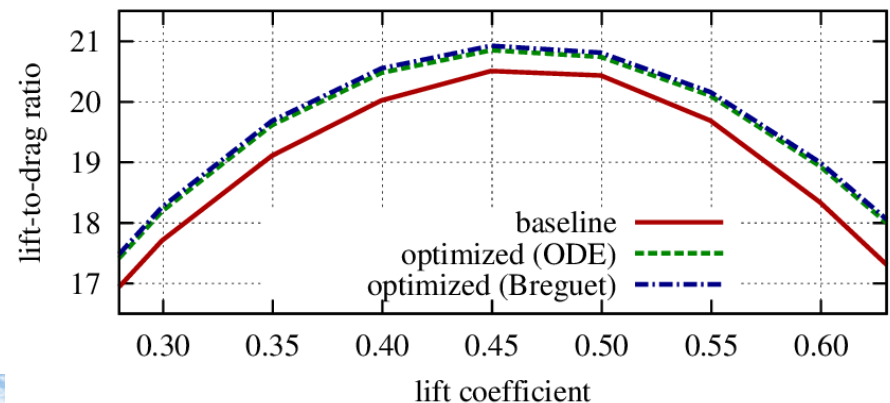


DFO results

- ...still running
- Results from the high-fidelity level alone
 - Tested ODE- vs. Breguet-based fuel burn objective



- Fuel burn reduction: 3.6%
- 18/12 hours evaluation ODE/Breguet
- **45 days** for optimization (*clean*)
- ODE- and Breguet-based final designs practically identical




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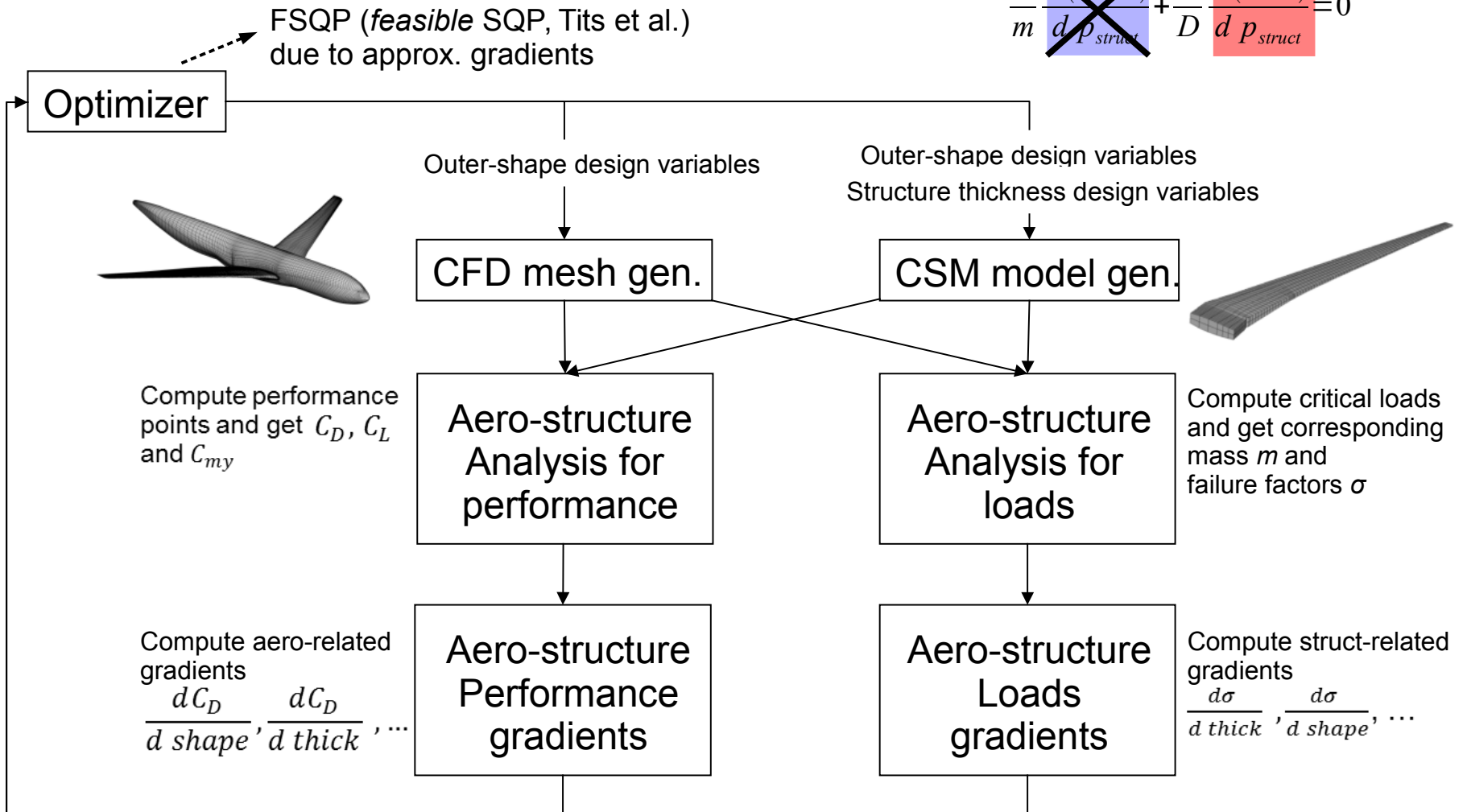
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GBO high-fidelity concept

$$\frac{1}{m} \frac{d(L/D)}{dp_{aero}} + \frac{L}{D} \frac{d(1/m)}{dp_{aero}} = 0$$

$$\frac{1}{m} \frac{d(L/D)}{dp_{struct}} + \frac{L}{D} \frac{d(1/m)}{dp_{struct}} = 0$$




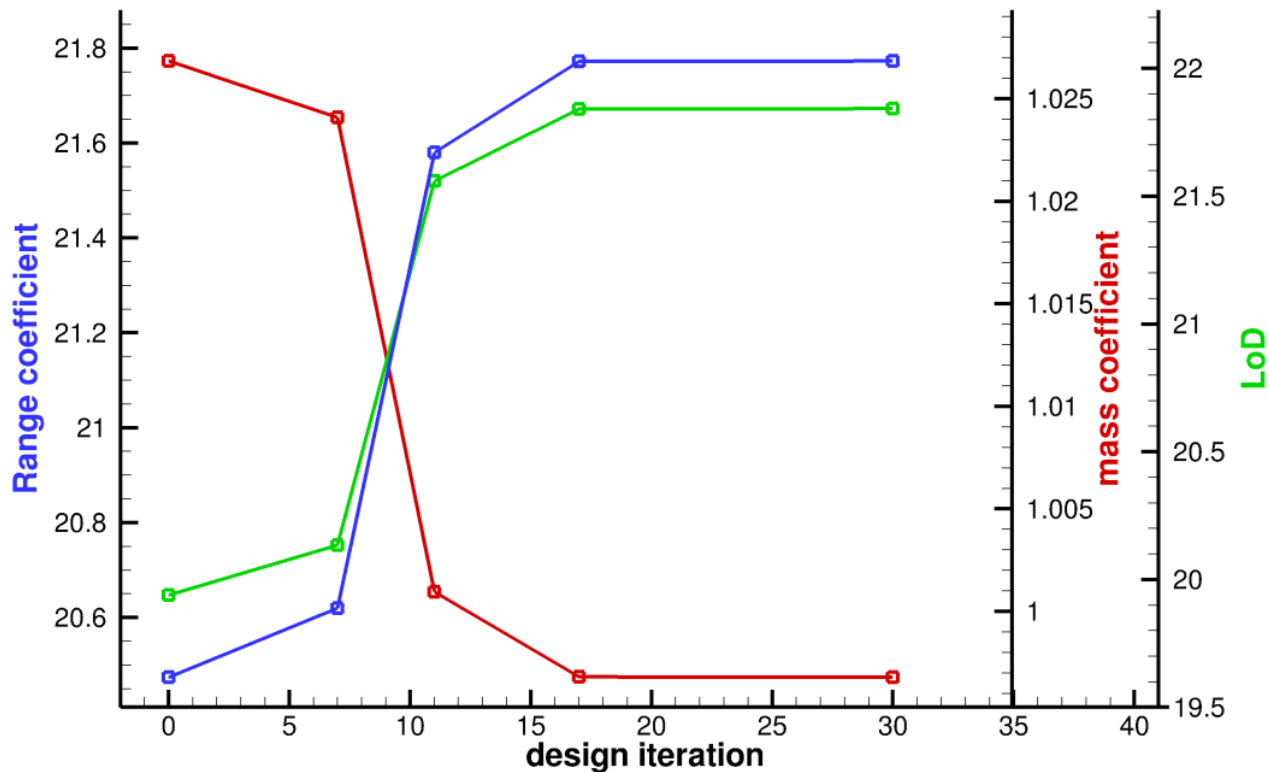
Optimization problem for GBO

- Optimize wing w.r.t. Breguet range factor
- Wing-body geometry: Airbus XRF-1 baseline, metal structure
- RANS for aerodynamics, FEM for structure
- 7 critical load cases; 2.5g, -1g
- 5 performance points; 1 design + 4 near off-design ($Ma=0.83$, $CL=0.50$)
- 360 airfoil-shape parameters: free-form deformation (FFD) control points
- Planform constant (by FFD c.p. only z-coord.)
- LE radius constant (by linking FFD c.p.)
- Lift constant (by flow solver internal iteration)
- Pitching moment constant (by optimizer)
- 348 structural thickness parameters
- Buckling and strength failure factors
- $348 \times 7 \times 2 = 4872$ structural constraints (by optimizer)



GBO results

- Range factor reduction: 6%
- Optimization run time **80 hours**, using 8×24 cluster cores



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Conclusion and Outlook

- Demonstrated employment of established disciplinary evaluation methods in a multi-disciplinary optimization context
- Demonstrated direct cooperation of experts from multiple disciplines in establishing and running optimization process

- Follow-on project: **VicToria**
- Include more subsystems (flutter-free design, active engines...)
- Increase cross-subsystem and cross-level consistency
- Reduce process run times
- DFO in two phases: overall aircraft design, detailed subsystem design
- GBO with cross-disciplinary sensitivities



Thank you for your attention!



DFO results, cont.

- Spanwise load distribution more inwards → smaller wing mass
- Shocks more forward, slightly weaker → better lift-to-drag ratio

